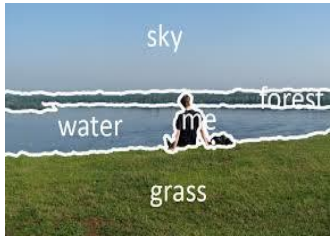
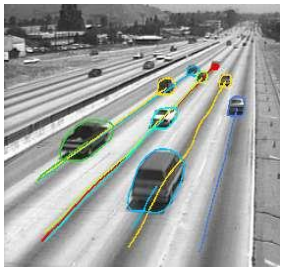
COMPUTER VISION

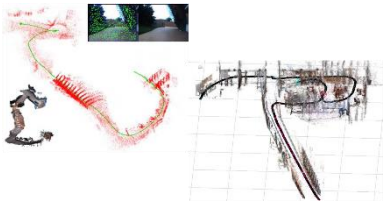
				Tasks					
				ADAS					
				Self Driving					
				Localization	Perception	Planning/ Control	Driver state	Vehicle Diagnosis	Smart factory
Methods	Traditional	Non-machine Learning		GPS, SLAM		Optimal control			
	Deep-Learning based	Machine-Learning based method	Supervised	SVM MLP	Pedestrian detection (HOG+SVM)				
				CNN	Detection/ Segmentation/Classification	End-to-end Learning			
				RNN (LSTM)	Dry/wet road classification	End-to-end Learning	Behavior Prediction/ Driver identification		*
				DNN				*	*
			Reinforcement			*			
			Unsupervised						*

Vision tasks

Object recognition	Object detection	Semantic segmentation	Object tracking	Visual SLAM







Semantic segmentation

- Building/road/sky/object/grass/water/tree

Clement Farabet, Camille Couprie, Laurent Najman and Yann LeCun: Learning Hierarchical Features for Scene Labeling, IEEE Transactions on Pattern Analysis and Machine Intelligence, August, 2013

Object tracking

Yi Wu, Jongwoo Lim, and Ming-Hsuan Yang, "Object Tracking Benchmark",
IEEE Transactions on Pattern Analysis and Machine Intelligence, 2015

Visual SLAM

				Tasks					
				ADAS					
				Self Driving					
				Localization	Perception	Planning/ Control	Driver state	Vehicle Diagnosis	Smart factory
Methods	Traditional	Non-machine Learning		GPS, SLAM		Optimal control			
	Deep-Learning based	Machine-Learning based method	Supervised	SVM MLP	Pedestrian detection (HOG+SVM)				
				CNN	Detection/ Segmentation/Classification	End-to-end Learning			
				RNN (LSTM)	Dry/wet road classification	End-to-end Learning	Behavior Prediction/ Driver identification		*
				DNN				*	*
			Reinforcement			*			
			Unsupervised						*

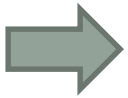
ORB-SLAM in the KITTI dataset

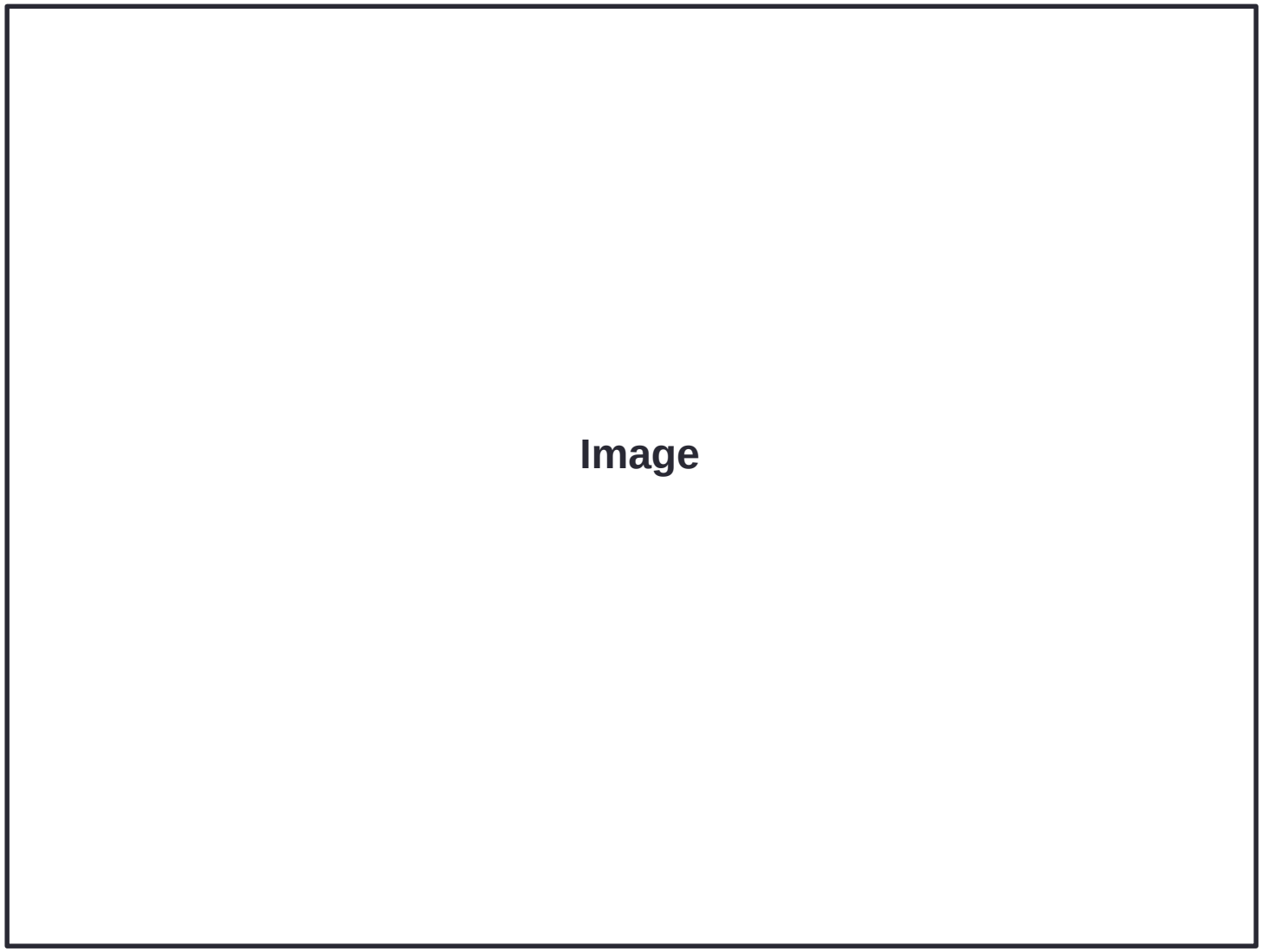
- ORB-SLAM2 is a real-time SLAM library for **Monocular**, **Stereo** and **RGB-D** cameras that computes the camera trajectory and a sparse 3D reconstruction

WHY UNDERSTANDING IMAGES IS HARD?

