# **COMPUTER VISION**

							Ta	sks		
					ADAS					
					Self Driving					
					Localizati on	Perception	Planning/ Control	Driver state	Vehicle Diagnosis	Smart factory
Methods	Traditional	Non-machine Learning			GPS, SLAM		Optimal control			
		Machine-Learning based method	Supervised	SVM MLP		Pedestrian detection (HOG+SVM)				
	Deep-Learning based			CNN		Detection/ Segmentat ion/Classif ication	End-to- end Learning			
				RNN (LSTM)		Dry/wet road classificati on	End-to- end Learning	Behavior Prediction/ Driver identificati on		*
				DNN					*	*
			Reinforcement				*			
			Unsupervised							*

#### Vision tasks

Object recognition

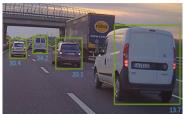
Object detection

Semantic segmentation

Object tracking

Visual SLAM



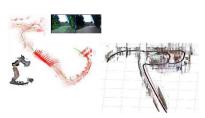












#### Semantic segmentation

• Building/road/sky/object/grass/water/tree



#### Object tracking



#### Visual SLAM



						Tasks						
						ADAS						
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Me	De	/achine-Le		CNN		Detection/ Segmentat ion/Classif ication	End-to- end Learning					
Methods	Deep-Learning based	Machine-Learning based method		RNN (LSTM)		Dry/wet road classificati on	End-to- end Learning	Behavior Prediction/ Driver identificati on		*		
		netho		DNN					*	*		
		d	Reinforcement				*					
			Unsupervised							*		

#### ORB-SLAM in the KITTI dataset

• ORB-SLAM2 is a real-time SLAM library for **Monocular**, **Stereo** and **RGB-D** cameras that computes the camera trajectory and a sparse 3D reconstruction

#### **ORB-SLAM**

Raúl Mur-Artal, J. M. M. Montiel and Juan D. Tardós

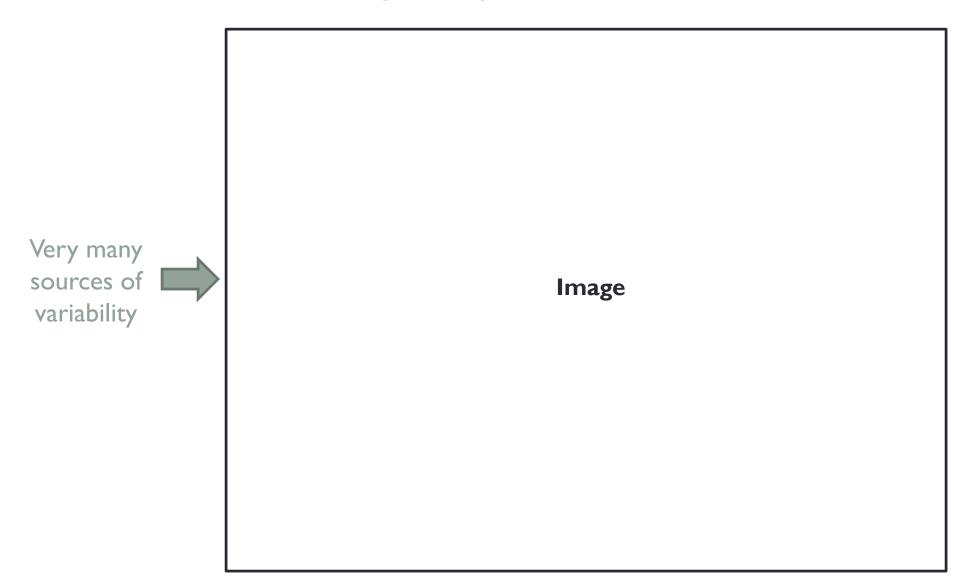
{raulmur, josemari, tardos} @unizar.es

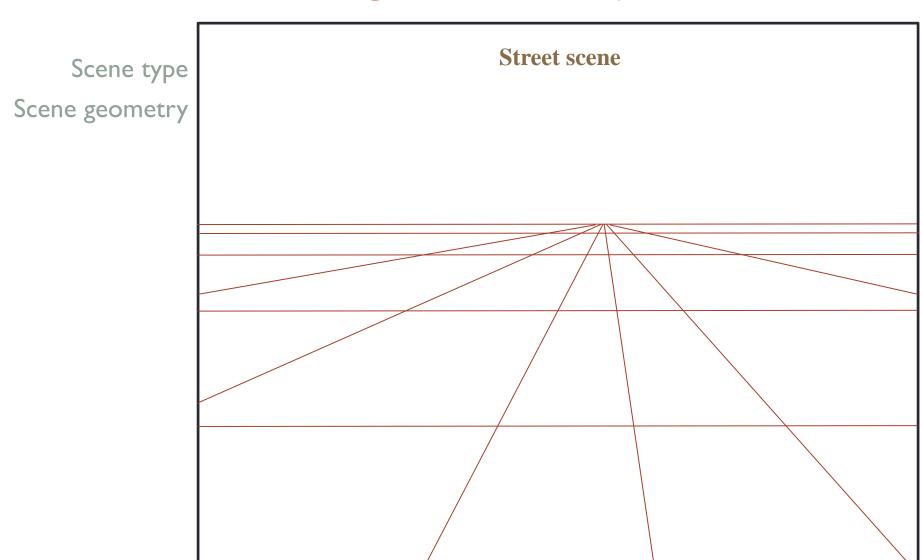




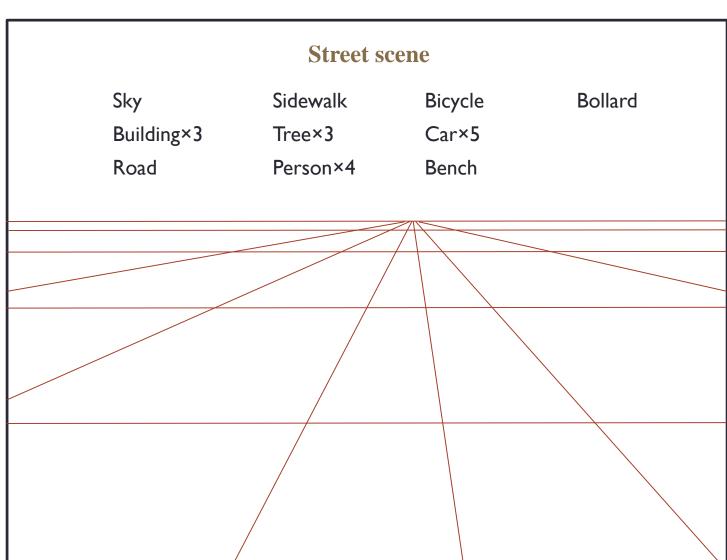
# COMPUTER VISION IMAGE UNDERSTANDING ...

#### Why understanding images is hard

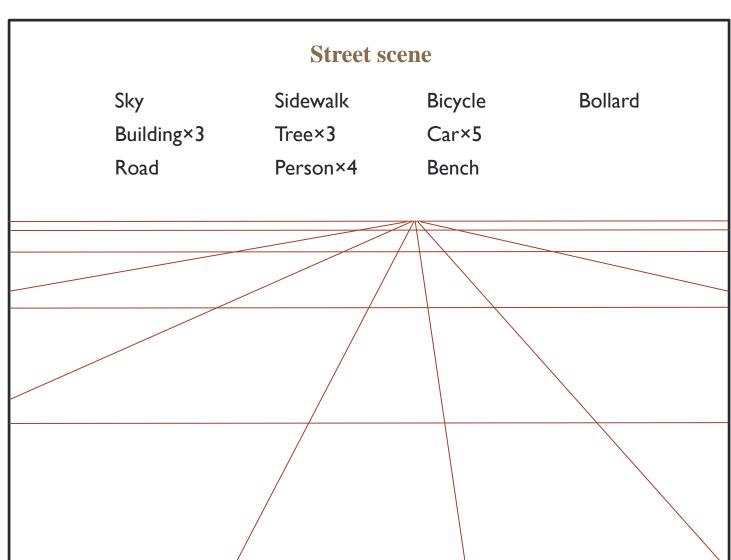




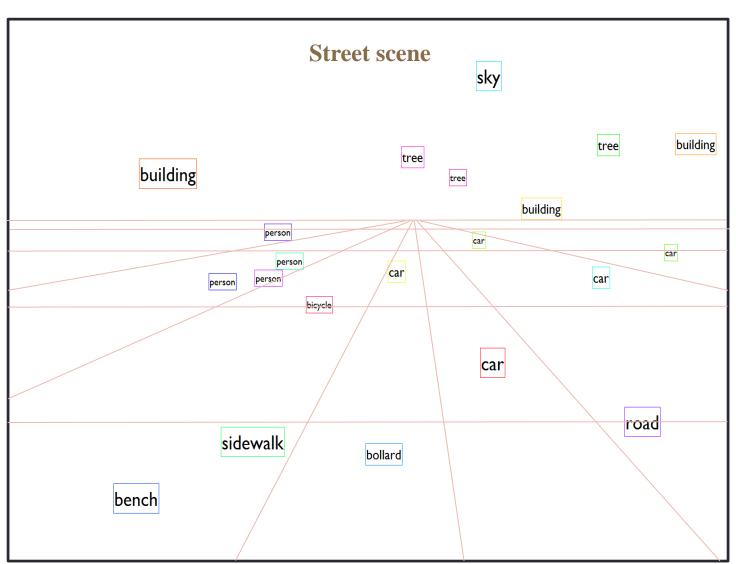
Scene type
Scene geometry
Object classes



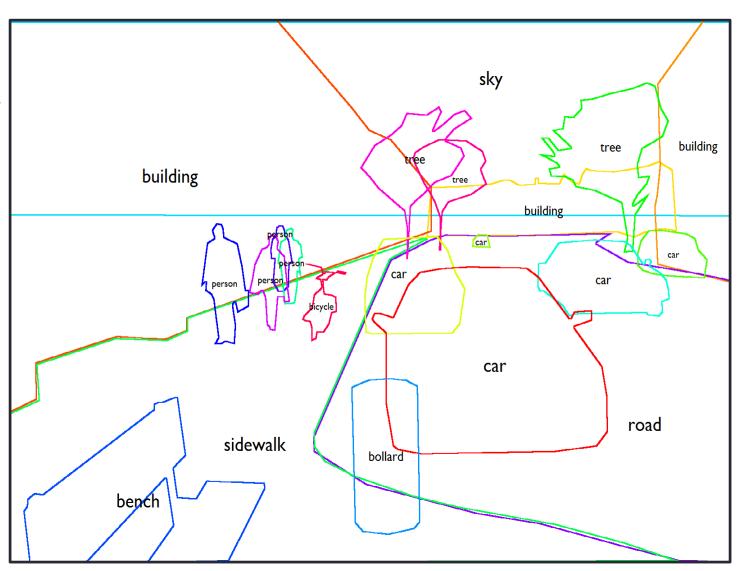
Scene type
Scene geometry
Object classes
Object position
Object orientation



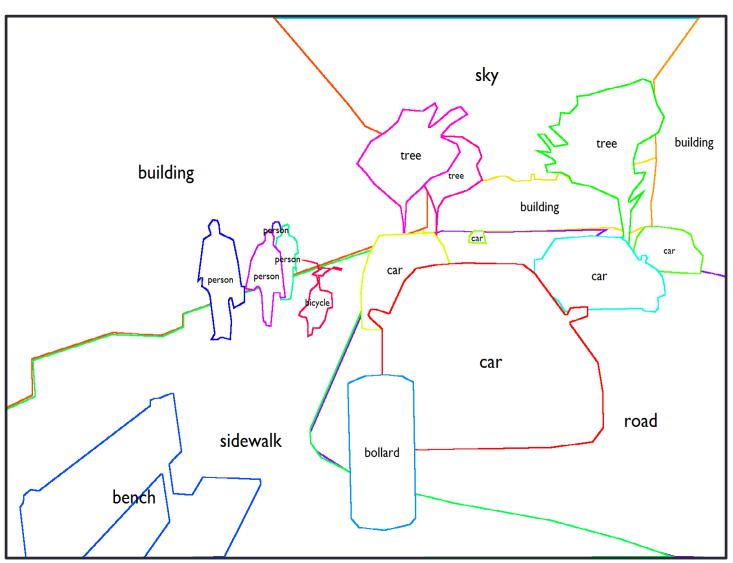
Scene type
Scene geometry
Object classes
Object position
Object orientation
Object shape



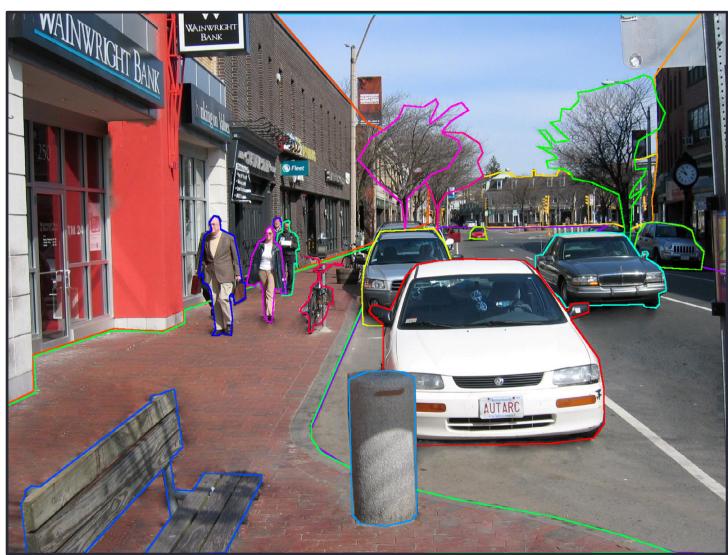
Scene type
Scene geometry
Object classes
Object position
Object orientation
Object shape
Depth/occlusions



Scene type
Scene geometry
Object classes
Object position
Object orientation
Object shape
Depth/occlusions
Object appearance



Scene type Scene geometry Object classes Object position Object orientation Object shape Depth/occlusions Object appearance Illumination **Shadows** 



Scene type Scene geometry Object classes Object position Object orientation Object shape Depth/occlusions Object appearance Illumination **Shadows** 



Scene type Scene geometry Object classes Object position Object orientation Object shape Depth/occlusions Object appearance Illumination **Shadows** Motion blur Camera effects



#### Computer vision problems

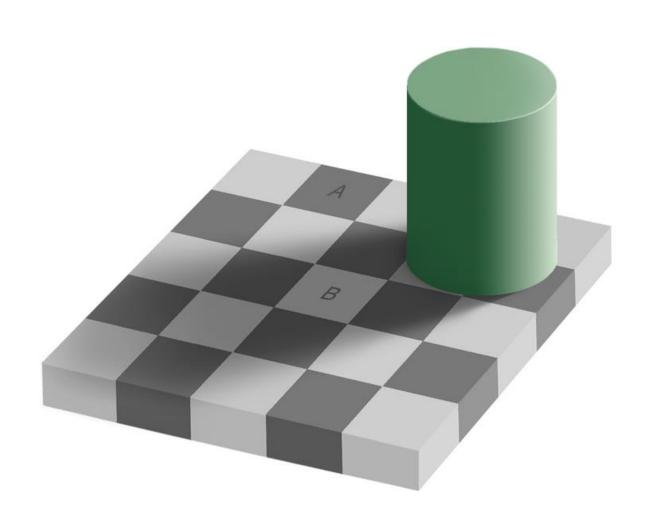


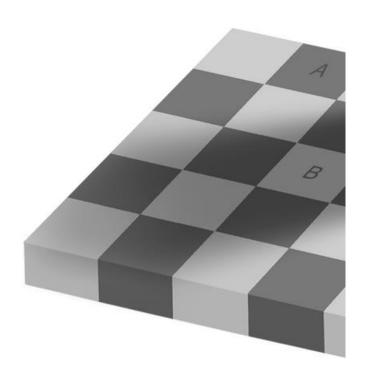


Scene type Scene geometry Object classes Object position Object orientation Object shape Depth/occlusions Object appearance Illumination **Shadows** Motion blur Camera effects

#### Now you see me







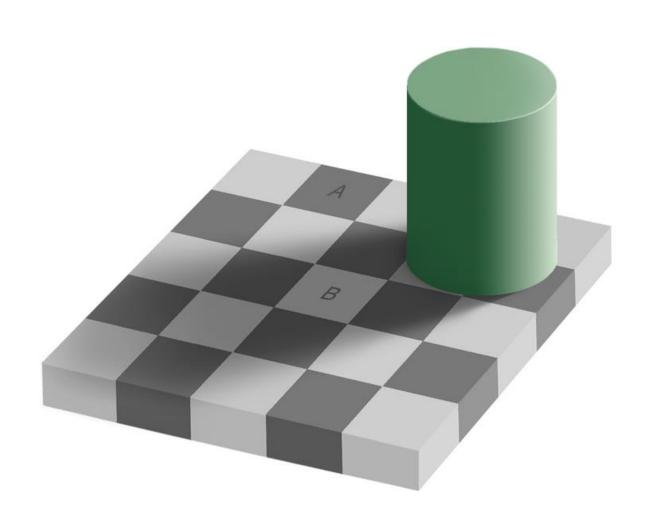




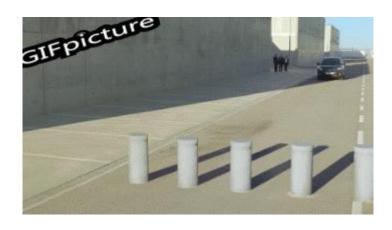












#### Moravec's Paradox

- The main lesson of 35 years of AI research is that the hard problems are easy and the easy problems are hard. The mental abilities of a four-year-old that we take for granted – recognizing a face, lifting a pencil, walking across a room, answering a question – in fact solve some of the hardest engineering problems ever conceived... As the new generation of intelligent devices appears, it will be the stock analysts and petrochemical engineers and parole board members who are in danger of being replaced by machines. The gardeners, receptionists, and cooks are secure in their jobs for decades to come.
  - Pinker, Steven (September 4, 2007) [1994], The Language Instinct, Perennial Modern Classics, Harper, ISBN 0-06-133646-7

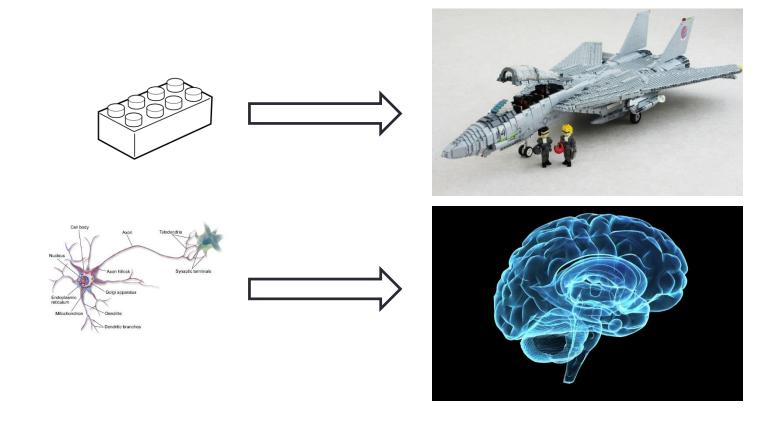
# MACHINE LEARNING

Neural network을 중심으로

				1		Tasks						
						Self Driving						
					Localizati on	Perception	Planning/ Control	Driver state	Vehicle Diagnosis	Smart factory		
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	Traditional	M		MLP		Pedestrian detection (HOG+SVM)						
Methods	Dee	achine-Lean	Supervised	CNN		Detection/ Segmentat ion/Classif ication	End-to- end Learning					
10ds	Deep-Learning	Machine-Learning based method	sed	RNN (LSTM)		Dry/wet road classificati on	End-to- end Learning					
	based	meth		DNN								
	þ	pot	Reinforcement									
			U	Insupervised								
					,							

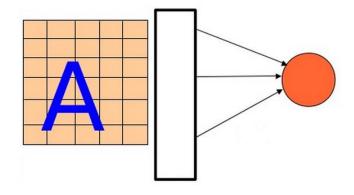
#### LINEAR PERCEPTRON

# 뉴런: 신경망의 기본 단위

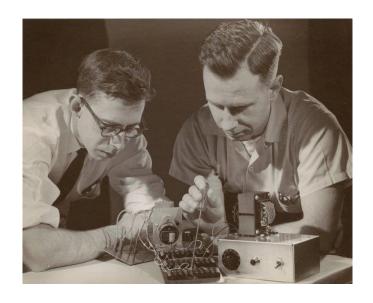


#### Basic model

- The first learning machine: the Perceptron (built in 1960)
- The perceptron was a linear classifier

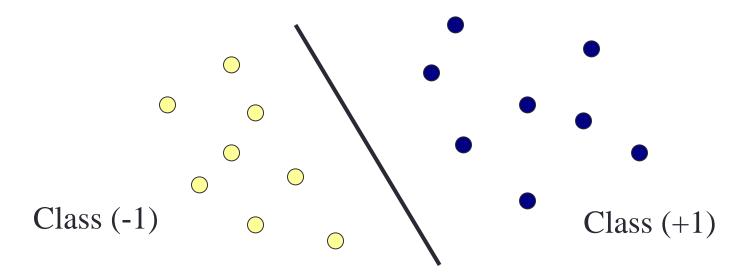


$$y = sign(w^{T}x + b)$$



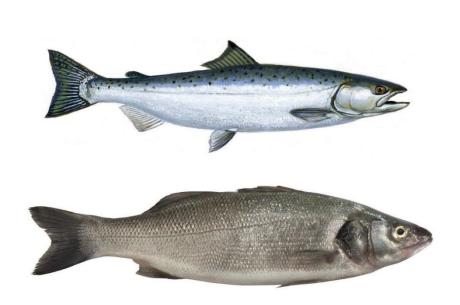
$$y = \begin{cases} +1 & \text{if } w_1 x_1 + w_2 x_2 + \dots + w_n x_n + b > 0 \\ -1 & \text{otherwise} \end{cases}$$

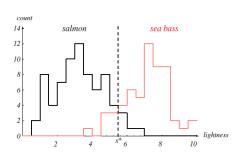
#### Linear Perceptron

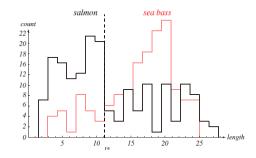


- The goal: Find the best line (or hyper-plane) to separate the training data.
  - In two dimensions, the equation of the line is given by a line:
    - $\bullet \ ax + by + c = 0$
  - A better notation for *n* dimensions: treat each data point and the coefficients as vectors. Then the equation is given by:
    - $w^{T}x + b = 0$

#### 예시: 연어와 농어의 구별







#### 예시: 연어와 농어의 구별

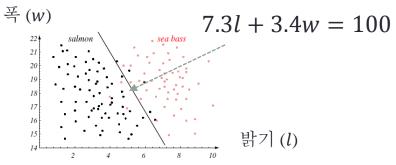
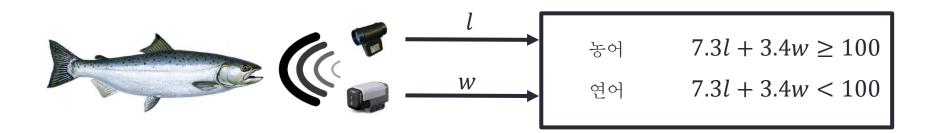
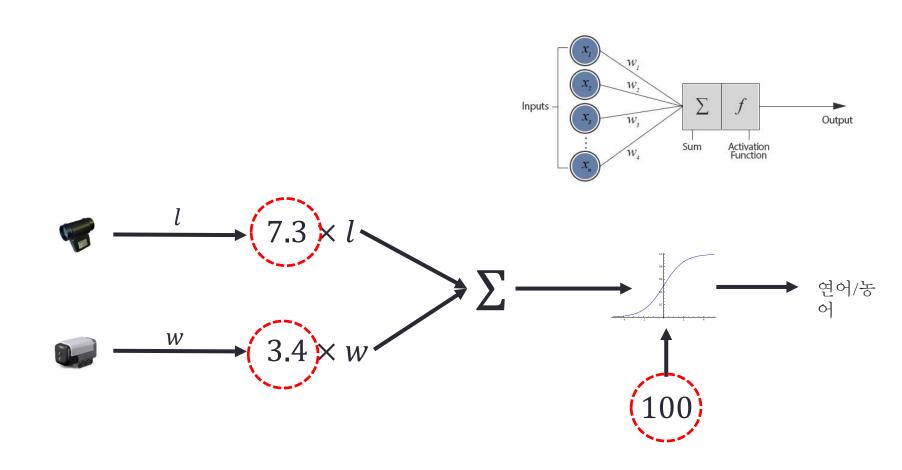


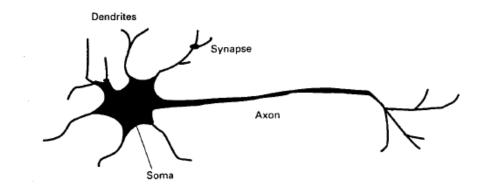
FIGURE 1.4. The two features of lightness and width for sea bass and salmon. The dark line could serve as a decision boundary of our classifier. Overall classification error on the data shown is lower than if we use only one feature as in Fig. 1.3, but there will still be some errors. From: Richard O. Duda, Peter E. Hart, and David G. Stork, Pattern Classification. Copyright © 2001 by John Wiley & Sons, Inc.