Why understanding images is hard

Very many sources of variability



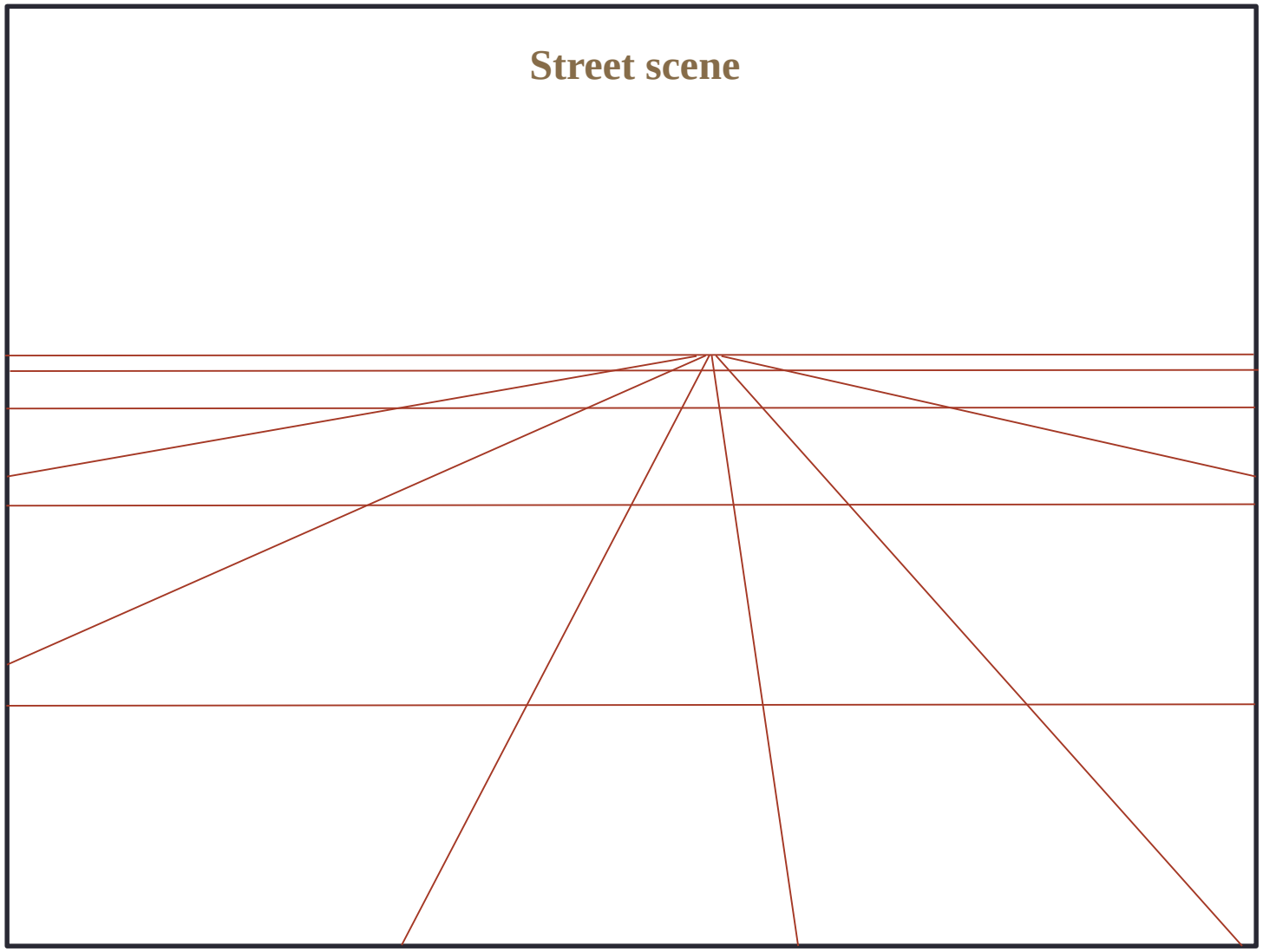


From J. Winn, MSR

Sources of image variability

Scene type

Scene geometry



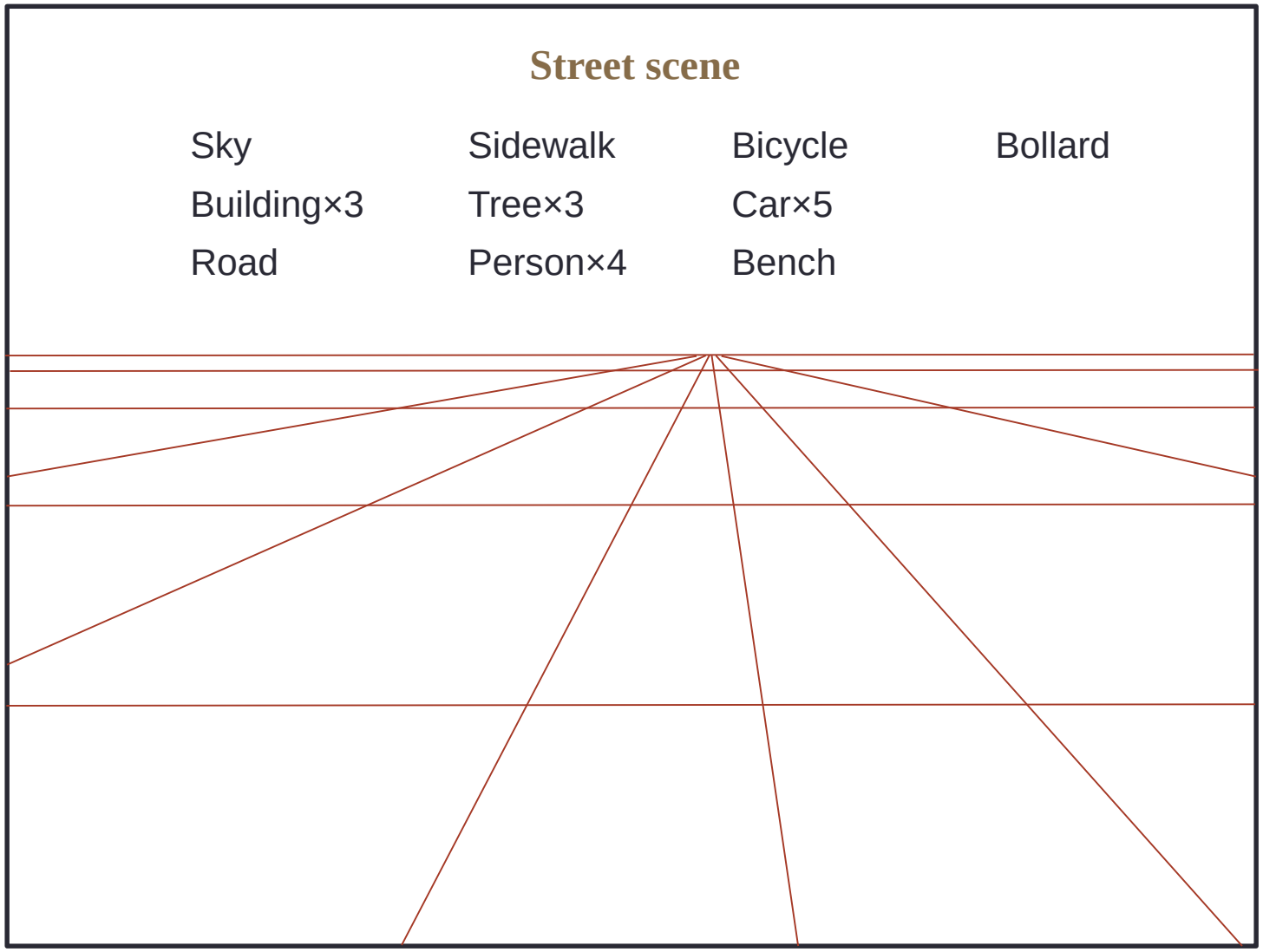
From J. Winn, MSR

Sources of image variability

Scene type

Scene geometry

Object classes



From J. Winn, MSR

Sources of image variability

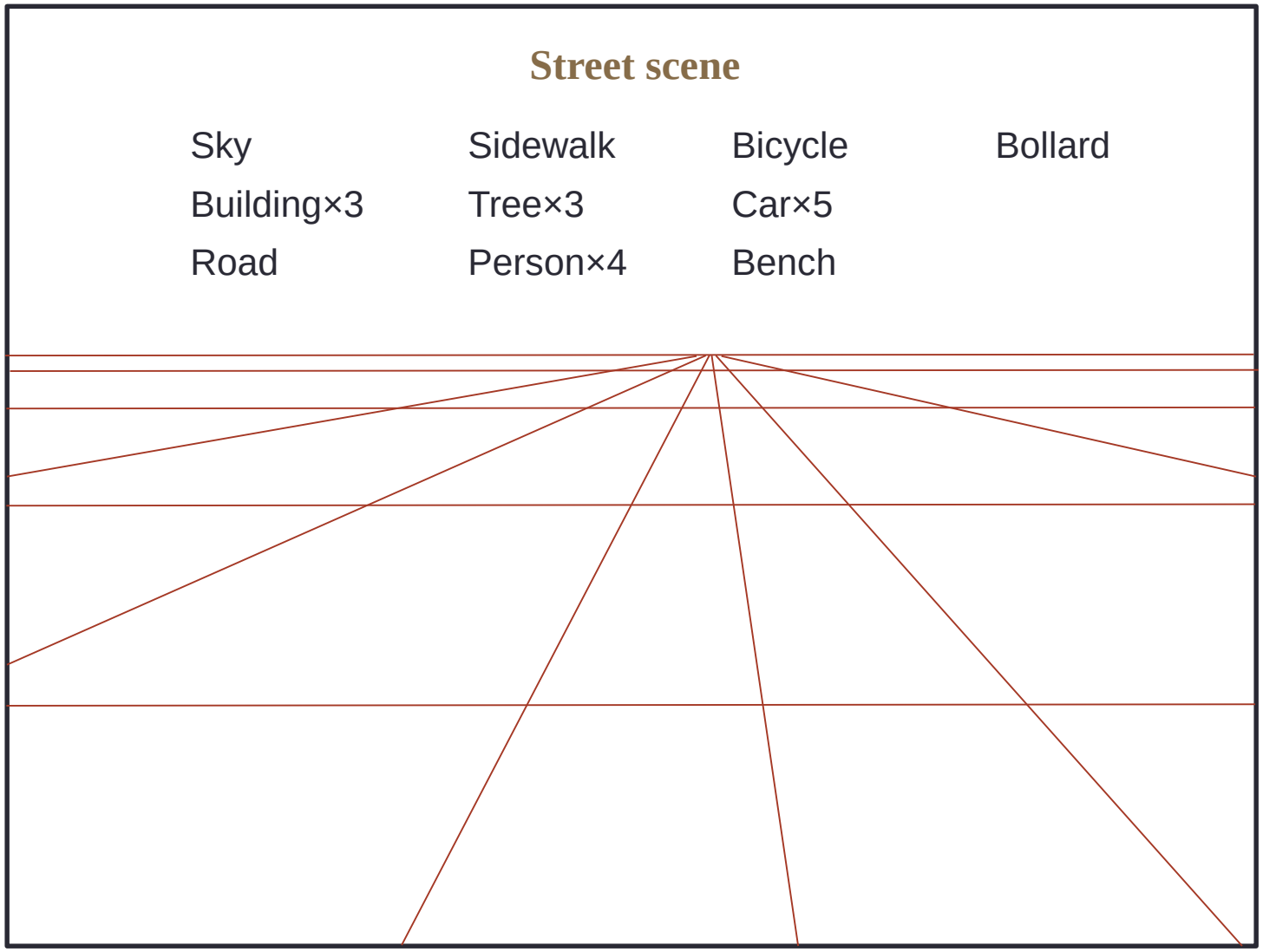
Scene type

Scene geometry

Object classes

Object position

Object orientation



From J. Winn, MSR

Sources of image variability

Scene type

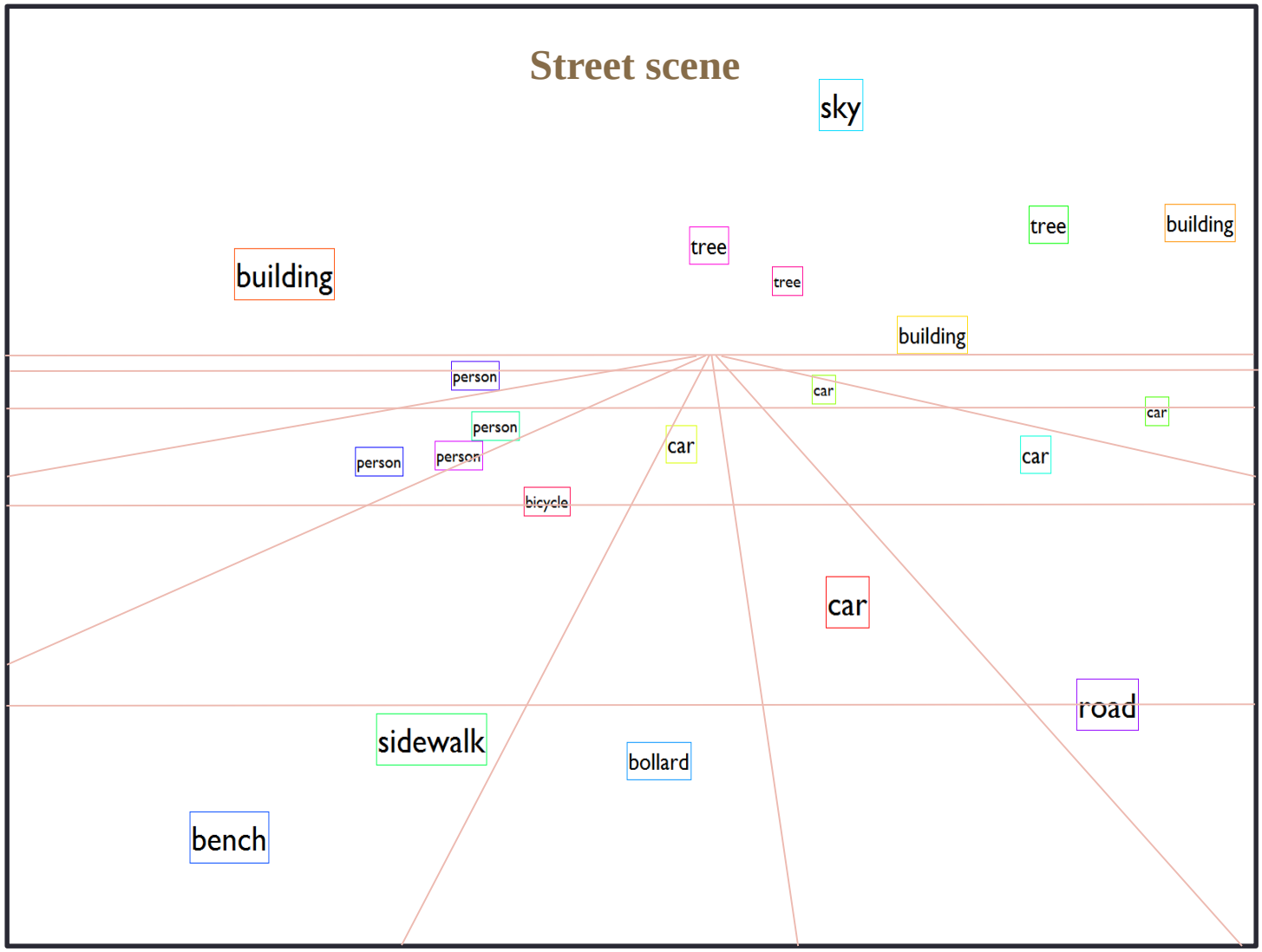
Scene geometry

Object classes

Object position

Object orientation

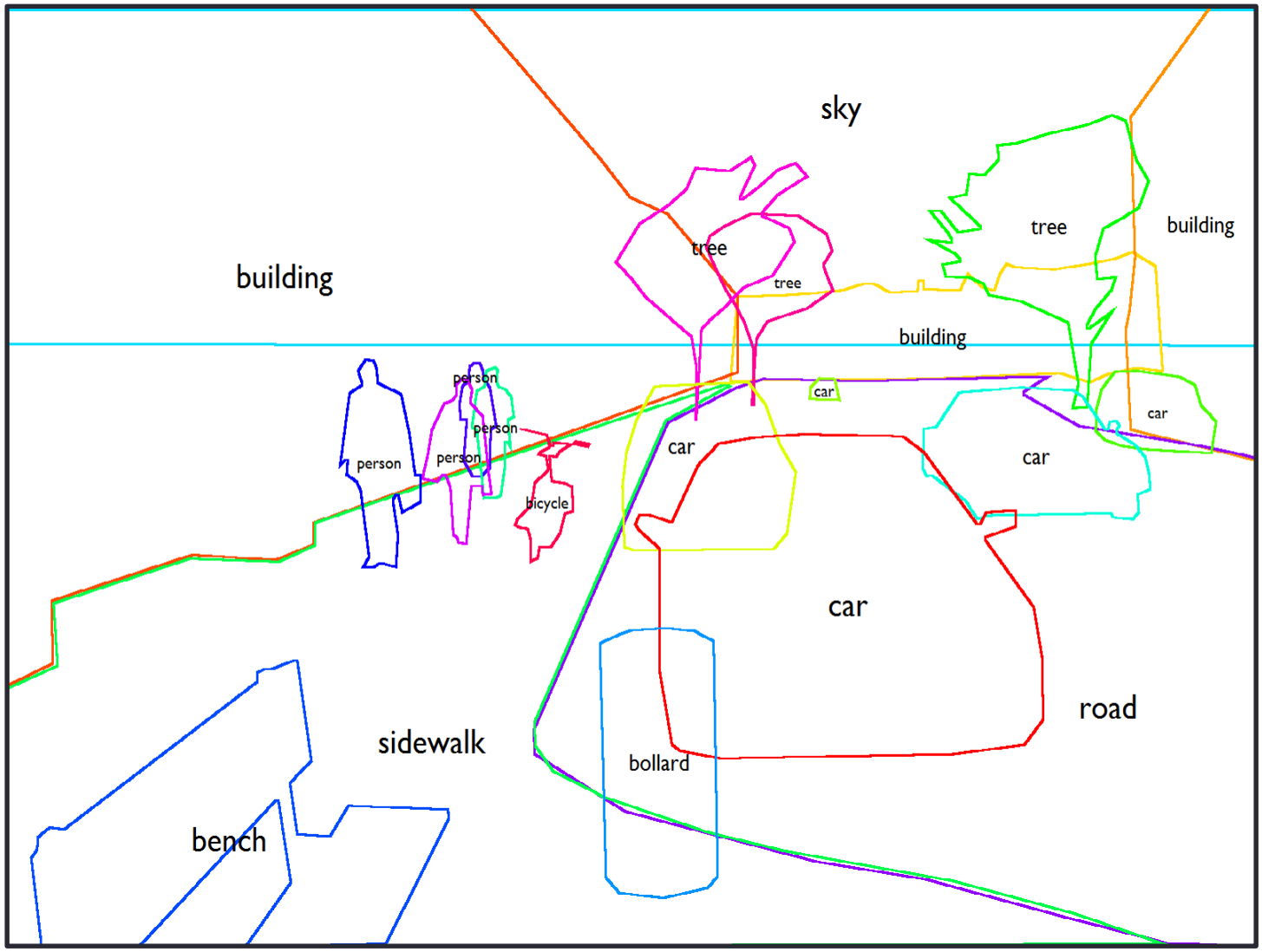
Object shape



From J. Winn, MSR

Sources of image variability

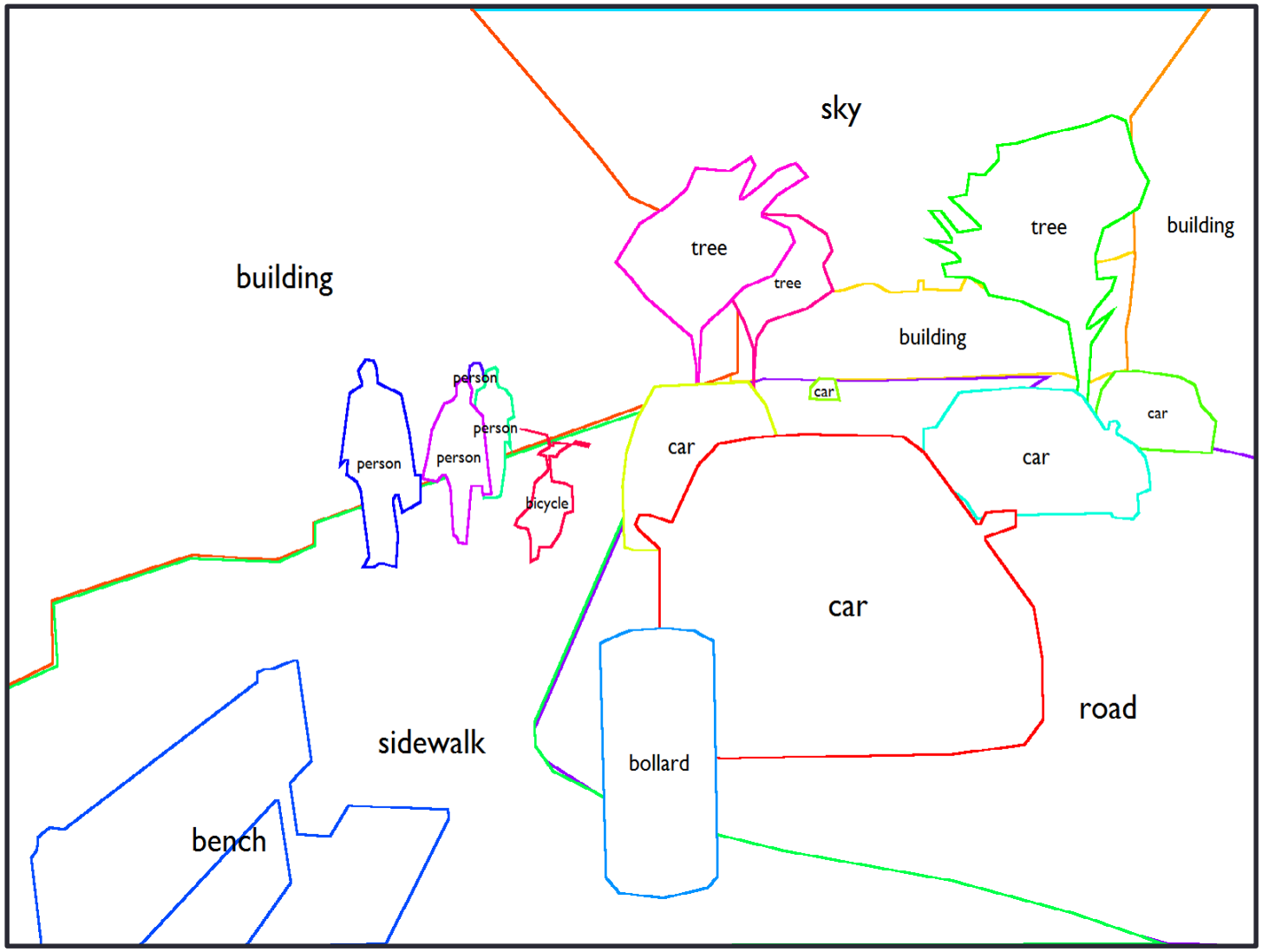
Scene type
Scene geometry
Object classes
Object position
Object orientation
Object shape
Depth/occlusions



From J. Winn, MSR

Sources of image variability

Scene type
Scene geometry
Object classes
Object position
Object orientation
Object shape
Depth/occlusions
Object appearance