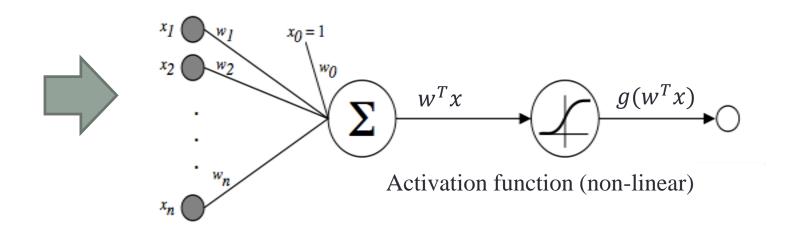


#### 예시: 연어와 농어의 구별

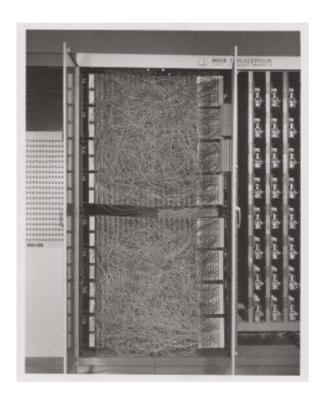


#### **Artificial Neuron**





#### Mark I Perceptron



References: [45]

- Frank Rosenblatt
- 400 pixel image input
- Weights encoded in potentiometers
- Weight updated by electric motors

#### The New York Times

#### **NEW NAVY DEVICE LEARNS BY DOING**

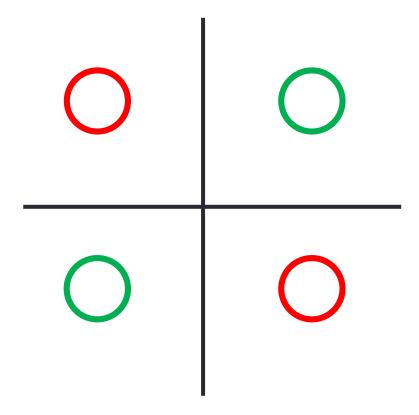
July 8, 1958

"The Navy revealed the embryo of an electronic computer today that it expects will be able to walk, talk, see, write, reproduce itself and be conscious of its existence... Dr. Frank Rosenblatt, a research psychologist at the Cornell Aeronautical Laboratory, Buffalo, said Perceptrons might be fired to the planets as mechanical space explorers"

Course 6.8094: Deep Learning for Self-Driving Cars

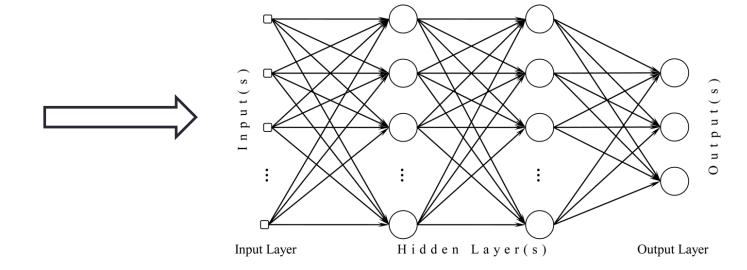
#### **Artificial Neuron**

• However, it cannot solve non-linearly-separable problems



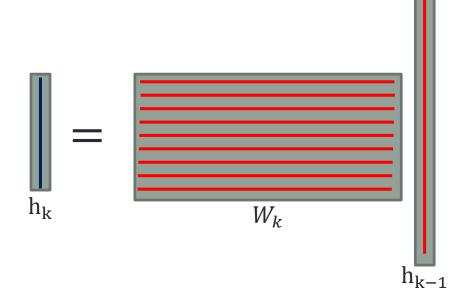
#### **MULTI-LAYER PERCEPTRON**





#### Multi-layer Neural Network

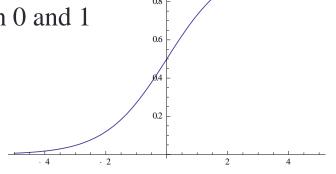
- 1st Layer
  - $h_1 = g(W_1x + b_1)$
- 2<sup>nd</sup> Layer
  - $h_2 = g(W_2h_1 + b_2)$
- •
- Output layer
  - $o = softmax(W_n h_{n-1} + b_n)$



#### Activation function $g(\cdot)$

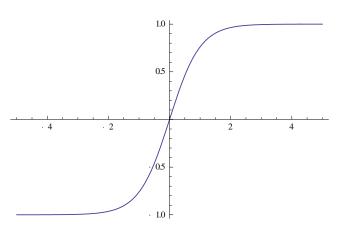
- Sigmoid activation function
  - Squashes the neuron's pre-activation between 0 and 1
  - Always positive/Bounded/Strictly increasing

$$g(x) = \frac{1}{1 + \exp(-x)}$$



- Hyperbolic tangent ("tanh") activation function
  - Squashes the neuron's pre-activation between -1 and 1
  - Bounded/Strictly increasing

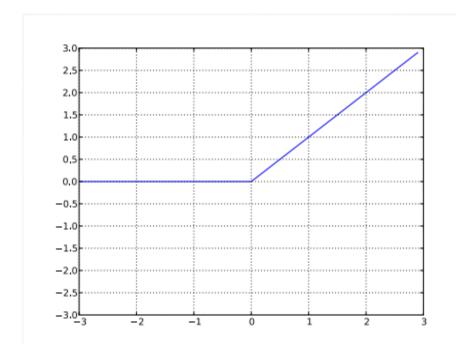
$$g(x) = \tanh(x) = \frac{\exp(x) - \exp(-x)}{\exp(x) + \exp(-x)}$$



#### Activation function $g(\cdot)$

- Rectified linear activation function (ReLU)
  - Bounded below by 0
  - Not upper bounded
  - Strictly increasing

$$g(a) = rectlin(a) = max(0, a)$$



#### Soft-max activation function at the output

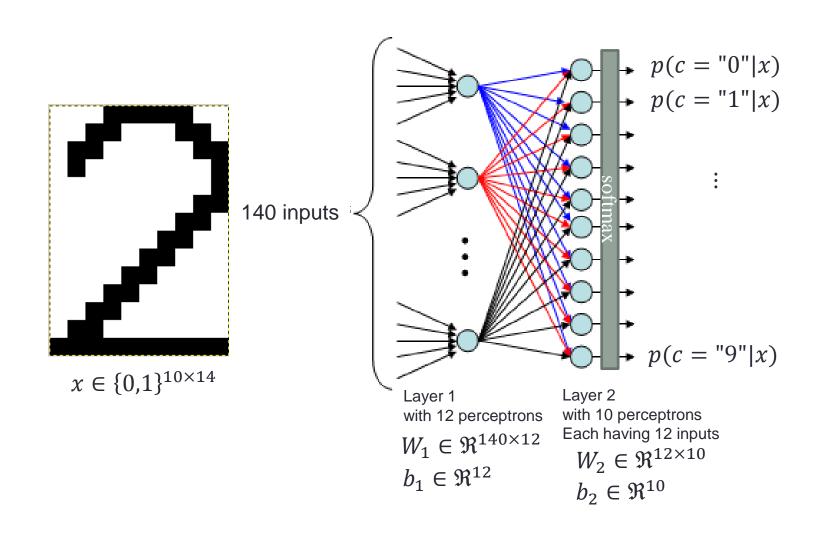
- For multi-class classification
  - We need multiple outputs (1 output per class)
- We use the softmax activation function at the output

$$O(\mathbf{a}) = \operatorname{softmax}(\mathbf{a}) = \begin{bmatrix} \frac{\exp(a_1)}{\sum_c \exp(a_c)} \\ \frac{\exp(a_2)}{\sum_c \exp(a_c)} \\ \vdots \\ \frac{\exp(a_c)}{\sum_c \exp(a_c)} \end{bmatrix}$$

- strictly positive
- sums to one

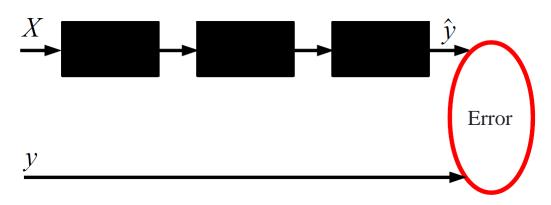
$$\vec{a} \ | \ \land \ | \ : (a,b,c) \rightarrow \left( \frac{e^a}{e^a + e^b + e^c}, \frac{e^b}{e^a + e^b + e^c}, \frac{e^c}{e^a + e^b + e^c} \right)$$

#### Example (character recognition example)



# TRAINING OF MULTI-LAYER PERCEPTRON

#### Training: Loss function



- Cross entropy (classification)
  - $y, \hat{y} \in [0,1]^N, \sum_{i=1} y_i = 1, \sum_{i=1} \hat{y}_i = 1$
  - $L = -\sum y_i \log \hat{y}_i$
- Square Euclidean distance (regression)
  - $y, \hat{y} \in \mathbb{R}^N$
  - $L = \frac{1}{2} \sum (y_i \widehat{y}_i)^2$

#### Cross Entropy (예시)

#### • Label:

```
• [y_1 \ y_2 \ y_3] = [1,0,0] : \text{class } 1

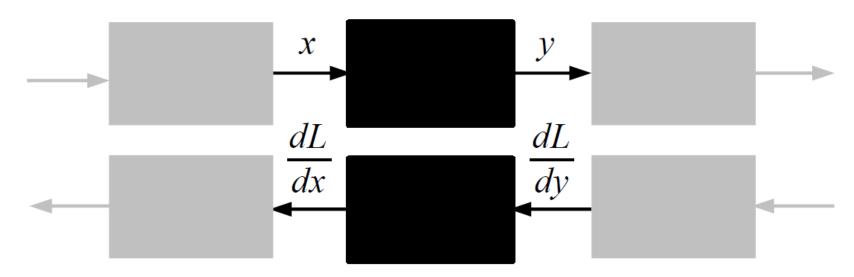
• [y_1 \ y_2 \ y_3] = [0,1,0] : \text{class } 2

• [y_1 \ y_2 \ y_3] = [0,0,1] : \text{class } 3 L = -\sum y_i \log \hat{y}_i
```

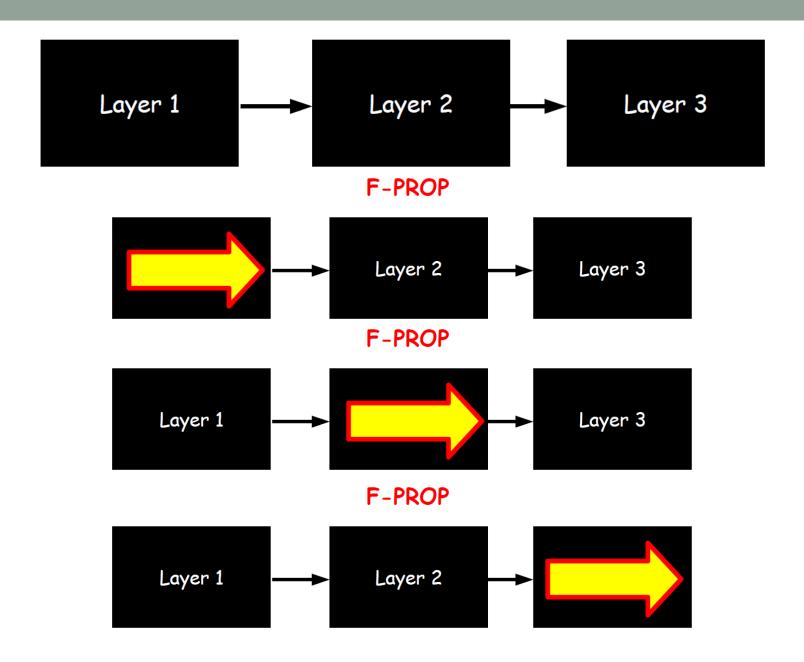
- 예시
  - Network output:  $\hat{y} = [\hat{y}_1 \ \hat{y}_2 \ \hat{y}_3] = [0.3, 0.6, 0.1]$ 
    - Loss
      - If ground truth is class 1 (i.e., y = [1,0,0])  $\rightarrow -\log 0.3 = 1.204$
      - If ground truth is class 2 (i.e., y = [0,1,0])  $\rightarrow -\log 0.6 = 0.511$
      - If ground truth is class 3 (i.e., y = [0,0,1])  $\rightarrow -log 0.1 = 2.303$
  - Network output:  $\hat{y} = [\hat{y}_1 \ \hat{y}_2 \ \hat{y}_3] = [0.01, 0.98, 0.01]$ 
    - Loss
      - If ground truth is class 1 (i.e., y = [1,0,0])  $\rightarrow -\log 0.01 = 4.605$
      - If ground truth is class 2 (i.e., y = [0,1,0])  $\rightarrow -\log 0.98 = 0.020$
      - If ground truth is class 3 (i.e., y = [0,0,1])  $\rightarrow -\log 0.01 = 4.605$