From J. Winn, MSR

Sources of image variability

Scene type

Scene geometry

Object classes

Object position

Object orientation

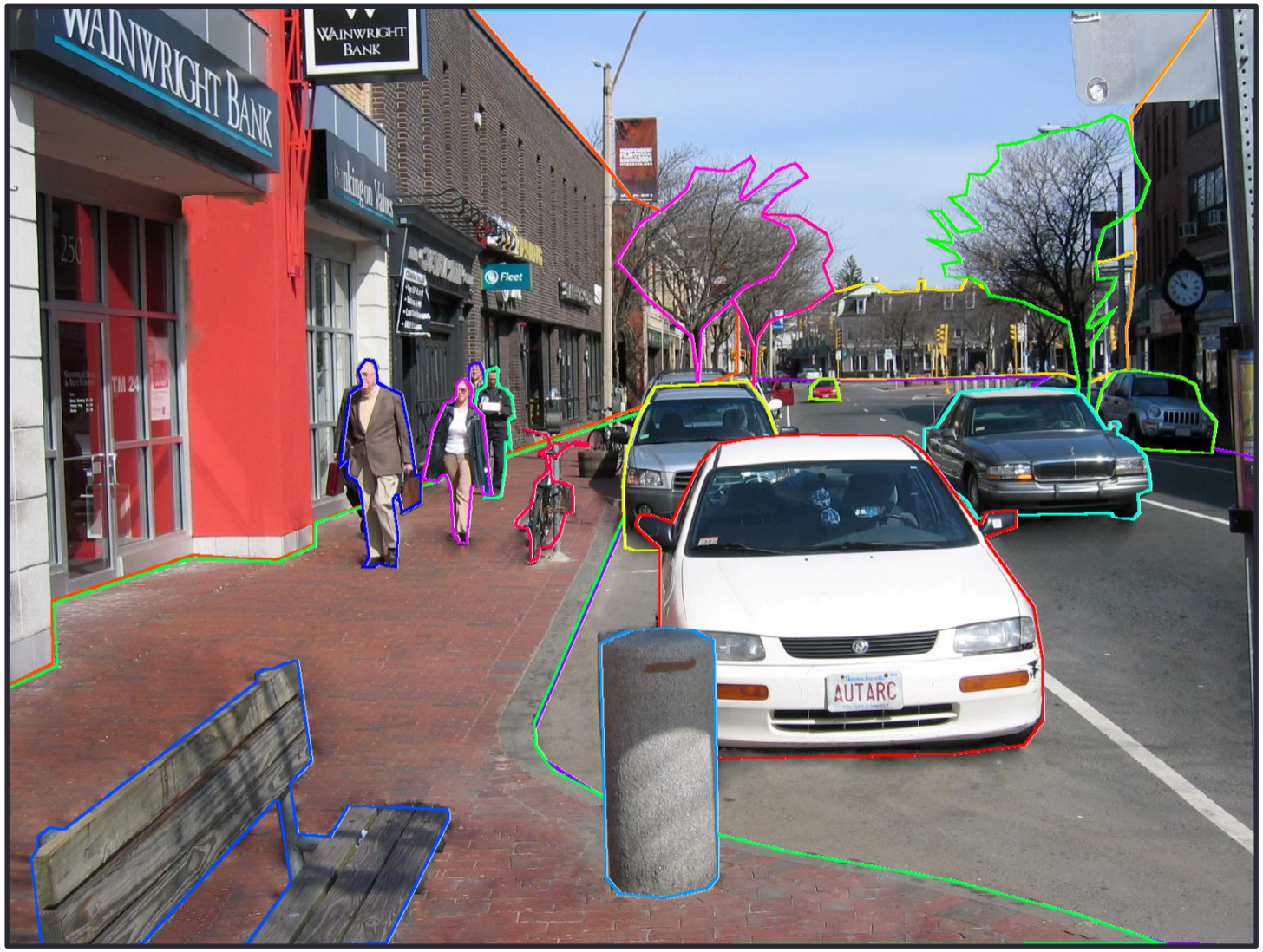
Object shape

Depth/occlusions

Object appearance

Illumination

Shadows



From J. Winn, MSR

Sources of image variability

Scene type

Scene geometry

Object classes

Object position

Object orientation

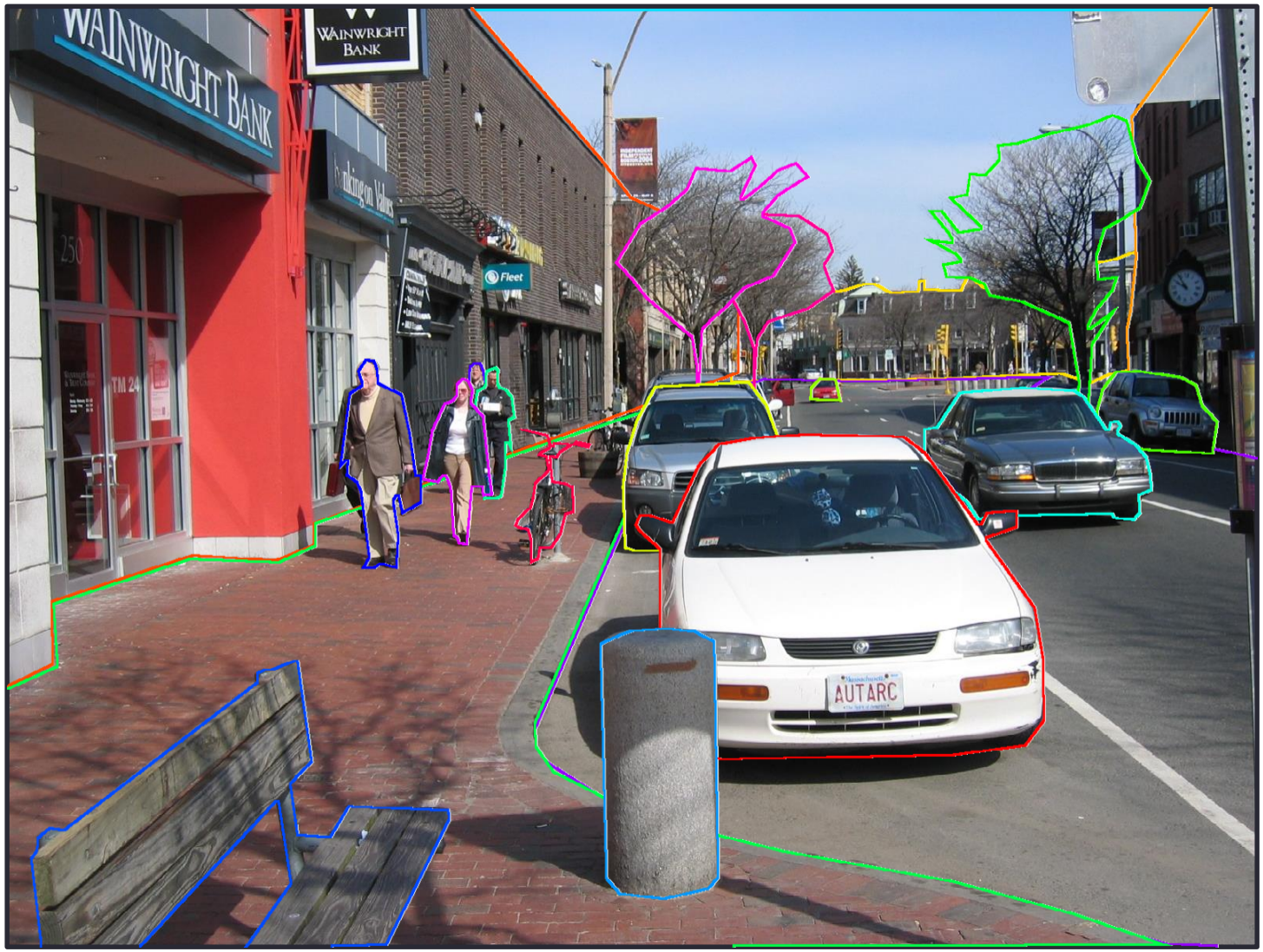
Object shape

Depth/occlusions

Object appearance

Illumination

Shadows



From J. Winn, MSR

Sources of image variability

Scene type

Scene geometry

Object classes

Object position

Object orientation

Object shape

Depth/occlusions

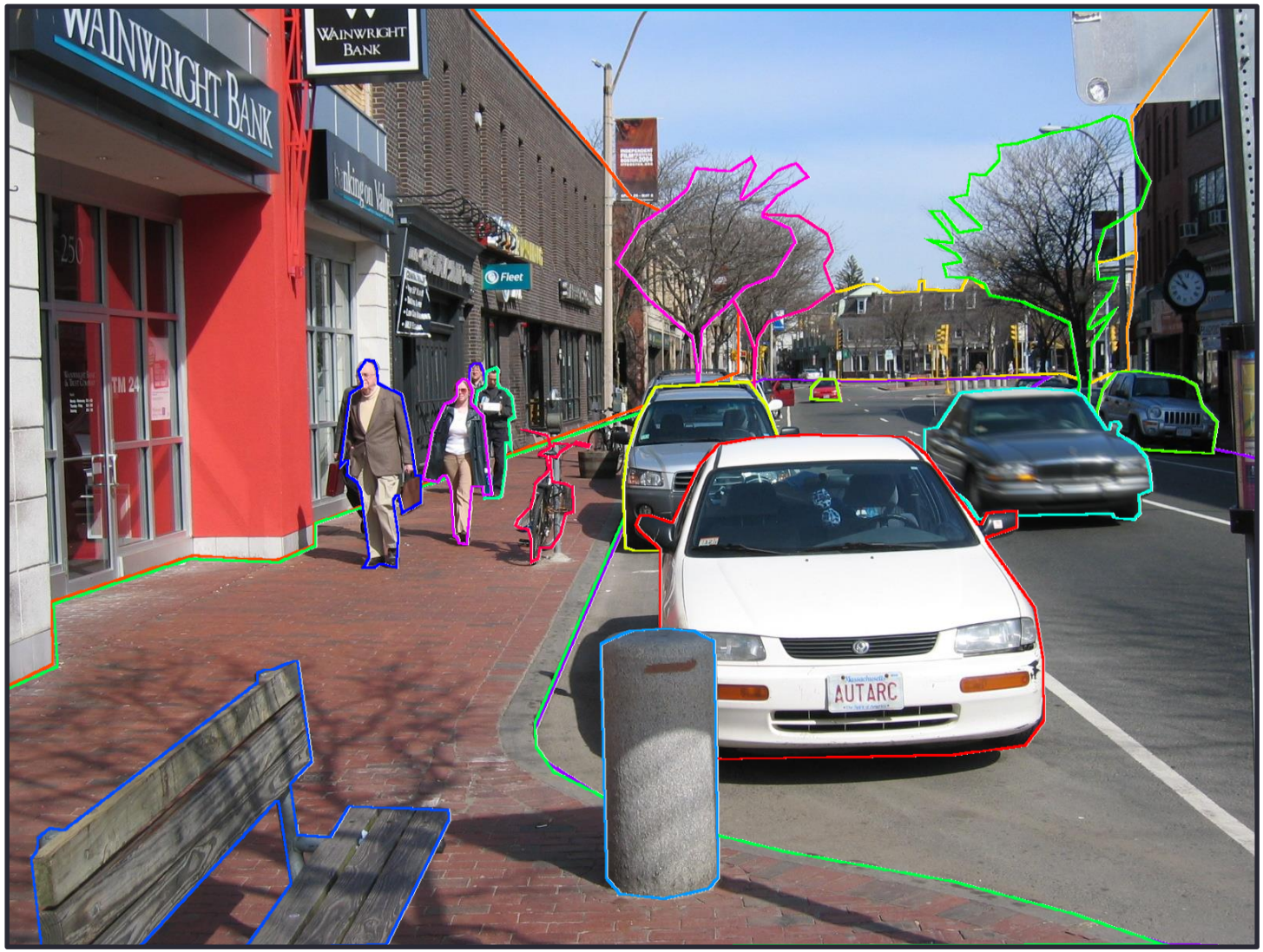
Object appearance

Illumination

Shadows

Motion blur

Camera effects



From J. Winn, MSR

Computer vision problems

Scene type

Scene geometry

Object classes

Object position

Object orientation

Object shape

Depth/occlusions

Object appearance

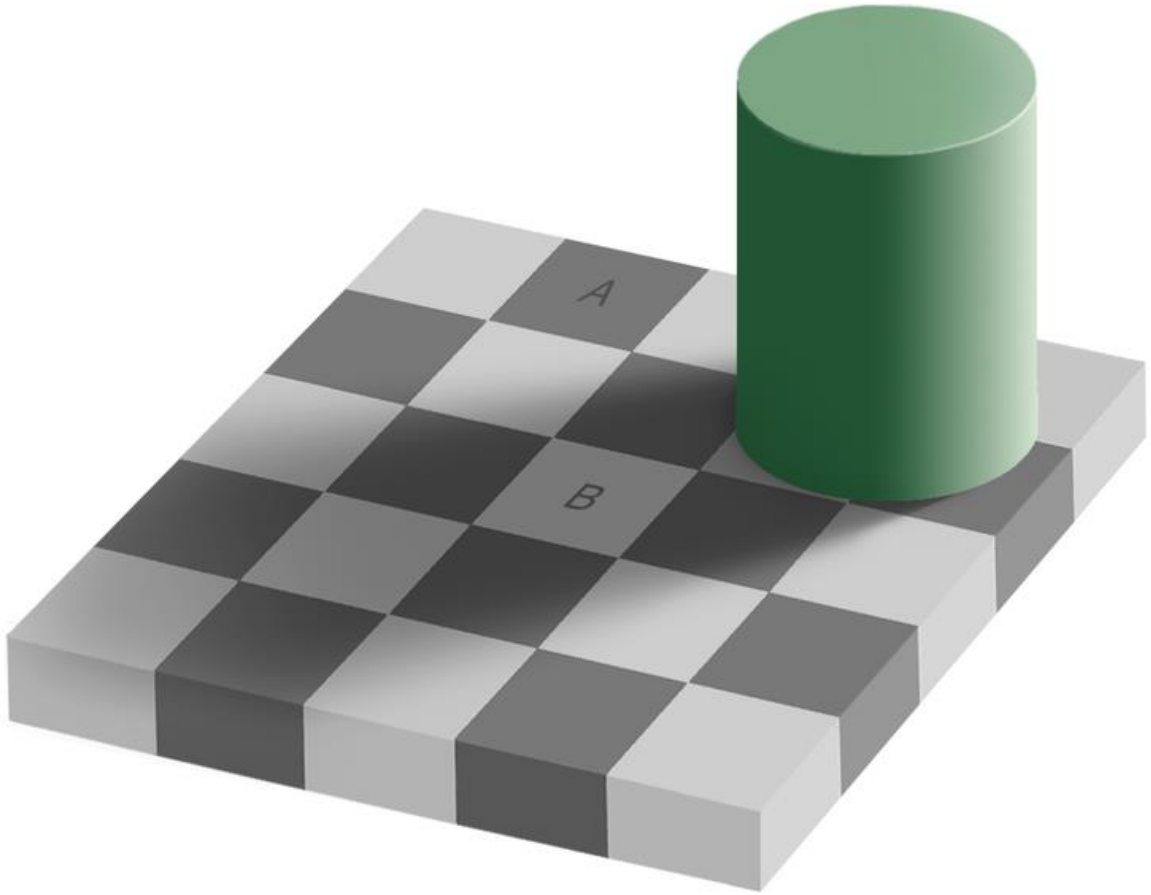
Illumination

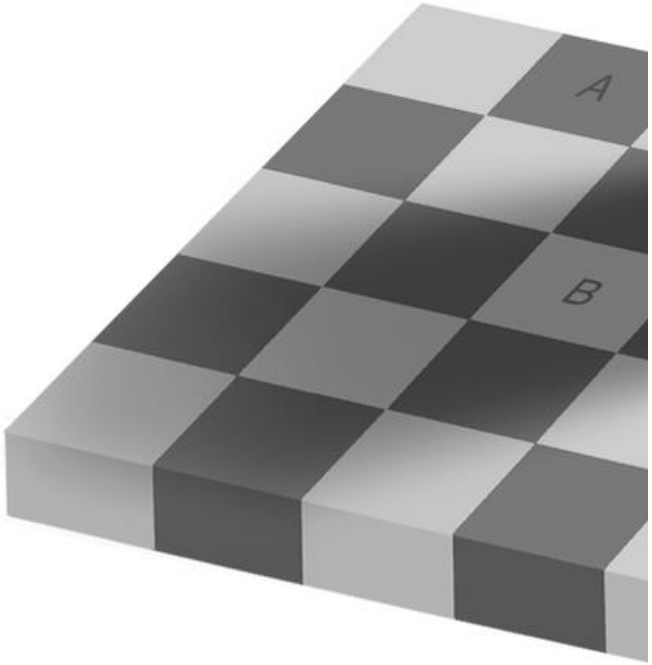
Shadows

Motion blur

Camera effects

Now you see me


A
B


A
B

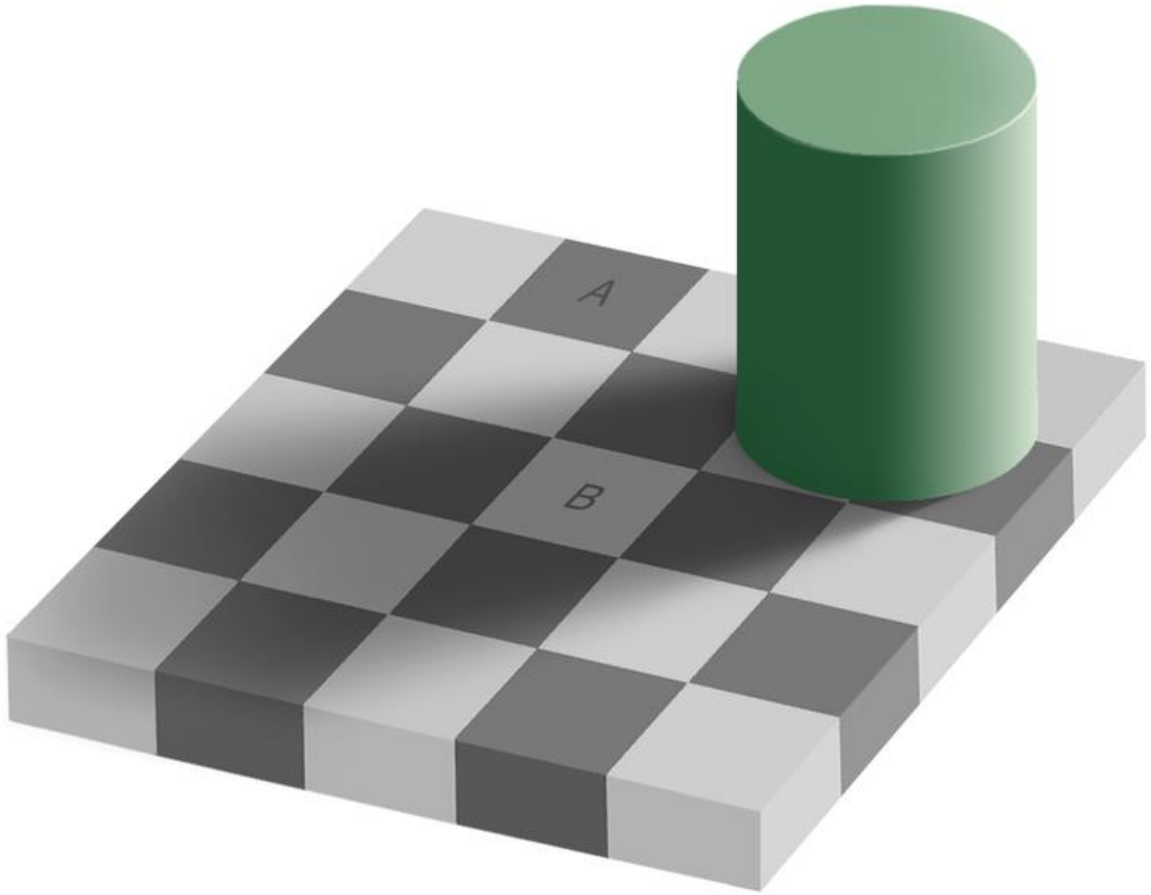

A
B

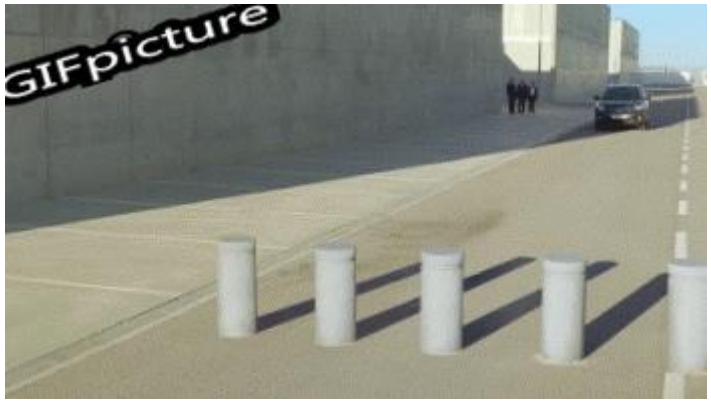

A
B


A
B


A


B


A
B


GIFpicture

MACHINE LEARNING

Neural network을 중심으로

				Tasks					
				ADAS					
				Self Driving					
				Localization	Perception	Planning/ Control	Driver state	Vehicle Diagnosis	Smart factory
Methods	Traditional	Non-machine Learning		GPS, SLAM		Optimal control			
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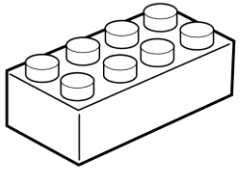
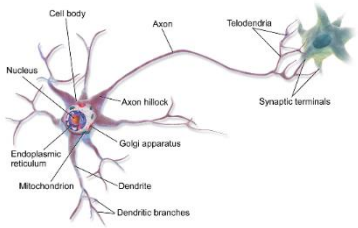
				CNN	Detection/ Segmentation/Classification	End-to-end Learning			
				RNN (LSTM)	Dry/wet road classification	End-to-end Learning			
				DNN					
			Reinforcement						
			Unsupervised						

LINEAR PERCEPTRON

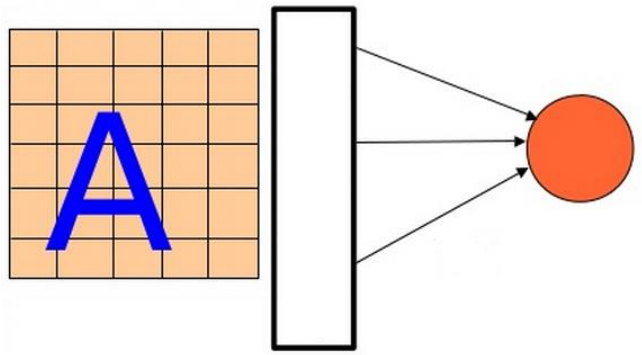
뉴런: 신경망의 기본 단위

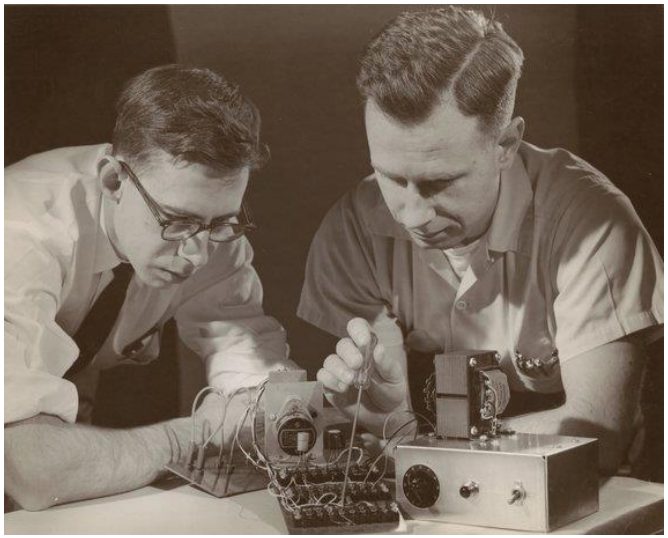



Cell body
Axon
Telodendria
Nucleus
Axon hillock
Synaptic terminals
Golgi apparatus
Endoplasmic reticulum
Mitochondrion
Dendrite
Dendritic branches

Basic model

- The first learning machine: the Perceptron (built in 1960)
- The perceptron was a linear classifier

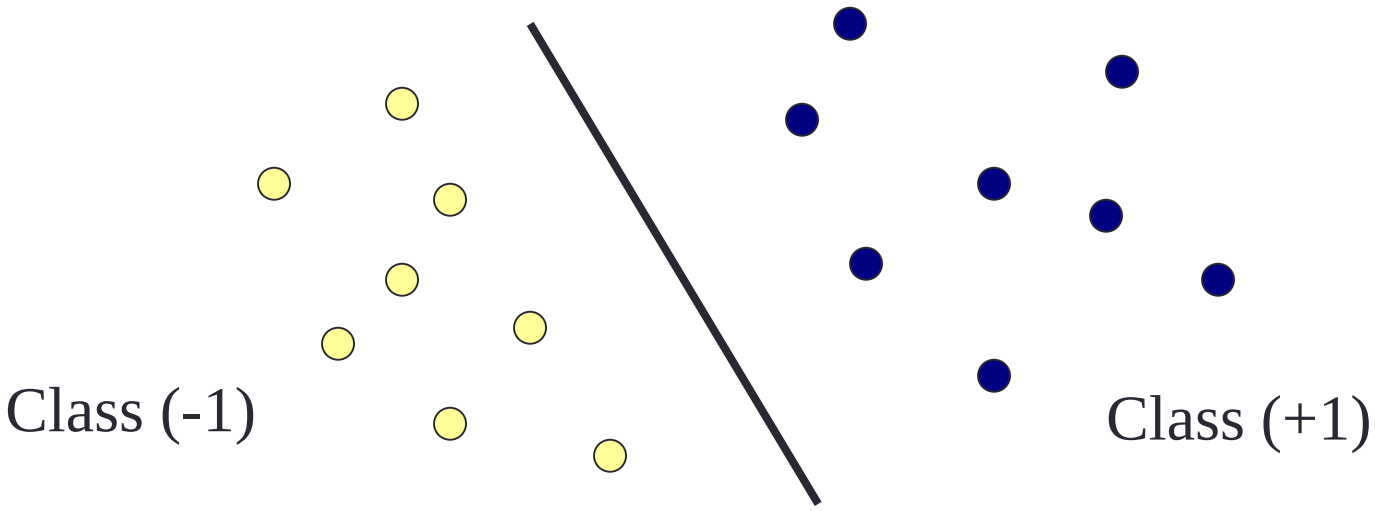




$$y = \text{sign}(\mathrm{w}^{\mathrm{T}}\mathrm{x} + \mathrm{b})$$

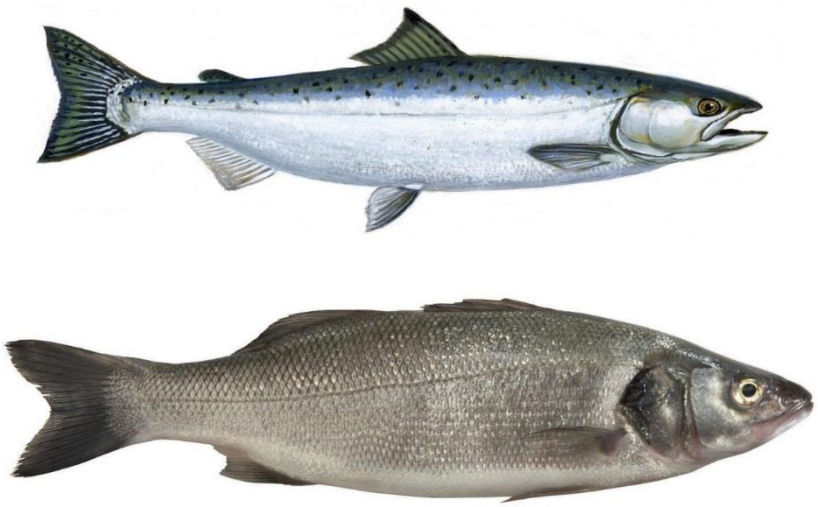
$$y = \begin{cases} +1 & \text{if } w_1x_1 + w_2x_2 + \cdots + w_nx_n + b > 0 \\ -1 & \text{otherwise} \end{cases}$$

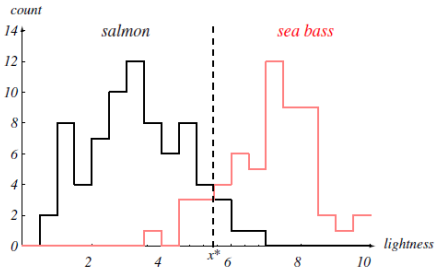
Linear Perceptron

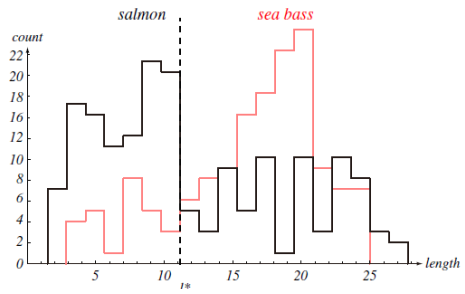


- The goal: Find the best line (or hyper-plane) to separate the training data.
  - In two dimensions, the equation of the line is given by a line:
    - $ax + by + c = 0$
  - A better notation for *n* dimensions: treat each data point and the coefficients as vectors. Then the equation is given by:
    - $\mathrm{w}^{\top}\mathrm{x} + \mathrm{b} = 0$