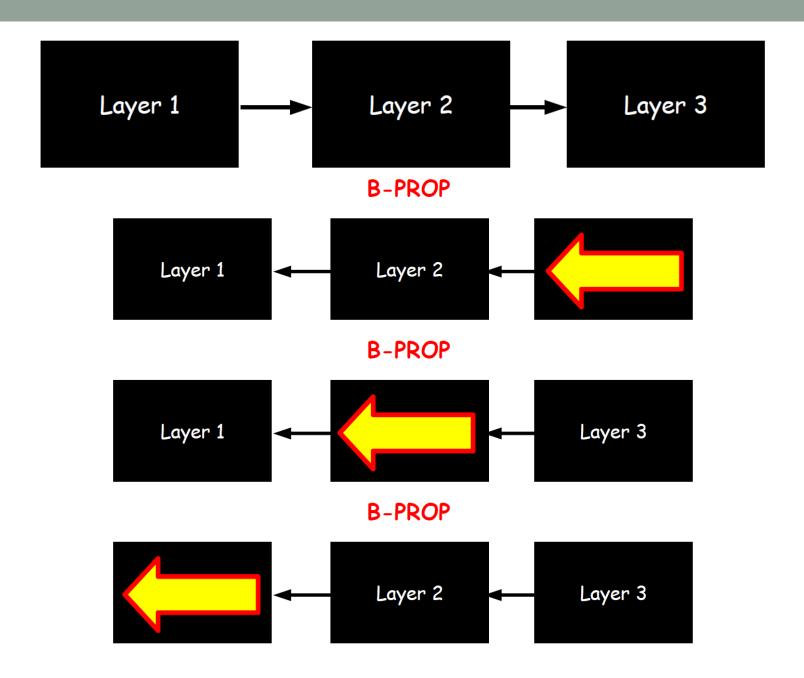
#### Forward/Backward propagation

• Chain rule

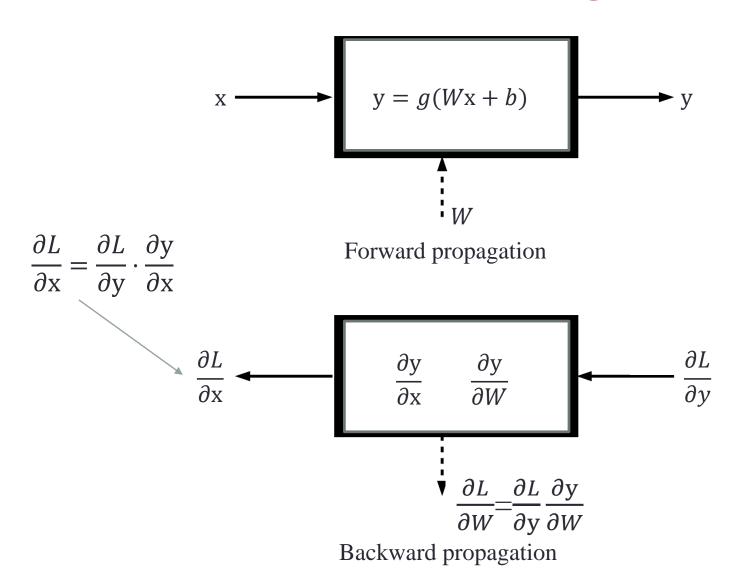


$$W^{new} = W^{old} - \eta \frac{dL}{dW}$$



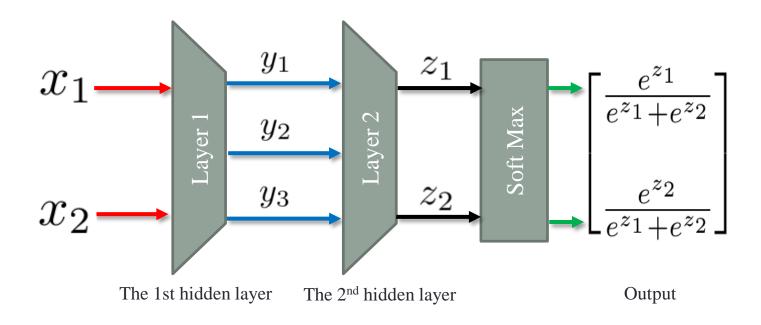


## Forward/Backward propagation



# FEED-FORWARD NEURAL NETWORK (예시)

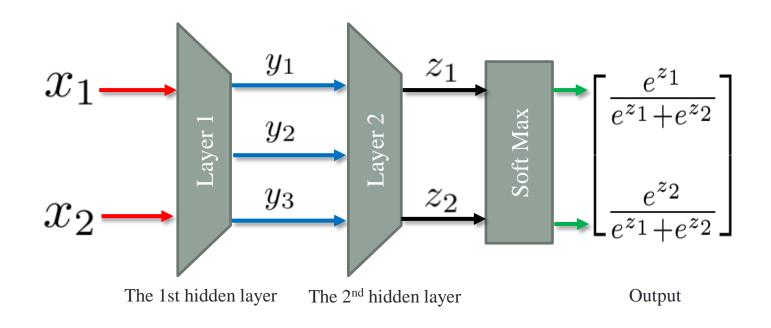
#### Forward propagation



$$y_1 = \varphi(w_{11}x_1 + w_{12}x_2 + b_1)$$
$$y_2 = \varphi(w_{21}x_1 + w_{22}x_2 + b_2)$$
$$y_3 = \varphi(w_{31}x_1 + w_{32}x_2 + b_3)$$

$$z_1 = u_{11}y_1 + u_{12}y_2 + u_{13}y_3 + c_1$$
$$z_2 = u_{21}y_1 + u_{22}y_2 + u_{23}y_3 + c_2$$

#### Forward propagation matrix repr.

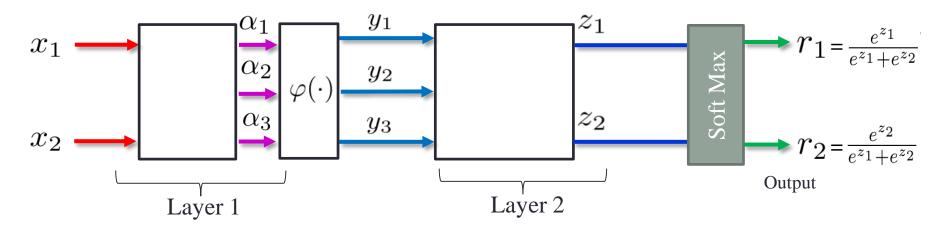


$$\begin{bmatrix} y_1 \\ y_2 \\ y_3 \end{bmatrix} = \varphi \left( \begin{bmatrix} w_{11} & w_{12} \\ w_{21} & w_{22} \\ w_{31} & w_{32} \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \end{bmatrix} + \begin{bmatrix} b_1 \\ b_2 \\ b_3 \end{bmatrix} \right) \begin{bmatrix} z_1 \\ z_2 \end{bmatrix} = \begin{bmatrix} u_{11} & w_{12} & u_{13} \\ u_{21} & w_{22} & u_{23} \end{bmatrix} \begin{bmatrix} y_1 \\ y_2 \\ y_3 \end{bmatrix} + \begin{bmatrix} w_{11} & w_{12} & w_{13} \\ w_{21} & w_{22} & w_{23} \end{bmatrix} \begin{bmatrix} w_1 \\ w_2 \\ w_3 \end{bmatrix} \begin{bmatrix} w_1 \\ w_2 \\ w_3 \end{bmatrix} + \begin{bmatrix} w_1 & w_{12} & w_{13} \\ w_2 & w_{22} & w_{23} \end{bmatrix} \begin{bmatrix} w_1 \\ w_2 \\ w_3 \end{bmatrix} \begin{bmatrix} w_1 \\ w_2 \\ w_3 \end{bmatrix} = \begin{bmatrix} w_1 & w_1 & w_2 & w_1 \\ w_2 & w_2 & w_2 \end{bmatrix} \begin{bmatrix} w_1 \\ w_2 \\ w_3 \end{bmatrix} \begin{bmatrix} w_1 \\ w_3 \\ w_4 \end{bmatrix} \begin{bmatrix} w_1 \\ w_2 \\ w_3 \end{bmatrix} \begin{bmatrix} w_1 \\ w_3 \\ w_4 \end{bmatrix} \begin{bmatrix} w_1 \\ w_2 \\ w_3 \end{bmatrix} \begin{bmatrix} w_1 \\ w_3 \\ w_4 \end{bmatrix} \begin{bmatrix} w_1 \\ w_2 \\ w_3 \end{bmatrix} \begin{bmatrix} w_1 \\ w_3 \\ w_4 \end{bmatrix} \begin{bmatrix} w_1 \\ w_2 \\ w_3 \end{bmatrix} \begin{bmatrix} w_2 \\ w_3 \\ w_3 \end{bmatrix} \begin{bmatrix} w_1 \\ w_2 \\ w_3 \end{bmatrix} \begin{bmatrix} w_1 \\ w_3 \\ w_4 \end{bmatrix} \begin{bmatrix} w_2 \\ w_3 \\ w_3 \end{bmatrix} \begin{bmatrix} w_1 \\ w_3 \\ w_4 \end{bmatrix} \begin{bmatrix} w_1 \\ w_2 \\ w_3 \end{bmatrix} \begin{bmatrix} w_2 \\ w_3 \\ w_3 \end{bmatrix} \begin{bmatrix} w_1 \\ w_3 \\ w_4 \end{bmatrix} \begin{bmatrix} w_1 \\ w_2 \\ w_3 \end{bmatrix} \begin{bmatrix} w_1 \\ w_3 \\ w_4 \end{bmatrix} \begin{bmatrix} w_2 \\ w_3 \\ w_4 \end{bmatrix} \begin{bmatrix} w_1 \\ w_2 \\ w_3 \end{bmatrix} \begin{bmatrix} w_1 \\ w_3 \\ w_4 \end{bmatrix} \begin{bmatrix} w_1 \\ w_2 \\ w_3 \end{bmatrix} \begin{bmatrix} w_1 \\ w_3 \\ w_4 \end{bmatrix} \begin{bmatrix} w_1 \\ w_2 \\ w_3 \end{bmatrix} \begin{bmatrix} w_1 \\ w_3 \\ w_4 \end{bmatrix} \begin{bmatrix} w_1 \\ w_4 \\$$

$$\begin{bmatrix} z_1 \\ z_2 \end{bmatrix} = \begin{bmatrix} u_{11} & w_{12} & u_{13} \\ u_{21} & w_{22} & u_{23} \end{bmatrix} \begin{bmatrix} y_1 \\ y_2 \\ y_3 \end{bmatrix} + \begin{bmatrix} c_1 \\ c_2 \end{bmatrix}$$