예시: 연어와 농어의 구별




count
salmon
sea bass
lightness
x*


salmon
sea bass
count
length
l*

예시: 연어와 농어의 구별

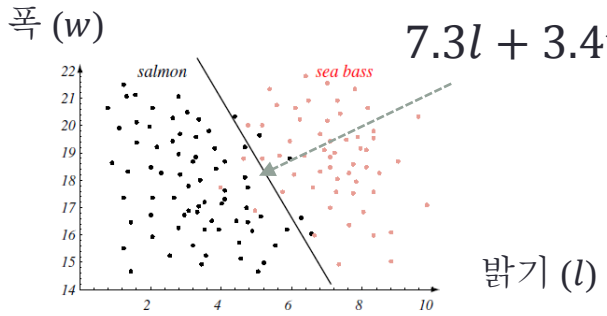
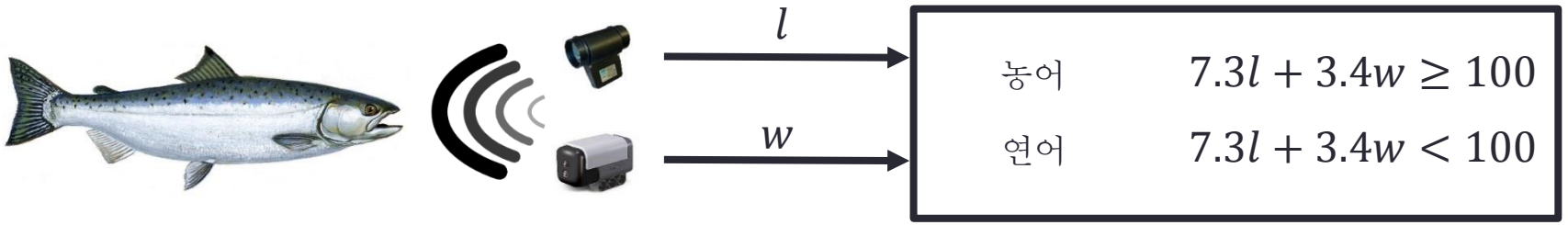
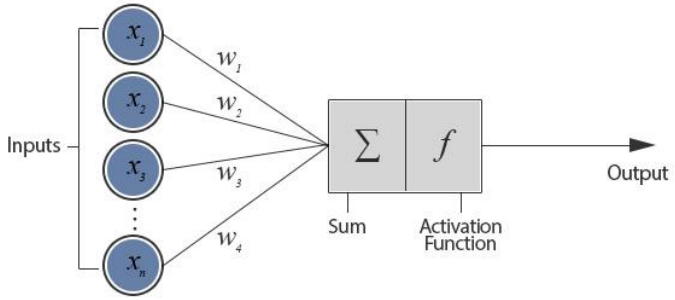
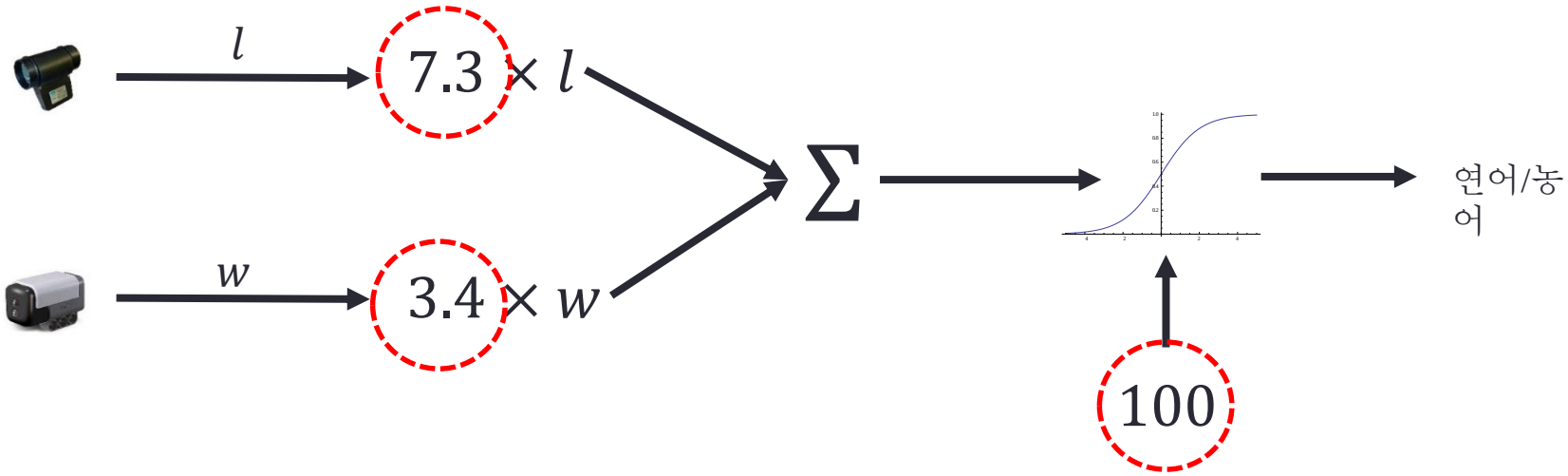


FIGURE 1.4. The two features of lightness and width for sea bass and salmon. The dark line could serve as a decision boundary of our classifier. Overall classification error on the data shown is lower than if we use only one feature as in Fig. 1.3, but there will still be some errors. From: Richard O. Duda, Peter E. Hart, and David G. Stork, *Pattern Classification*. Copyright © 2001 by John Wiley & Sons, Inc.

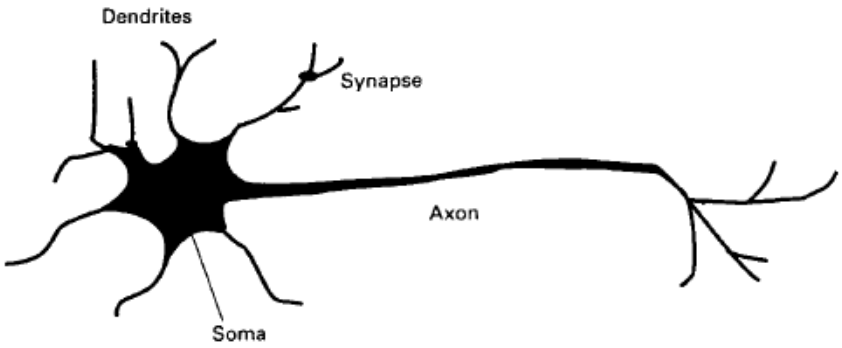


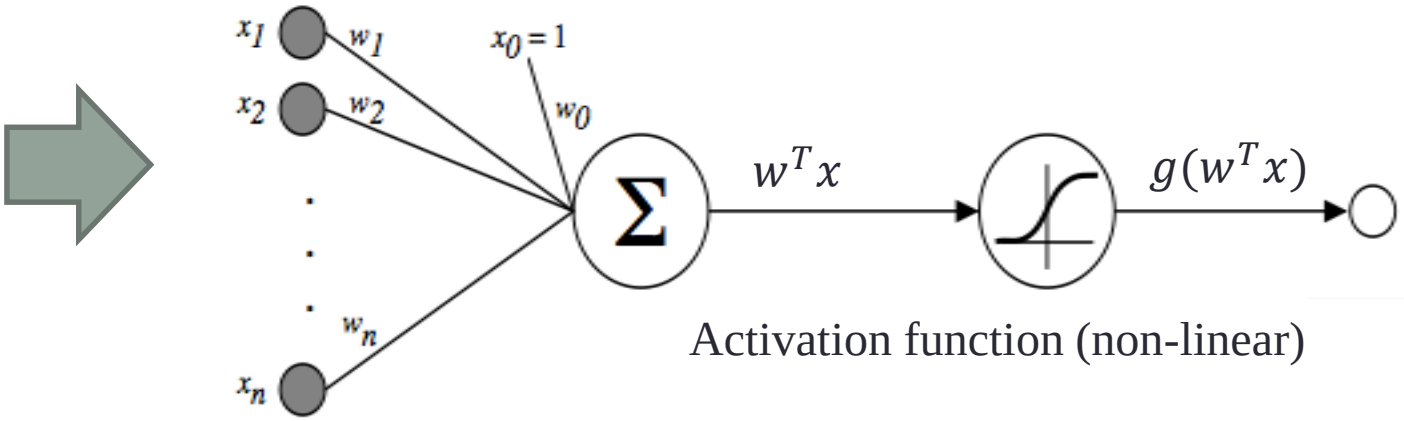
예시: 연어와 농어의 구별


Inputs
x_1
x_2
x_3
x_n
w_1
w_2
w_3
w_4
Σ
f
Sum
Activation Function
Output

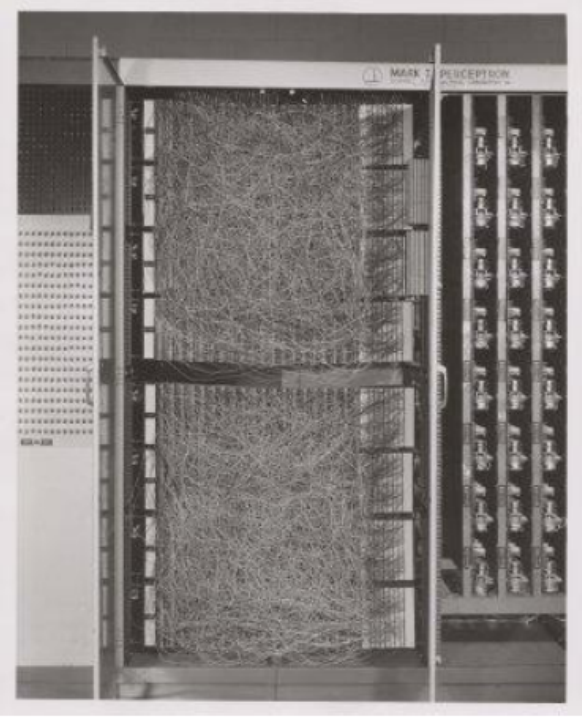

l
$7.3 \times l$
w
$3.4 \times w$
Σ
100
연어/농어

Artificial Neuron





Mark I Perceptron



- Frank Rosenblatt
- 400 pixel image input
- Weights encoded in potentiometers
- Weight updated by electric motors

The New York Times

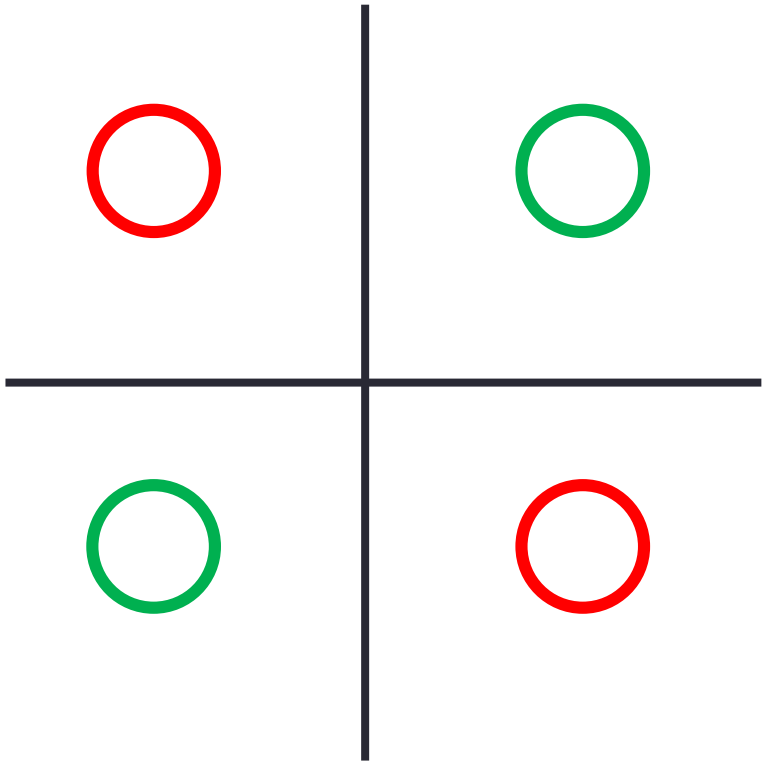
NEW NAVY DEVICE LEARNS BY DOING

July 8, 1958

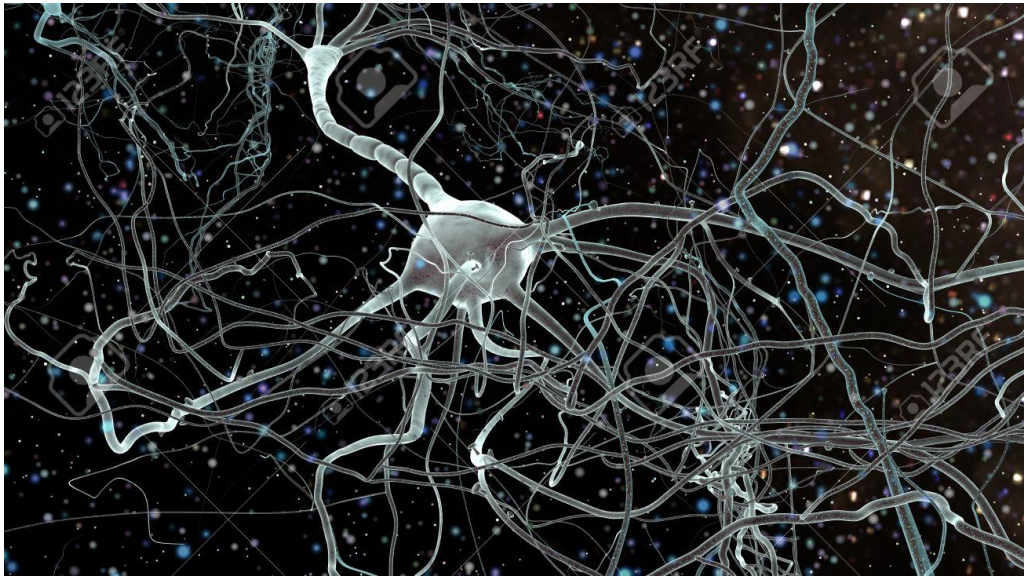
"The Navy revealed the embryo of an electronic computer today that it expects will be able to walk, talk, see, write, reproduce itself and be conscious of its existence… Dr. Frank Rosenblatt, a research psychologist at the Cornell Aeronautical Laboratory, Buffalo, said Perceptrons might be fired to the planets as mechanical space explorers"

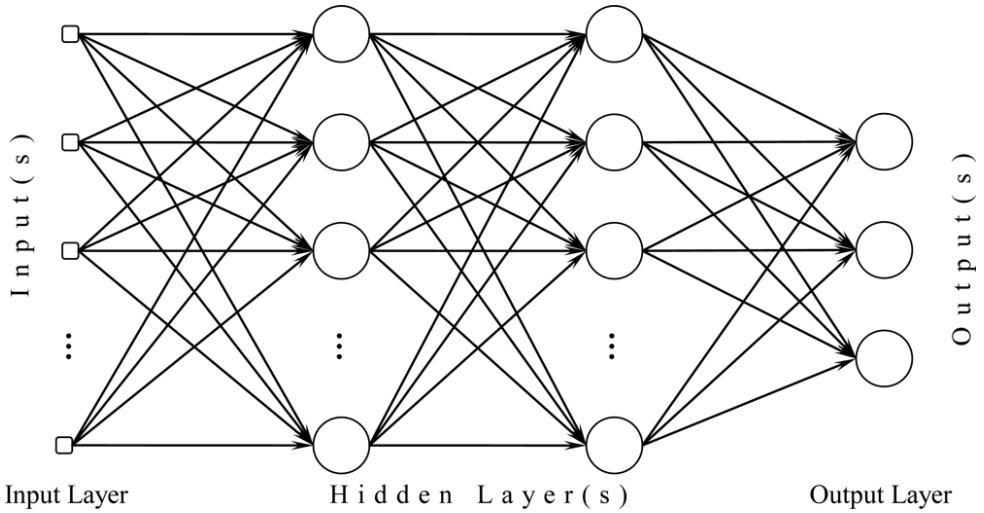
Artificial Neuron

- However, it cannot solve non-linearly-separable problems



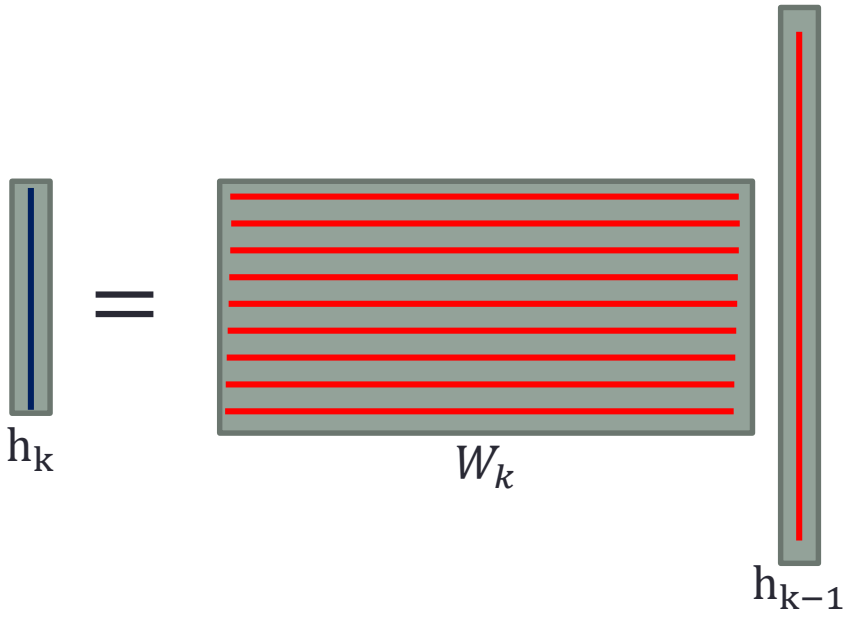
MULTI-LAYER PERCEPTRON




Input(s)
Output(s)
Input Layer
Hidden Layer(s)
Output Layer

Multi-layer Neural Network

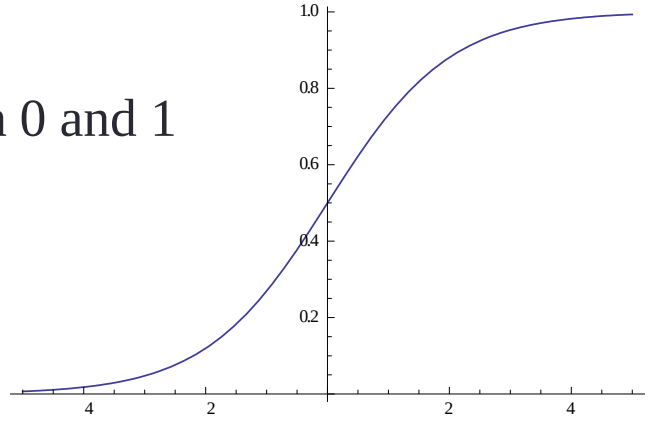
- 1st Layer
  - $\mathrm{h}_1 = g(W_1 \mathrm{x} + b_1)$
- 2nd Layer
  - $\mathrm{h}_2 = g(W_2 \mathrm{h}_1 + b_2)$
- …..
- Output layer
  - $\mathrm{o} = \mathrm{softmax}(\mathrm{W}_\mathrm{n} \mathrm{h}_{\mathrm{n}-1} + \mathrm{b}_\mathrm{n})$



Activation function $g(\cdot)$

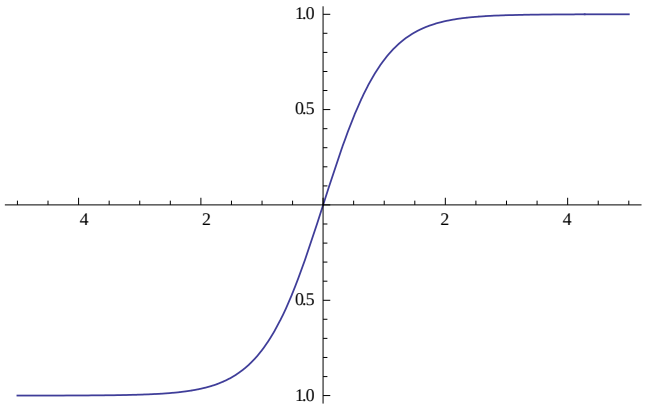
- Sigmoid activation function
  - Squashes the neuron's pre-activation between 0 and 1
  - Always positive/Bounded/Strictly increasing

$$g(x) = \frac{1}{1 + \exp(-x)}$$



- Hyperbolic tangent ("tanh") activation function
  - Squashes the neuron's pre-activation between -1 and 1
  - Bounded/Strictly increasing

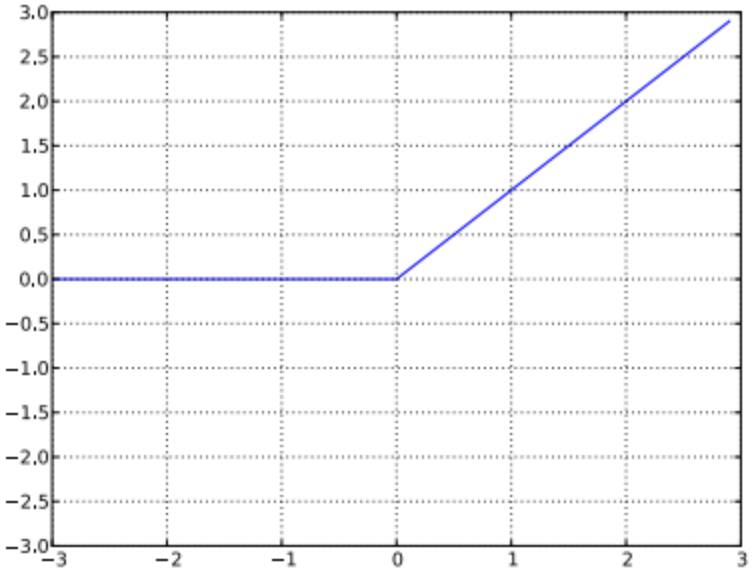
$$g(x) = \tanh(x) = \frac{\exp(x) - \exp(-x)}{\exp(x) + \exp(-x)}$$



Activation function $g(\cdot)$

- Rectified linear activation function (ReLU)
  - Bounded below by 0
  - Not upper bounded
  - Strictly increasing

$$g(a) = \text{rectlin}(a) = \max(0, a)$$



Soft-max activation function at the output

- For multi-class classification
  - We need multiple outputs (1 output per class)

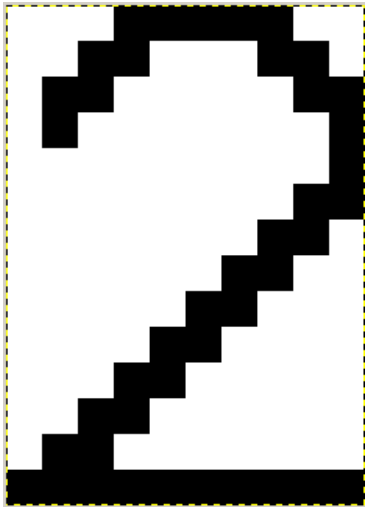
- We use the softmax activation function at the output

$$O(\mathbf{a}) = \text{softmax}(\mathbf{a}) = \begin{bmatrix} \frac{\exp(a_1)}{\sum_c \exp(a_c)} \\ \frac{\exp(a_2)}{\sum_c \exp(a_c)} \\ \vdots \\ \vdots \\ \frac{\exp(a_c)}{\sum_c \exp(a_c)} \end{bmatrix}$$

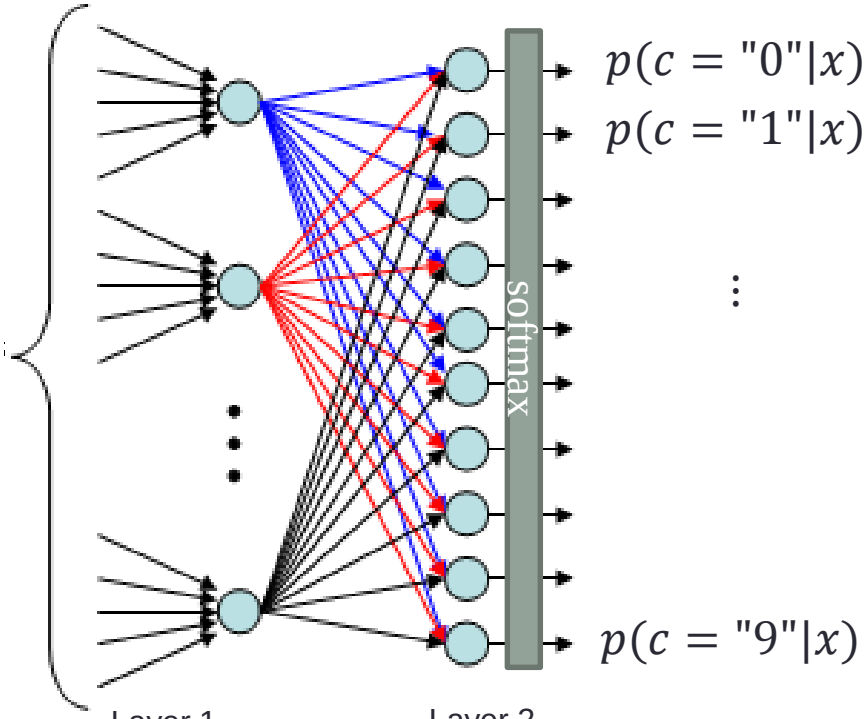
  - strictly positive
  - sums to one

예시: $(a, b, c) \rightarrow \left(\frac{e^a}{e^a+e^b+e^c}, \frac{e^b}{e^a+e^b+e^c}, \frac{e^c}{e^a+e^b+e^c} \right)$

Example (character recognition example)



$x \in \{0,1\}^{10\times 14}$



Layer 1
with 12 perceptrons

$W_1 \in \Re^{140\times 12}$

$b_1 \in \Re^{12}$

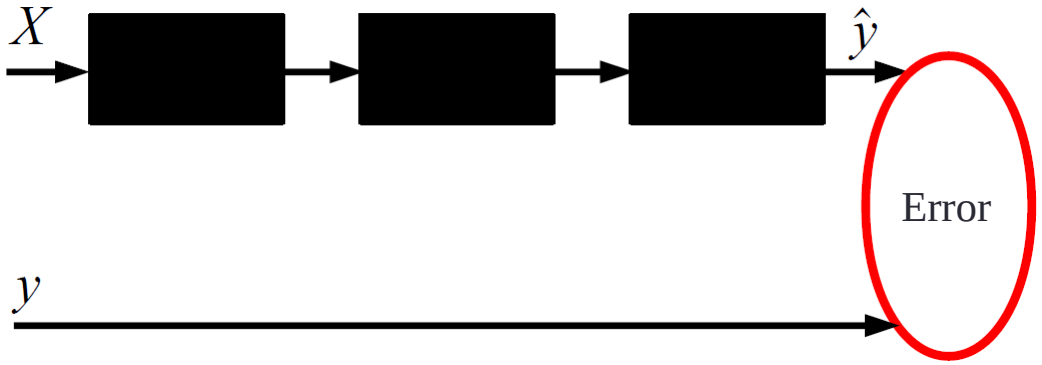
Layer 2
with 10 perceptrons
Each having 12 inputs

$W_2 \in \Re^{12\times 10}$

$b_2 \in \Re^{10}$

TRAINING OF MULTI-LAYER PERCEPTRON

Training: Loss function



- Cross entropy (classification)
  - $y, \hat{y} \in [0,1]^N, \sum_{i=1} y_i = 1, \sum_{i=1} \hat{y}_i = 1$
  - $L = -\sum y_i \log \hat{y}_i$

- Square Euclidean distance (regression)
  - $y, \hat{y} \in \Re^N$
  - $L = \frac{1}{2}\sum (y_i - \hat{y}_i)^2$

Cross Entropy (예시)

- Label:
  - $[y_1 \ y_2 \ y_3]$ = [1,0,0] : class 1
  - $[y_1 \ y_2 \ y_3]$ = [0,1,0] : class 2
  - $[y_1 \ y_2 \ y_3]$ = [0,0,1] : class 3

$$L = -\sum y_i \log \hat{y}_i$$

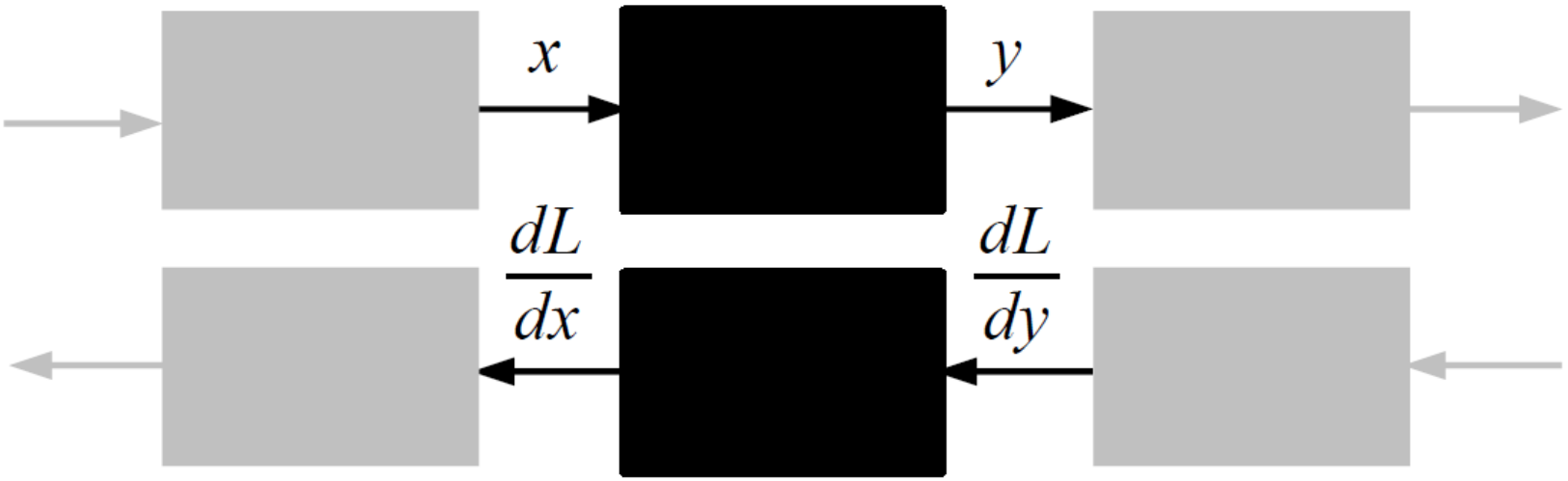
- 예시
  - Network output: $\hat{y} = [\hat{y}_1 \ \hat{y}_2 \ \hat{y}_3] = [0.3, 0.6, 0.1]$
    - Loss
      - If ground truth is class 1 (i.e., y = [1,0,0]) → $-\log 0.3 = 1.204$
      - If ground truth is class 2 (i.e., y = [0,1,0]) → $-\log 0.6 = 0.511$
      - If ground truth is class 3 (i.e., y = [0,0,1]) → $-\log 0.1 = 2.303$
  - Network output: $\hat{y} = [\hat{y}_1 \ \hat{y}_2 \ \hat{y}_3] = [0.01, 0.98, 0.01]$
    - Loss
      - If ground truth is class 1 (i.e., y = [1,0,0]) → $-\log 0.01 = 4.605$
      - If ground truth is class 2 (i.e., y = [0,1,0]) → $-\log 0.98 = 0.020$
      - If ground truth is class 3 (i.e., y = [0,0,1]) → $-\log 0.01 = 4.605$