# BACK-PROPAGATION ALGORITHM (예시)

#### Forward propagation (block-based representation)

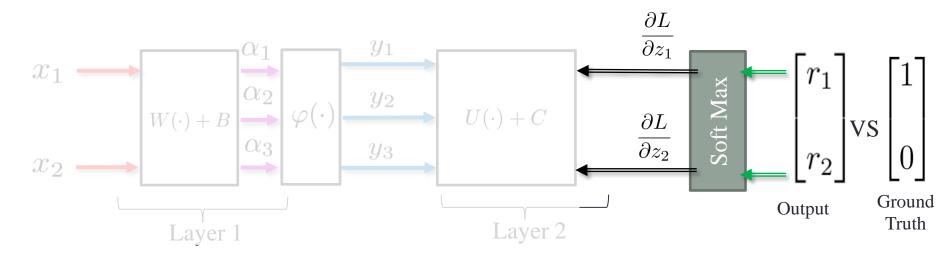


$$\begin{bmatrix} \alpha_1 \\ \alpha_2 \\ \alpha_3 \end{bmatrix} = \begin{bmatrix} w_{11} & w_{12} \\ w_{21} & w_{22} \\ w_{31} & w_{32} \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \end{bmatrix} + \begin{bmatrix} b_1 \\ b_2 \\ b_3 \end{bmatrix}$$

$$\begin{bmatrix} \alpha_1 \\ \alpha_2 \\ \alpha_3 \end{bmatrix} = \begin{bmatrix} w_{11} & w_{12} \\ w_{21} & w_{22} \\ w_{31} & w_{32} \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \end{bmatrix} + \begin{bmatrix} b_1 \\ b_2 \\ b_3 \end{bmatrix} \quad \begin{bmatrix} z_1 \\ z_2 \end{bmatrix} = \begin{bmatrix} u_{11} & w_{12} & u_{13} \\ u_{21} & w_{22} & u_{23} \end{bmatrix} \begin{bmatrix} y_1 \\ y_2 \\ y_3 \end{bmatrix} + \begin{bmatrix} c_1 \\ c_2 \end{bmatrix}$$

$$\begin{bmatrix} y_1 \\ y_2 \\ y_3 \end{bmatrix} = \begin{bmatrix} \varphi(\alpha_1) \\ \varphi(\alpha_2) \\ \varphi(\alpha_3) \end{bmatrix}$$

#### Backward propagation; 2<sup>nd</sup> layer

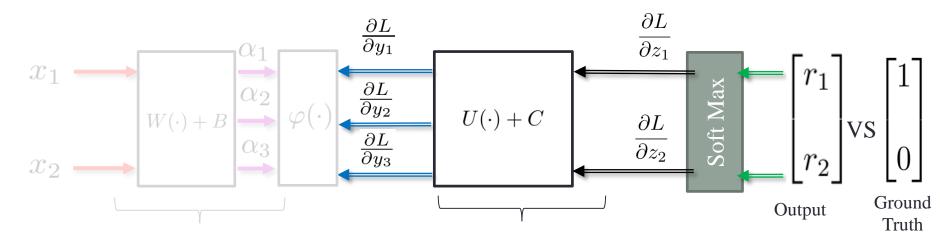


Error propagation

$$\frac{\partial L}{\partial z_1} = -1 + r_1$$

$$\frac{\partial L}{\partial z_2} = r_2$$

#### Backward propagation; 2<sup>nd</sup> layer



Error propagation

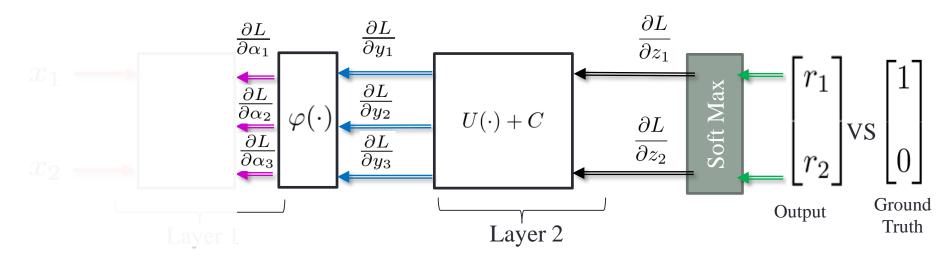
$$\begin{bmatrix} \frac{\partial L}{\partial y_1} \\ \frac{\partial L}{\partial y_2} \\ \frac{\partial L}{\partial y_2} \end{bmatrix} = \begin{bmatrix} u_{11} & u_{21} \\ u_{12} & u_{22} \\ u_{13} & u_{23} \end{bmatrix} \begin{bmatrix} \frac{\partial L}{\partial z_1} \\ \frac{\partial L}{\partial z_2} \end{bmatrix}$$

Weight update

$$\begin{bmatrix} \frac{\partial L}{\partial u_{11}} & \frac{\partial L}{\partial u_{12}} & \frac{\partial L}{\partial u_{13}} \\ \frac{\partial L}{\partial u_{21}} & \frac{\partial L}{\partial u_{22}} & \frac{\partial L}{\partial u_{23}} \end{bmatrix} = \begin{bmatrix} \frac{\partial L}{\partial z_1} \\ \frac{\partial L}{\partial z_2} \end{bmatrix} \begin{bmatrix} y_1 & y_2 & y_3 \end{bmatrix}$$

$$\begin{bmatrix} \frac{\partial L}{\partial c_1} \\ \frac{\partial L}{\partial L} \end{bmatrix} = \begin{bmatrix} \frac{\partial L}{\partial z_1} \\ \frac{\partial L}{\partial L} \end{bmatrix}$$

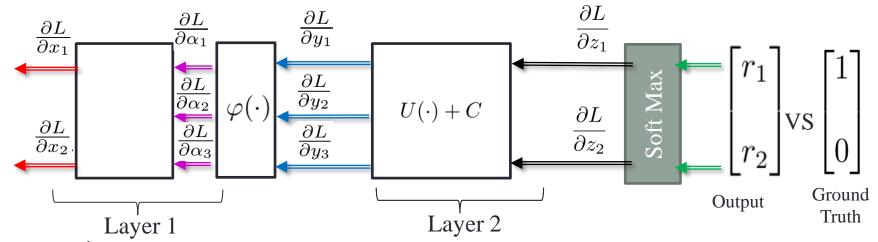
#### Backward propagation; 1st layer



• Error propagation

$$\begin{bmatrix} \frac{\partial L}{\partial \alpha_1} \\ \frac{\partial L}{\partial \alpha_2} \\ \frac{\partial L}{\partial \alpha_3} \end{bmatrix} = \begin{bmatrix} \varphi'(\alpha_1) & 0 & 0 \\ 0 & \varphi'(\alpha_2) & 0 \\ 0 & 0 & \varphi'(\alpha_3) \end{bmatrix} \begin{bmatrix} \frac{\partial L}{\partial y_1} \\ \frac{\partial L}{\partial y_2} \\ \frac{\partial L}{\partial y_3} \end{bmatrix}$$

## Backward propagation; 1st layer



Error propagation

$$\begin{bmatrix} \frac{\partial L}{\partial x_1} \\ \frac{\partial L}{\partial x_2} \end{bmatrix} = \begin{bmatrix} w_{11} & w_{21} & w_{31} \\ w_{12} & w_{22} & w_{32} \end{bmatrix} \begin{bmatrix} \frac{\partial L}{\partial \alpha_1} \\ \frac{\partial L}{\partial \alpha_2} \\ \frac{\partial L}{\partial \alpha_3} \end{bmatrix}$$

• Weight update
$$\begin{bmatrix} \frac{\partial L}{\partial w_{11}} & \frac{\partial L}{\partial w_{12}} \\ \frac{\partial L}{\partial w_{21}} & \frac{\partial L}{\partial w_{22}} \end{bmatrix} = \begin{bmatrix} \frac{\partial L}{\partial \alpha_1} \\ \frac{\partial L}{\partial \alpha_2} \\ \frac{\partial L}{\partial w_{31}} & \frac{\partial L}{\partial w_{32}} \end{bmatrix} \begin{bmatrix} x_1 & x_2 \end{bmatrix}$$

$$\begin{bmatrix} \frac{\partial L}{\partial b_1} \\ \frac{\partial L}{\partial a_1} \end{bmatrix} \begin{bmatrix} \frac{\partial L}{\partial \alpha_1} \\ \frac{\partial L}{\partial a_2} \end{bmatrix}$$

$$\begin{bmatrix} \frac{\partial L}{\partial b_1} \\ \frac{\partial L}{\partial b_2} \end{bmatrix} = \begin{bmatrix} \frac{\partial L}{\partial \alpha_1} \\ \frac{\partial L}{\partial \alpha_2} \\ \frac{\partial L}{\partial \alpha_2} \end{bmatrix}$$

## TENSORFLOW 실습

#### TENSORFLOW INTRODUCTION

#### What is TensorFlow?

- TensorFlow is a deep learning library open-sourced by Google.
- TensorFlow provides primitives for defining functions on tensors and automatically computing their derivatives.
- Tensor is a multidimensional array of numbers

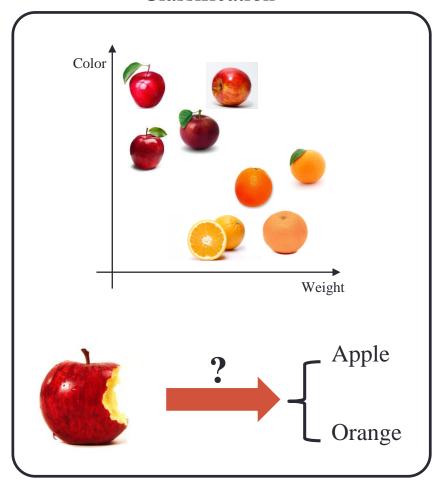


#### Design Choice

- Network structures
  - The mathematical relationship between inputs and outputs
- Loss function
- Optimization
  - Optimization methods
  - Hyper-parameters (Batch size, Learning rate, ...)

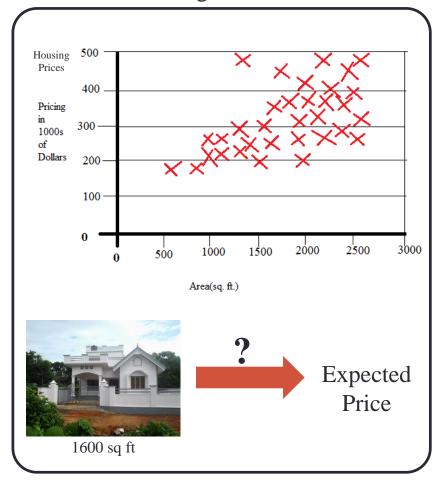
#### Classification vs Regression

Classification



The variable we are trying to predict is **DISCRETE** 

Regression



The variable we are trying to predict is **CONTINUOUS** 

#### MNIST dataset (classification example)

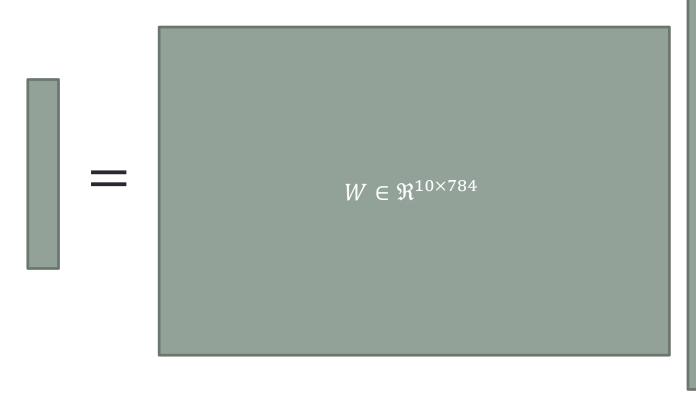
- handwritten digits
- a training set of 60,000 examples
- 28x28 images

CLASSIFIER	PREPROCESSING	TEST ERROR RATE (%)	Reference						
Linear Classifiers									
linear classifier (1-layer NN)	none 12.0 <u>L</u>		LeCun et al. 1998						
linear classifier (1-layer NN)	deskewing	8.4	LeCun et al. 1998						
pairwise linear classifier	deskewing	7.6	LeCun et al. 1998						
Non-Linear Classifiers									
40 PCA + quadratic classifier	none	3.3	LeCun et al. 1998						
1000 RBF + linear classifier	none	3.6	LeCun et al. 1998						
	SVMs								
SVM, Gaussian Kernel	none	1.4							
SVM deg 4 polynomial	deskewing	1.1	LeCun et al. 1998						
Reduced Set SVM deg 5 polynomial	deskewing	1.0	LeCun et al. 1998						
Virtual SVM deg-9 poly [distortions]	none	0.8	LeCun et al. 1998						
Virtual SVM, deg-9 poly, 1-pixel jittered	none	0.68	DeCoste and Scholkopf, MLJ 2002						
Virtual SVM, deg-9 poly, 1-pixel jittered	deskewing	0.68	DeCoste and Scholkopf, MLJ 2002						
Virtual SVM, deg-9 poly, 2-pixel jittered	deskewing	0.56	DeCoste and Scholkopf, MLJ 2002						
	Neural Nets								
2-layer NN, 300 hidden units, mean square error	none	4.7	LeCun et al. 1998						
2-layer NN, 300 HU, MSE, [distortions]	none	3.6	LeCun et al. 1998						
2-layer NN, 300 HU	deskewing	1.6	LeCun et al. 1998						
2-layer NN, 1000 hidden units	none	4.5	LeCun et al. 1998						
2-layer NN, 1000 HU, [distortions]	none	3.8	LeCun et al. 1998						
3-layer NN, 300+100 hidden units	none	3.05	LeCun et al. 1998						
3-layer NN, 300+100 HU [distortions]	none	2.5	LeCun et al. 1998						
3-layer NN, 500+150 hidden units	none	2.95	LeCun et al. 1998						
3-layer NN, 500+150 HU [distortions]	none	2.45	LeCun et al. 1998						
3-layer NN, 500+300 HU, softmax, cross entropy, weight decay	none	1.53	Hinton, unpublished, 2005						
2-layer NN, 800 HU, Cross-Entropy Loss	none	1.6	Simard et al., ICDAR 2003						
2-layer NN, 800 HU, cross-entropy [affine distortions]	none	1.1	Simard et al., ICDAR 2003						
2-layer NN, 800 HU, MSE [elastic distortions]	none	0.9	Simard et al., ICDAR 2003						

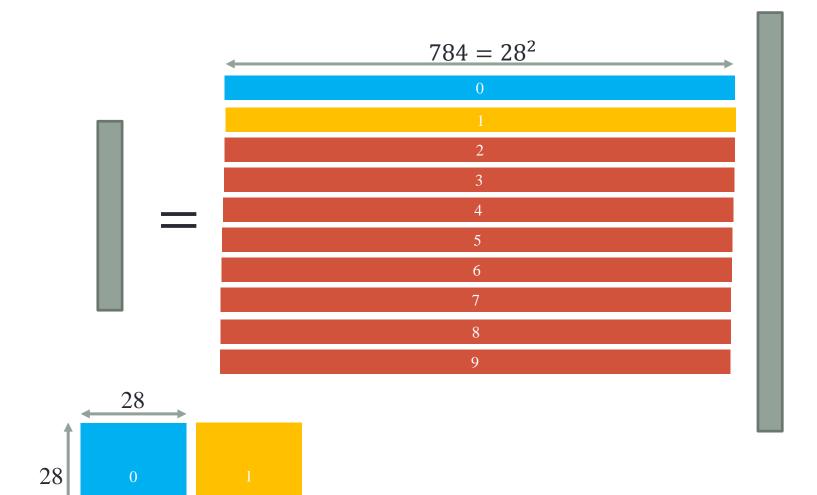
	Convolutional nets							
Convolutional net LeNet-1	subsampling to 16x16 pixels	1.7	LeCun et al. 1998					
Convolutional net LeNet-4	none	1.1	LeCun et al. 1998					
Convolutional net LeNet-4 with K-NN instead of last layer	none 1.1		LeCun et al. 1998					
Convolutional net LeNet-4 with local learning instead of last layer	none	LeCun et al. 1998						
Convolutional net LeNet-5, [no distortions]	none	0.95	LeCun et al. 1998					
Convolutional net LeNet-5, [huge distortions]	none	0.85	LeCun et al. 1998					
Convolutional net LeNet-5, [distortions]	none	0.8	LeCun et al. 1998					
Convolutional net Boosted LeNet-4, [distortions]	none	0.7	LeCun et al. 1998					
Trainable feature extractor + SVMs [no distortions]	none	0.83	Lauer et al., Pattern Recognition 40-6, 2007					
Trainable feature extractor + SVMs [elastic distortions]	none	0.56	Lauer et al., Pattern Recognition 40-6, 2007					
Trainable feature extractor + SVMs [affine distortions]	none		Lauer et al., Pattern Recognition 40-6, 2007					
unsupervised sparse features + SVM, [no distortions]	none 0.59		<u>Labusch et al., IEEE TNN 2008</u>					
Convolutional net, cross-entropy [affine distortions]	none	0.6	Simard et al., ICDAR 2003					
Convolutional net, cross-entropy [elastic distortions]	none	0.4	Simard et al., ICDAR 2003					
large conv. net, random features [no distortions]	none	0.89	Ranzato et al., CVPR 2007					
large conv. net, unsup features [no distortions]	none	0.62	Ranzato et al., CVPR 2007					
large conv. net, unsup pretraining [no distortions]	none	0.60	Ranzato et al., NIPS 2006					
large conv. net, unsup pretraining [elastic distortions]	none	0.39	Ranzato et al., NIPS 2006					
large conv. net, unsup pretraining [no distortions]	none	0.53	Jarrett et al., ICCV 2009					
large/deep conv. net, 1-20-40-60-80-100-120-120-10 [elastic distortions]	none	0.35	Ciresan et al. IJCAI 2011					
committee of 7 conv. net, 1-20-P-40-P-150-10 [elastic distortions]	width normalization	0.27 +-0.02	Ciresan et al. ICDAR 2011					
committee of 35 conv. net, 1-20-P-40-P-150-10 [elastic distortions]	width normalization	0.23	Ciresan et al. CVPR 2012					

# Classification Example Code

• Classification Example



# Classification Example Code



# Regression Example Code

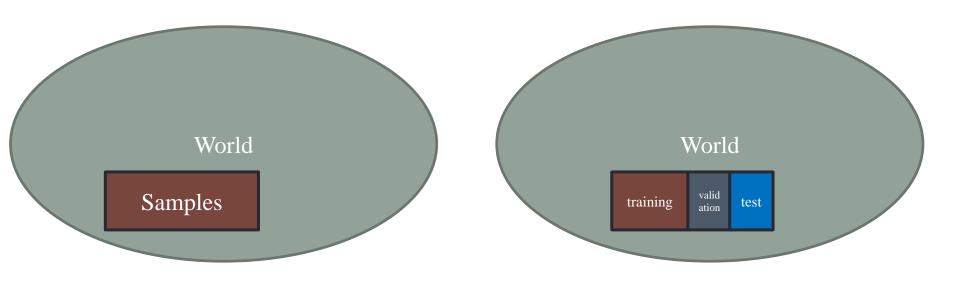
• Regression Example

# VALIDATION

					Tasks						
					Self Driving						
					Localizati on	Perception	Planning/ Control	Driver state	Vehicle Diagnosis	Smart factory	
Methods	Traditional	Non-machine Learning		GPS, SLAM		Optimal control					
		M	Supervised	MLP		Pedestrian detection (HOG+SVM)					
	Deep-Learning based	achine-Lear		CNN		Detection/ Segmentat ion/Classif ication	End-to- end Learning				
		Machine-Learning based method	ised	RNN (LSTM)		Dry/wet road classificati on	End-to- end Learning				
		meth		DNN							
		bol	Re	einforcement						-	
			U	nsupervised							
							·				

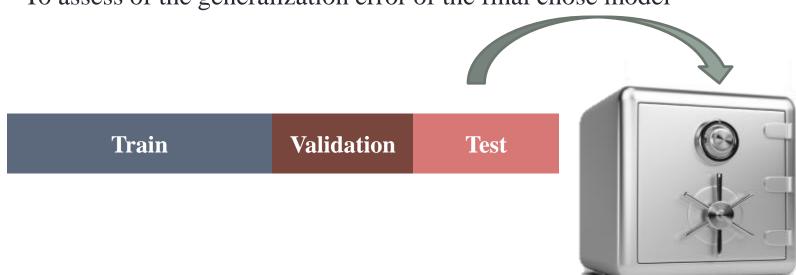
# Validation set approach

- Divide the data in three parts:
  - training, validation (development), and test. We use the train and validation data to select the best model and the test data to assess the chosen model.



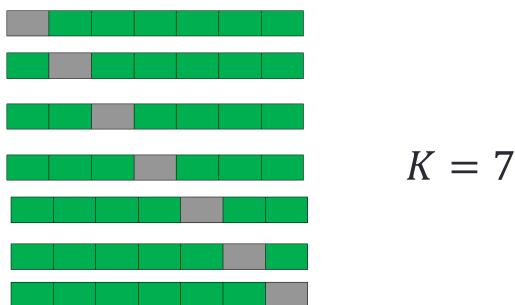
# Validation set approach

- Training set
  - To fit the models
- Validation set
  - To estimate prediction error for model selection
- Test set
  - To assess of the generalization error of the final chose model

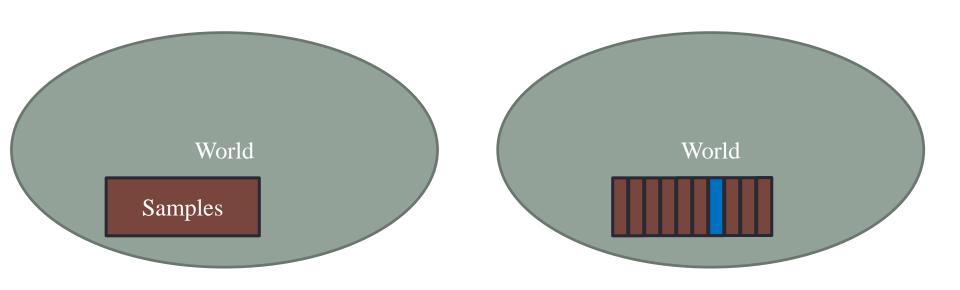


## k-fold cross validation

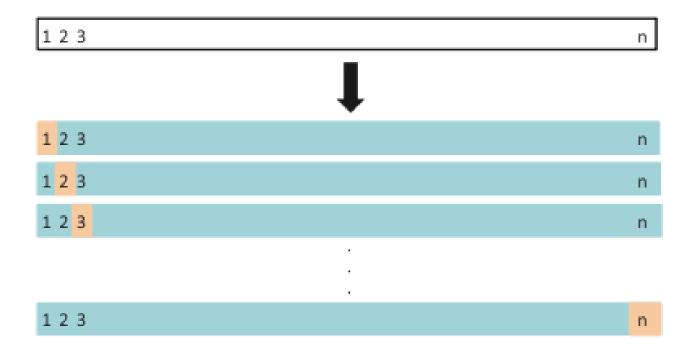
• We partition the data into K parts. For the k —th part, we fit the model to the other K-1 parts of the data, and calculate the prediction error of the fitted model when predicting the kth part of the data. We do this for  $k=1,2,\cdots,K$  and combine the K estimates



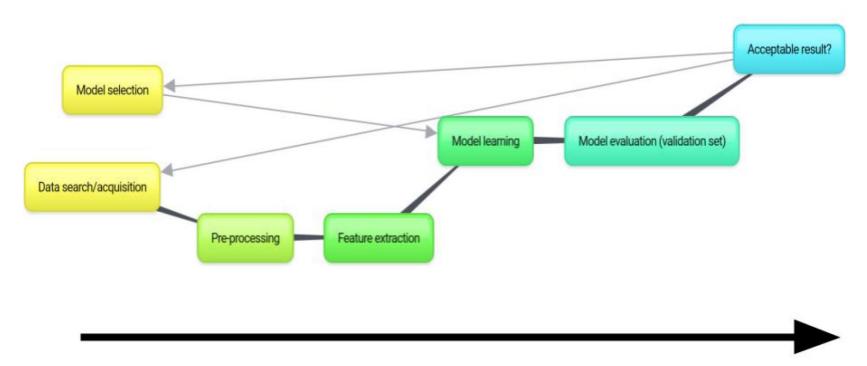
## k-Fold cross validation



## Leave-one-out cross validation



# Development Cycle



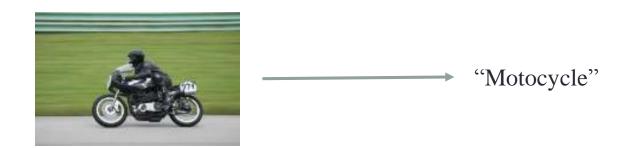
Development cycle/time

# 전통적인 접근법

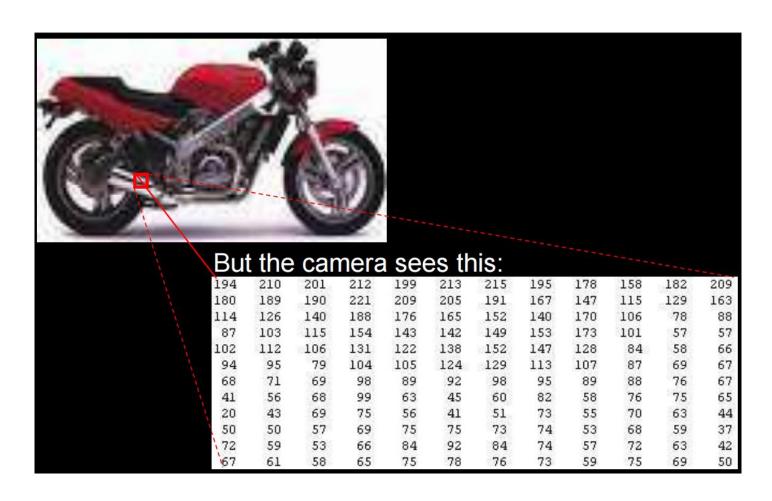
Ta							sks			
					Self Driving					
					Localizati on	Perception	Planning/ Control	Driver state	Vehicle Diagnosis	Smart factory
Methods	Traditional	Non-machine Learning			GPS, SLAM		Optimal control			
		M		MLP		Pedestrian detection (HOG+SVM)				
	Deep-Learning based	achine-Leaı	Supervised	CNN		Detection/ Segmentat ion/Classif ication	End-to- end Learning			
		ning based	g based methc	RNN (LSTM)		Dry/wet road classificati on	End-to- end Learning			
		meth		DNN						
		nod		einforcement						-
			U	nsupervised						