Cross entropy (예시)

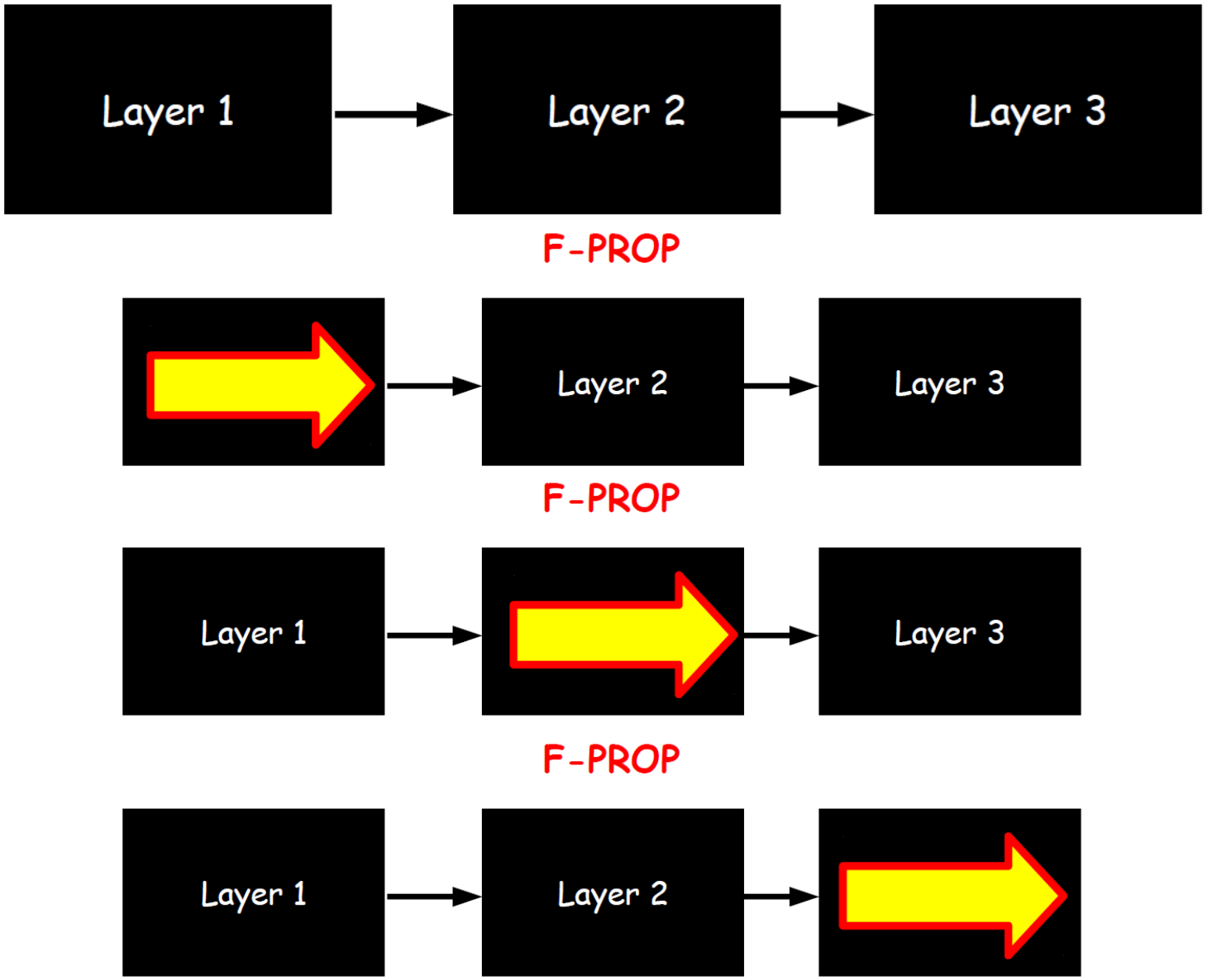
	If ground truth is class 1 (i.e., y = [1,0,0])	If ground truth is class 2 (i.e., y = [0,1,0])	If ground truth is class 3 (i.e., y = [0,0,1])
$[\hat{y}_1 \quad \hat{y}_2 \quad \hat{y}_3] = [0.3, 0.6, 0.1]$	$-\log 0.3 = 1.204$	$-\log 0.6 = 0.511$	$-\log 0.1 = 2.303$
$[\hat{y}_1 \quad \hat{y}_2 \quad \hat{y}_3] = [0.01, 0.98, 0.01]$	$-\log 0.01 = 4.605$	$-\log 0.98 = 0.020$	$-\log 0.01 = 4.605$

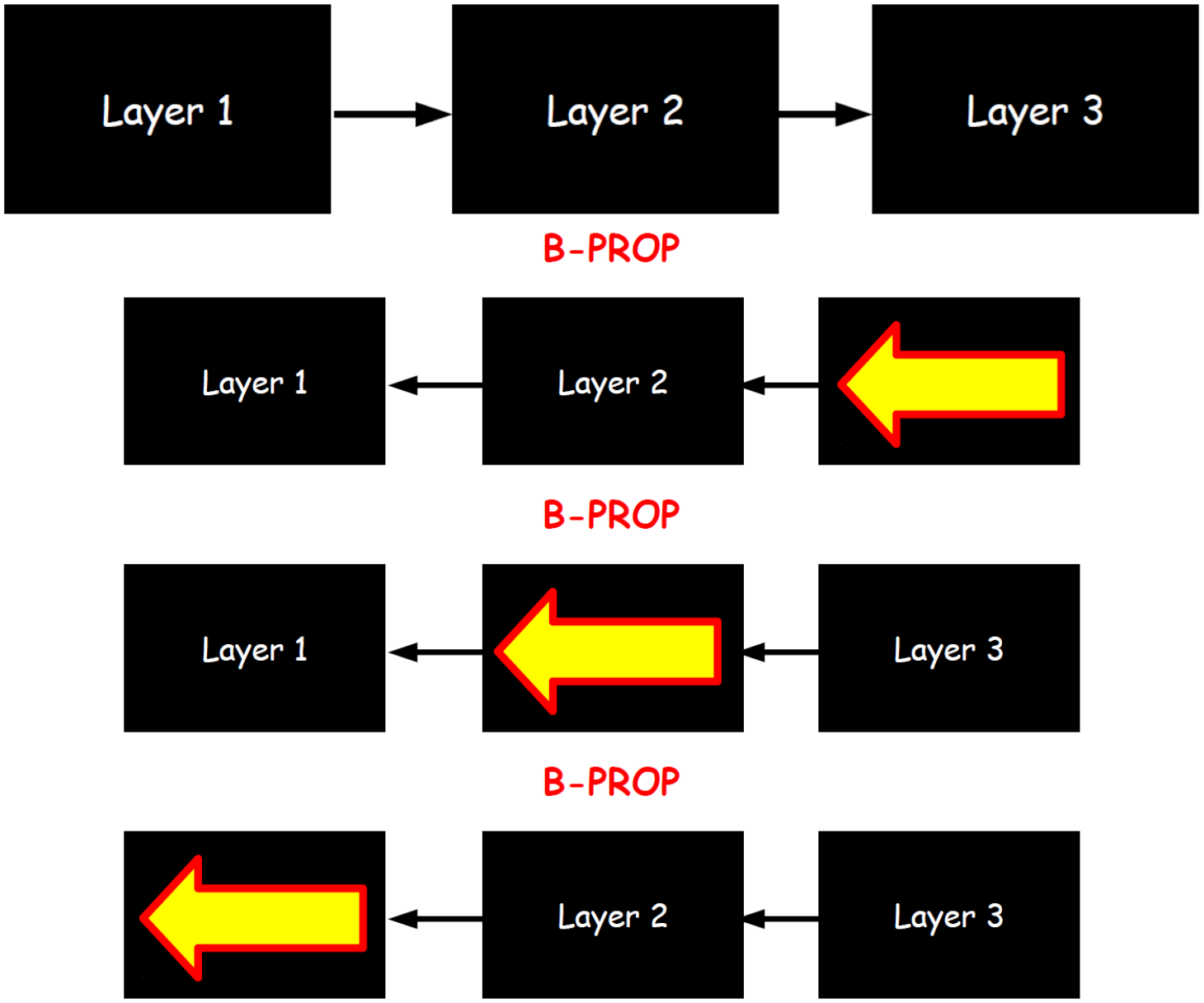
Forward/Backward propagation

- Chain rule

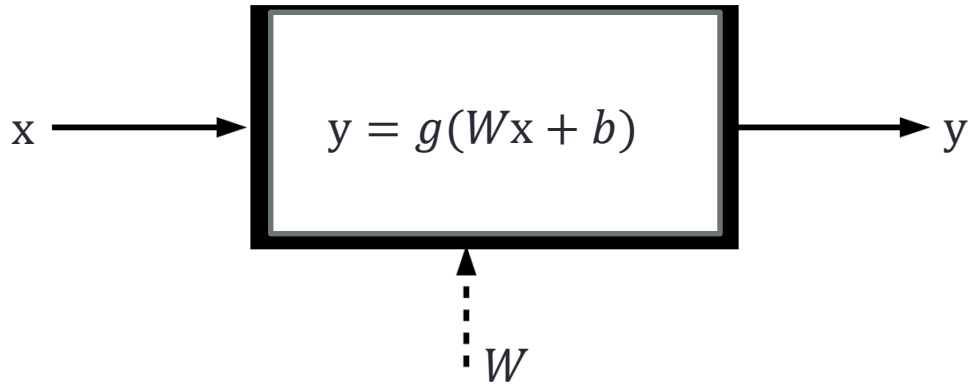


$$W^{new} = W^{old} - \eta \frac{dL}{dW}$$


Layer 1
Layer 2
Layer 3
F-PROP
Layer 2
Layer 3
F-PROP
Layer 1
Layer 3
F-PROP
Layer 1
Layer 2

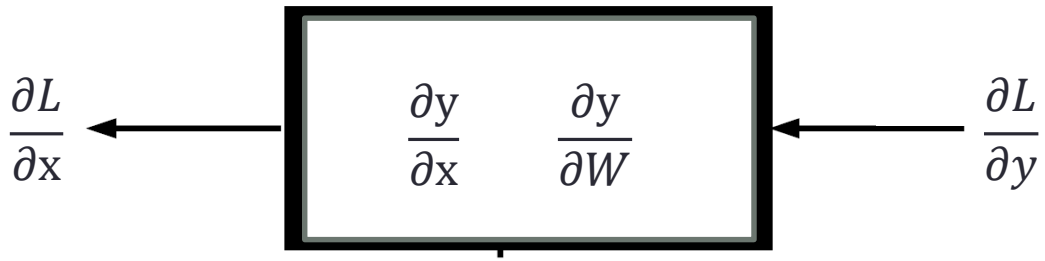

Layer 1
Layer 2
Layer 3
B-PROP
Layer 1
Layer 2
B-PROP
Layer 1
Layer 3
B-PROP
Layer 2
Layer 3

Forward/Backward propagation



Forward propagation

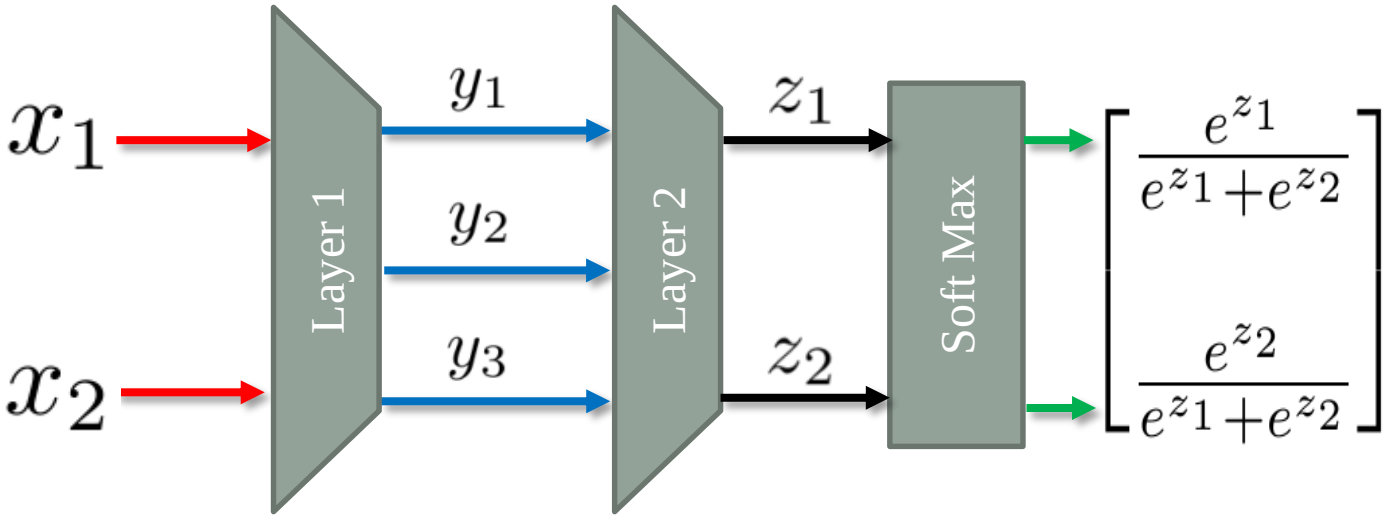
$$\frac{\partial L}{\partial x} = \frac{\partial L}{\partial y} \cdot \frac{\partial y}{\partial x}$$



Backward propagation

FEED-FORWARD NEURAL NETWORK (예시)

Forward propagation



The 1st hidden layer The 2nd hidden layer Output

$$y_1 = \varphi(w_{11}x_1 + w_{12}x_2 + b_1)$$

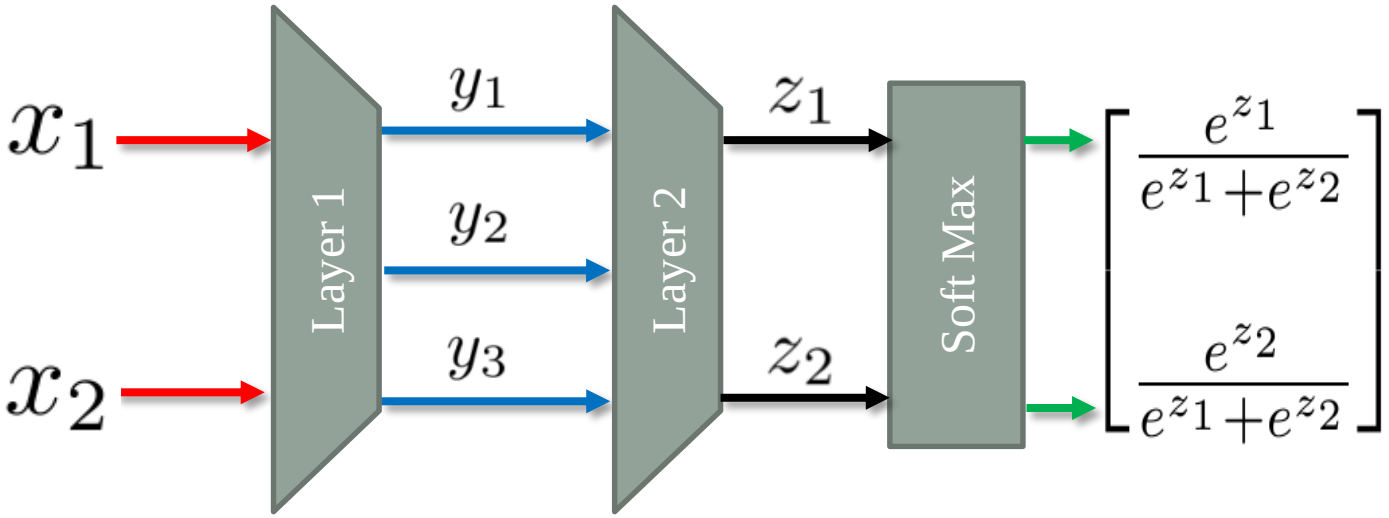
$$y_2 = \varphi(w_{21}x_1 + w_{22}x_2 + b_2)$$

$$y_3 = \varphi(w_{31}x_1 + w_{32}x_2 + b_3)$$

$$z_1 = \varphi(u_{11}y_1 + u_{12}y_2 + u_{13}y_3 + c_1)$$

$$z_2 = \varphi(u_{21}y_1 + u_{22}y_2 + u_{23}y_3 + c_2)$$

Forward propagation matrix repr.