# Conventional approach

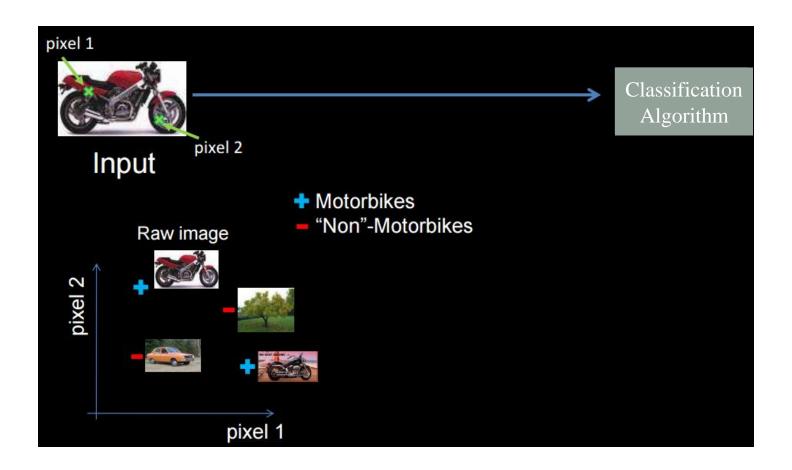
• Image classification



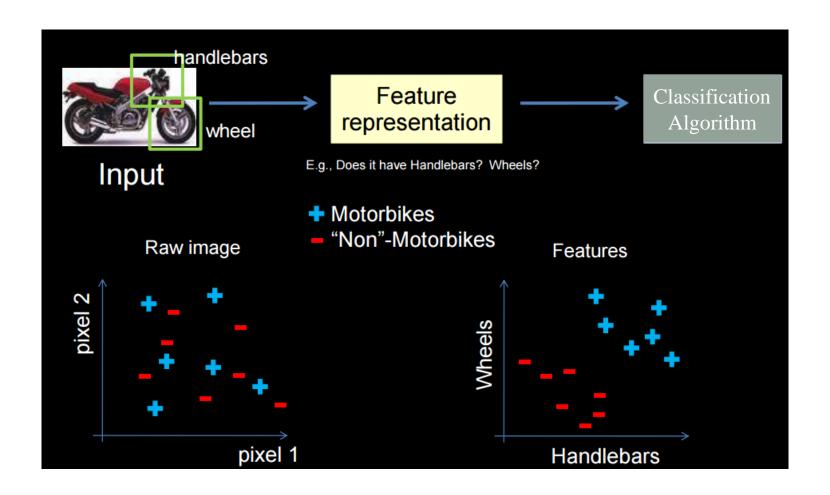
# Why is this hard?



# Feature representation

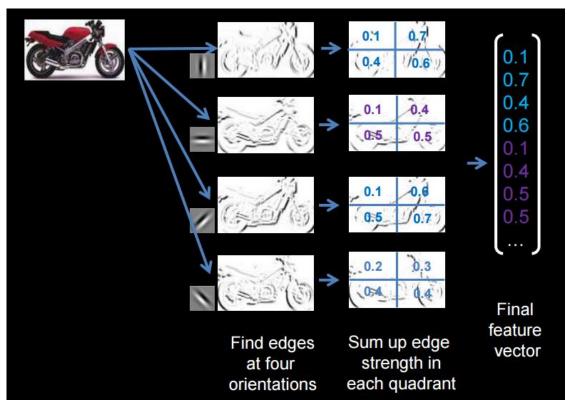


# Feature representation

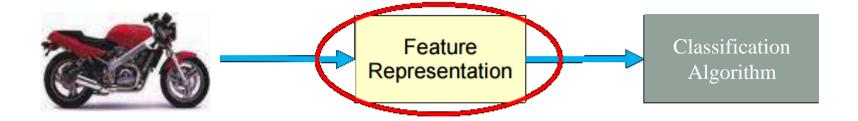


#### Example of Feature Representation

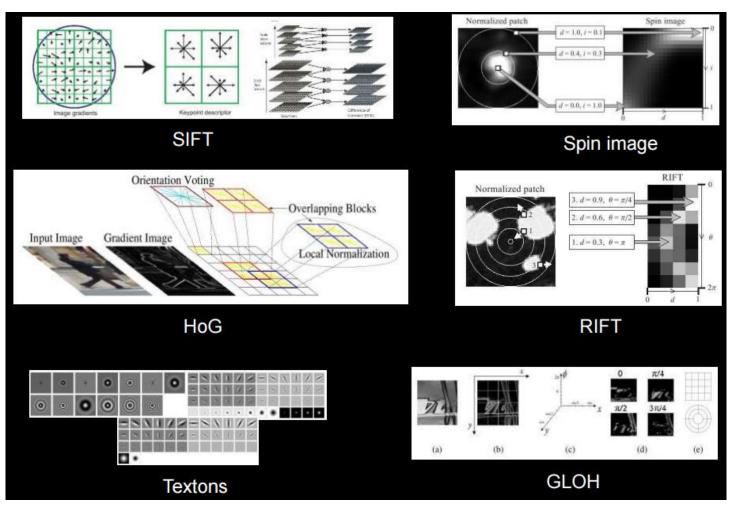
• But, ... we don't have a handlebars detector. So, researchers try to handdesign features to capture various statistical properties of the image



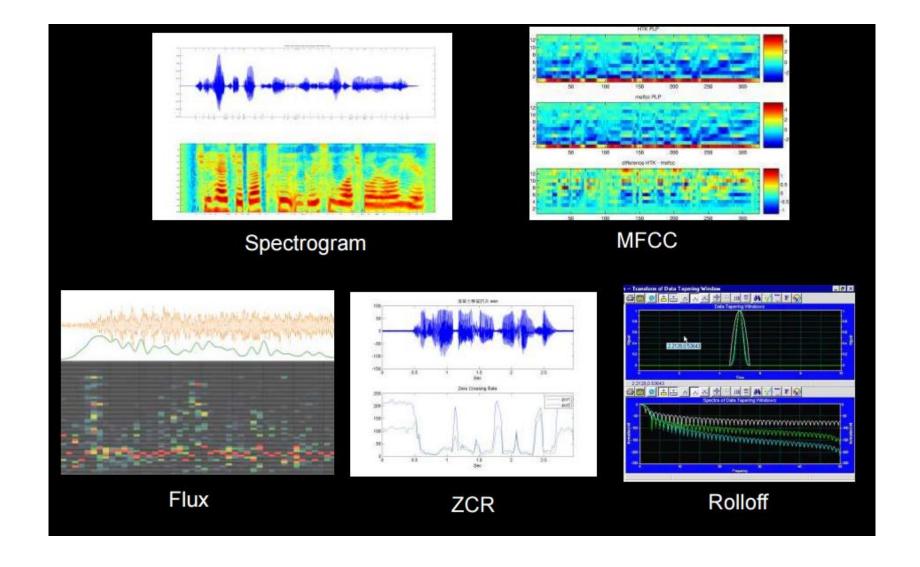
# Feature representation



# Computer vision features



## Audio features



# Traditional pattern recognition

• Fixed/engineered feature + trainable classifier



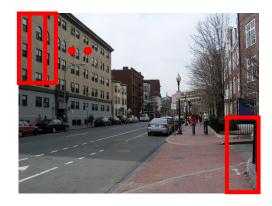
# CASE STUDY: PEDESTRIAN DETECTOR

							TD.	,			
					Tasks						
						ADAS					
						Self Driving					
					Localizati on	Perception	Planning/ Control	Driver state	Vehicle Diagnosis	Smart factory	
	Trad	Non-machine Learning			GPS, SLAM		Optimal control				
	Traditional	M		MLP		Pedestrian detection (HOG+SVM)					
Methods	Dee	achine-Lear	Supervised  Machine-Learning based method	CNN		Detection/ Segmentat ion/Classif ication	End-to- end Learning				
	Deep-Learning	ning based		RNN (LSTM)		Dry/wet road classificati on	End-to- end Learning				
	base	meth		DNN							
	þ	nod	Re	einforcement							
			U	Insupervised							
	ng based	ed method		einforcement		on					

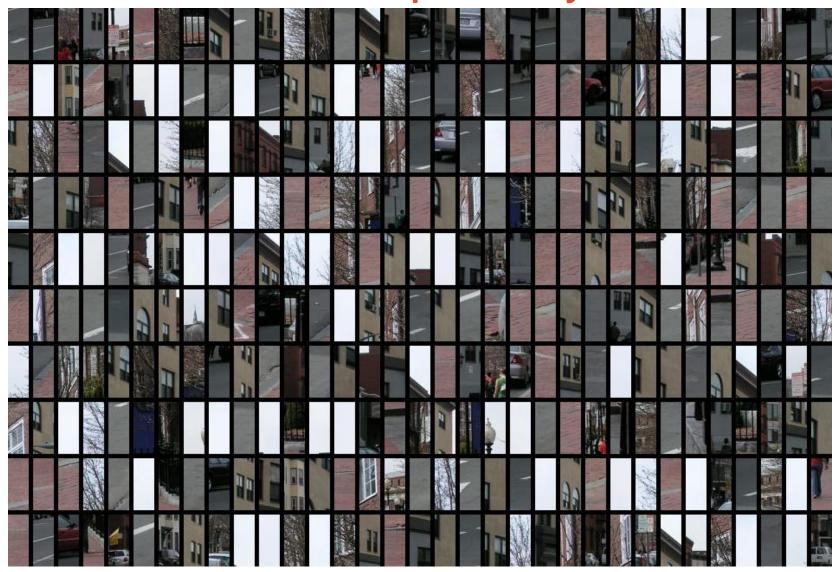
#### Detection problem → (binary) classification problem

Sliding window scheme





# Each window is separately classified



# Training data

- 64x128 images of humans cropped from a varied set of personal photos
  - Positive data 1239 positive window examples (reflections->2478)

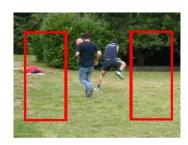


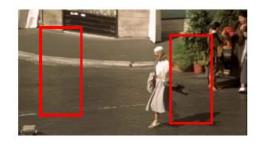






• Negative data – 1218 person-free training photos (12180 patches)

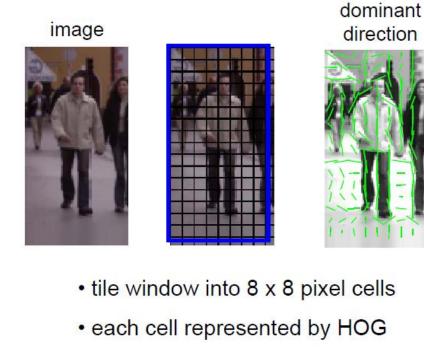


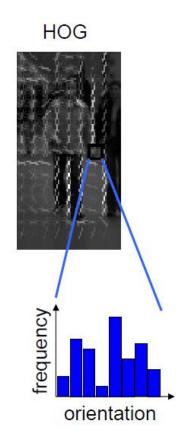


# **Training**

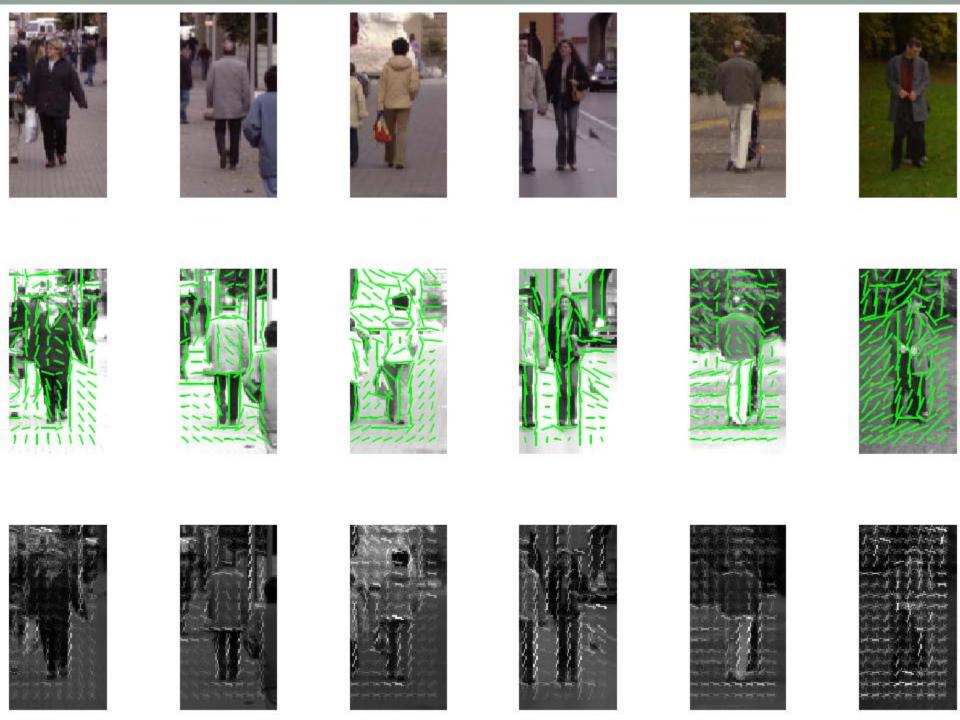
- A preliminary detector
  - Trained with (2478) vs (12180) samples
- Retraining
  - With augmented data set
    - initial 12180 + hard examples
  - Hard examples
    - 1218 negative training photos are searched exhaustively for false positive

## Feature: histogram of oriented gradients (HOG)

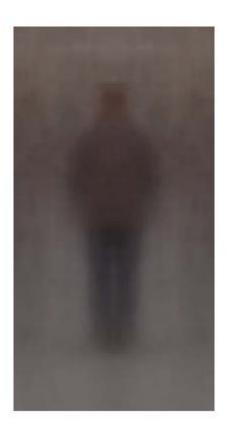


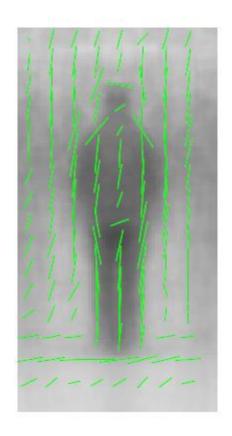


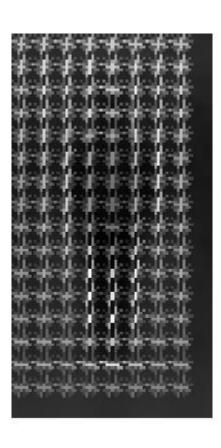
Feature vector dimension = 16 x 8 (for tiling) x 8 (orientations) = 1024



# Averaged examples



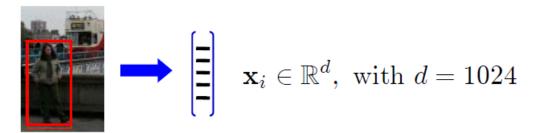




# Algorithm

#### Training (Learning)

Represent each example window by a HOG feature vector



Train a SVM classifier

#### Testing (Detection)

Sliding window classifier

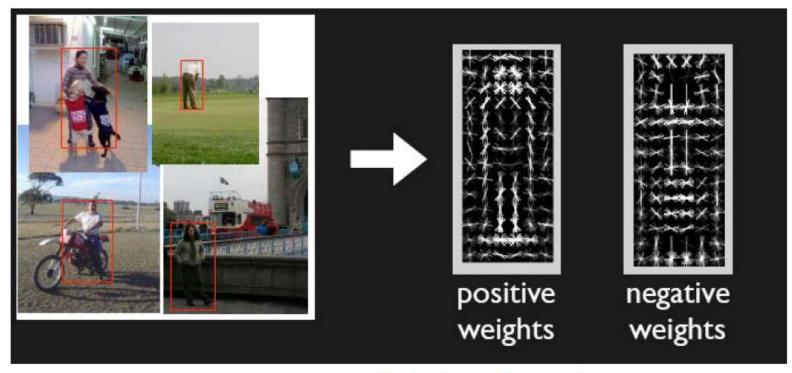
$$f(x) = \mathbf{w}^{\top} \mathbf{x} + b$$



Dalal, Navneet, and Bill Triggs. "Histograms of oriented gradients for human detection." 2005 IEEE Computer Society Conference on Computer Vision and Pattern Recognition (CVPR'05). Vol. 1. IEEE, 2005.

## Learned model

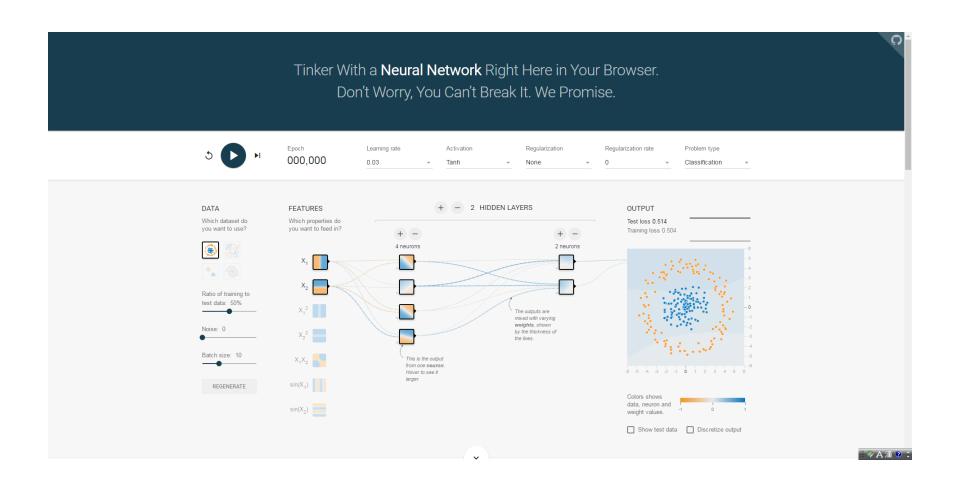
$$f(\mathbf{x}) = \mathbf{w}^{\top} \mathbf{x} + b$$



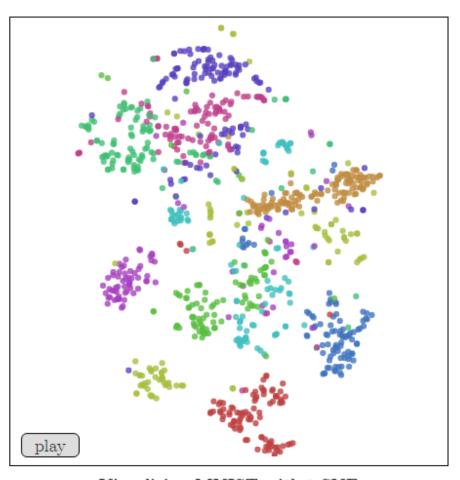
Slide from Deva Ramanan

# BACKUPS

# http://playground.tensorflow.org/



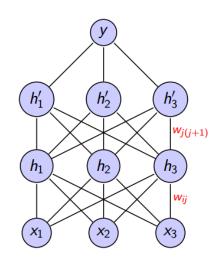
## Visualization MNIST with t-SNE

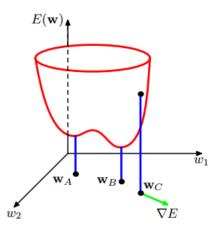


Visualizing MNIST with t-SNE

## Why are Deep Architectures hard to train?

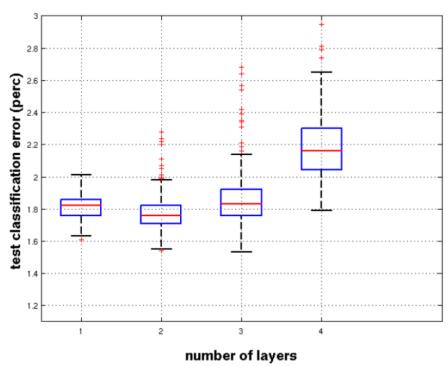
- Vanishing gradient problem in backpropagation.
- Local Optimum (saddle points?) Issue in Neural Nets
  - For Deep Architectures, back-propagation is apparently getting a local optimum (saddle points?) that does not generalize well





# Empirical Results: Poor performance of Backpropagation on Deep Neural Nets [Erhan et al., 2009]

- MNIST digit classification task; 400 trials (random seed)
- Each layer: initialize weights with random numbers
- Although L+1 layers is more expressive, worse error than L layers.



#### Al Winters

#### Two major episodes:

- 1974-80
- 1987-93

#### Smaller episodes:

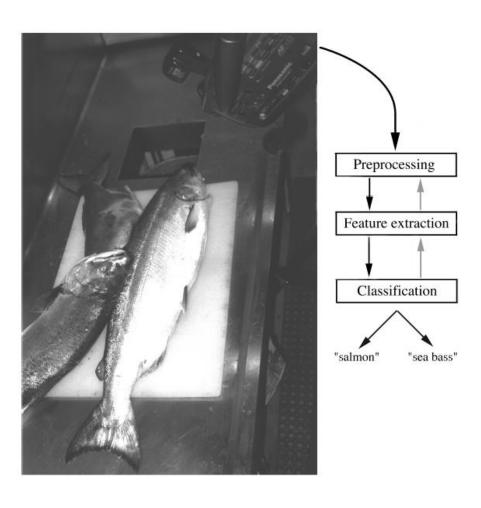
- 1966: the failure of machine translation
- 1970: the abandonment of connectionism
- 1971-75: DARPA's frustration with the Speech Understanding Research program
- 1973: the large decrease in AI research in the UK in response to the Lighthill report.
- 1973–74: DARPA's cutbacks to academic Al research in general
- 1987: the collapse of the Lisp machine market
- 1988: the cancellation of new spending on AI by the Strategic Computing Initiative
- 1993: expert systems slowly reaching the bottom
- 1990s: the quiet disappearance of the fifthgeneration computer project's original goals.

"In no part of the field have discoveries made so far produced the major impact that was then promised."



References: [18]

# An example



#### Feature extraction

#### Width feature

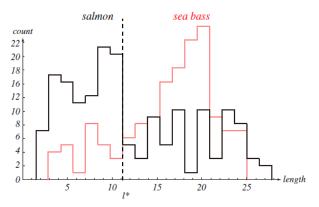
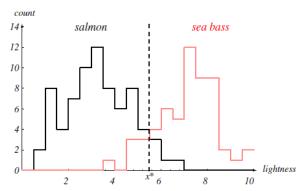


FIGURE 1.2. Histograms for the length feature for the two categories. No single threshold value of the length will serve to unambiguously discriminate between the two categories; using length alone, we will have some errors. The value marked *I\** will lead to the smallest number of errors, on average. From: Richard O. Duda, Peter E. Hart, and David G. Stork, *Pattern Classification*. Copyright © 2001 by John Wiley & Sons, Inc.

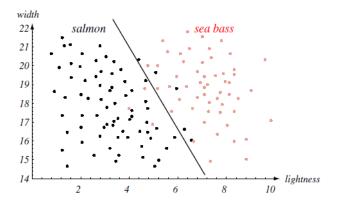
#### Lightness feature



**FIGURE 1.3.** Histograms for the lightness feature for the two categories. No single threshold value  $x^*$  (decision boundary) will serve to unambiguously discriminate between the two categories; using lightness alone, we will have some errors. The value  $x^*$  marked will lead to the smallest number of errors, on average. From: Richard O. Duda, Peter E. Hart, and David G. Stork, *Pattern Classification*. Copyright © 2001 by John Wiley & Sons, Inc.

## Classification

#### Simple model



#### Complex model