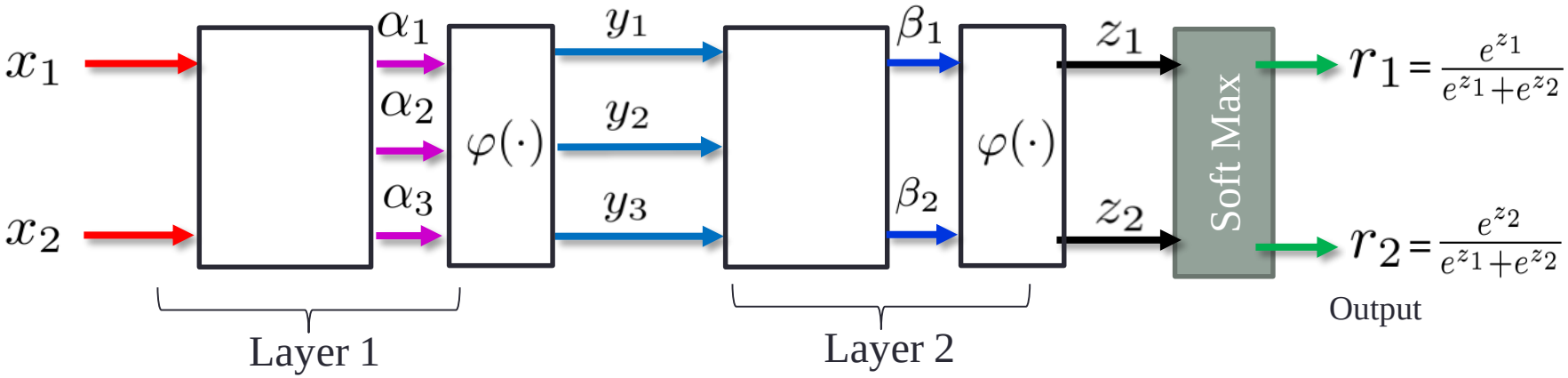


$$\begin{bmatrix} y_1 \\ y_2 \\ y_3 \end{bmatrix} = \varphi\left(\begin{bmatrix} w_{11} & w_{12} \\ w_{21} & w_{22} \\ w_{31} & w_{32} \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \end{bmatrix} + \begin{bmatrix} b_1 \\ b_2 \\ b_3 \end{bmatrix} \right)$$

$$\begin{bmatrix} z_1 \\ z_2 \end{bmatrix} = \varphi\left(\begin{bmatrix} u_{11} & u_{12} & u_{13} \\ u_{21} & u_{22} & u_{23} \end{bmatrix} \begin{bmatrix} y_1 \\ y_2 \\ y_3 \end{bmatrix} + \begin{bmatrix} c_1 \\ c_2 \end{bmatrix} \right)$$

BACK-PROPAGATION ALGORITHM (예시)

Forward propagation (block-based representation)



Layer 1

$$\begin{bmatrix}\alpha_1\\ \alpha_2\\ \alpha_3\end{bmatrix} = \begin{bmatrix}w_{11} & w_{12}\\ w_{21} & w_{22}\\ w_{31} & w_{32}\end{bmatrix}\begin{bmatrix}x_1\\ x_2\end{bmatrix} + \begin{bmatrix}b_1\\ b_2\\ b_3\end{bmatrix}$$

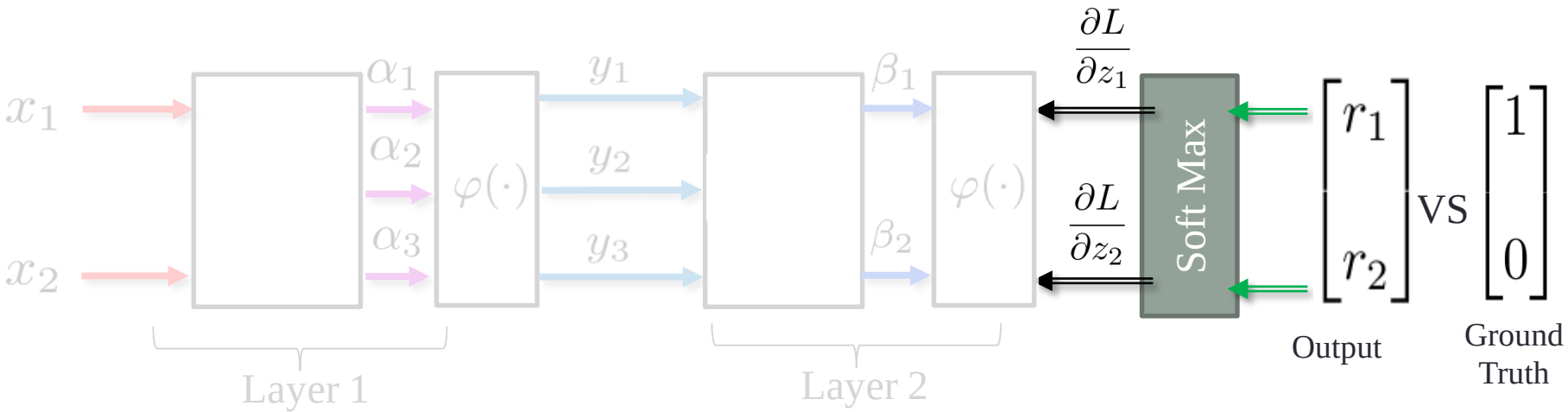
$$\begin{bmatrix}y_1\\ y_2\\ y_3\end{bmatrix} = \begin{bmatrix}\varphi(\alpha_1)\\ \varphi(\alpha_2)\\ \varphi(\alpha_3)\end{bmatrix}$$

Layer 2

$$\begin{bmatrix}\beta_1\\ \beta_2\end{bmatrix} = \begin{bmatrix}u_{11} & u_{12} & u_{13}\\ u_{21} & u_{22} & u_{23}\end{bmatrix}\begin{bmatrix}y_1\\ y_2\\ y_3\end{bmatrix} + \begin{bmatrix}c_1\\ c_2\\ c_3\end{bmatrix}$$

$$\begin{bmatrix}z_1\\ z_2\end{bmatrix} = \begin{bmatrix}\varphi(\beta_1)\\ \varphi(\beta_2)\end{bmatrix}$$

Backward propagation; 2nd layer

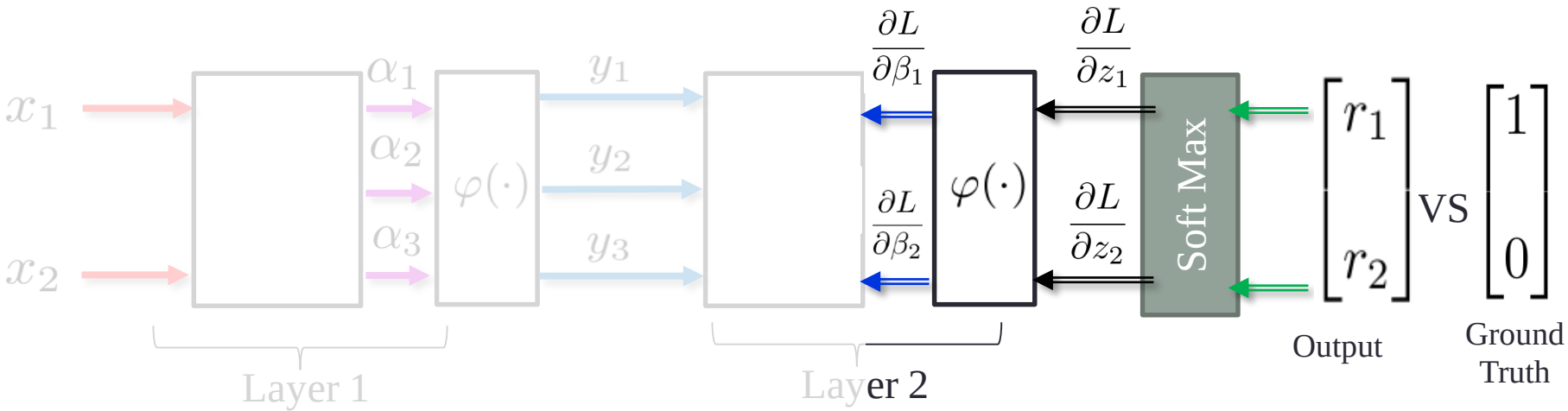


- Error propagation

$$\frac{\partial L}{\partial z_1} = -1 + r_1$$

$$\frac{\partial L}{\partial z_2} = r_2$$

Backward propagation; 2nd layer

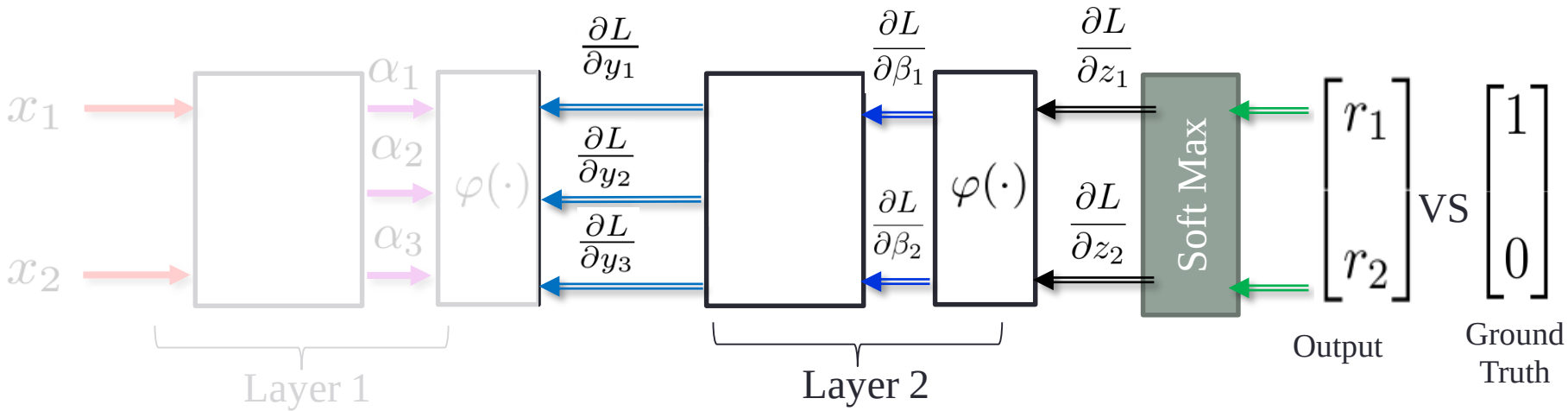


- Error propagation

$$\frac{\partial L}{\partial \beta_1} = \varphi'(\beta_1)\frac{\partial L}{\partial z_1}$$

$$\frac{\partial L}{\partial \beta_2} = \varphi'(\beta_2)\frac{\partial L}{\partial z_2}$$

Backward propagation; 2nd layer



- Error propagation

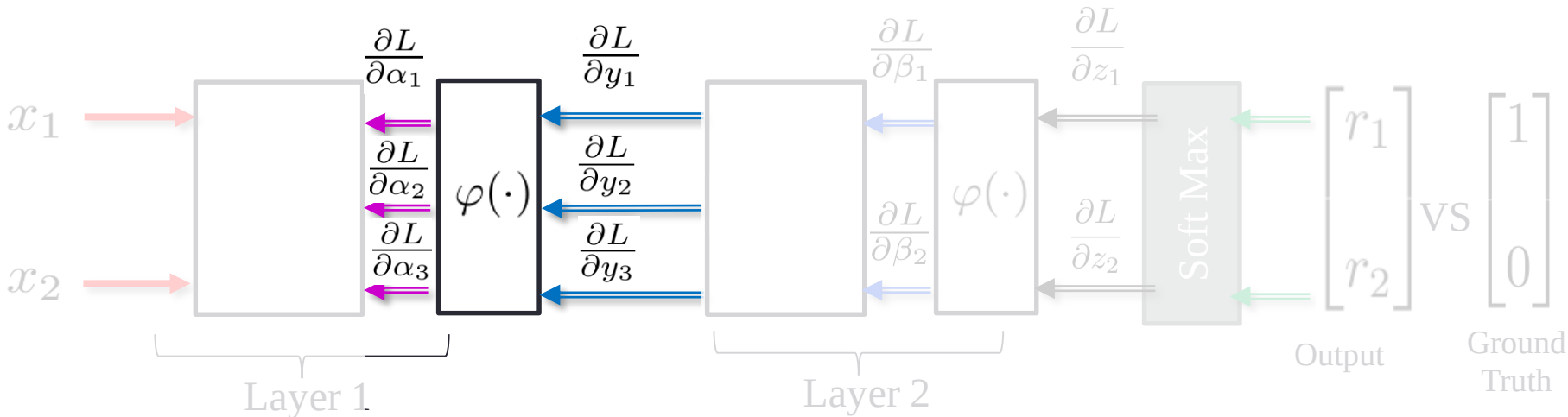
$$\begin{bmatrix} \frac{\partial L}{\partial y_1} \\ \frac{\partial L}{\partial y_2} \\ \frac{\partial L}{\partial y_3} \end{bmatrix} = \begin{bmatrix} u_{11} & u_{21} \\ u_{12} & u_{22} \\ u_{13} & u_{23} \end{bmatrix} \begin{bmatrix} \frac{\partial L}{\partial \beta_1} \\ \frac{\partial L}{\partial \beta_2} \end{bmatrix}$$

- Weight update

$$\begin{bmatrix} \frac{\partial L}{\partial u_{11}} & \frac{\partial L}{\partial u_{12}} & \frac{\partial L}{\partial u_{13}} \\ \frac{\partial L}{\partial u_{21}} & \frac{\partial L}{\partial u_{22}} & \frac{\partial L}{\partial u_{23}} \end{bmatrix} = \begin{bmatrix} \frac{\partial L}{\partial \beta_1} \\ \frac{\partial L}{\partial \beta_2} \end{bmatrix} \begin{bmatrix} y_1 & y_2 & y_3 \end{bmatrix}$$

$$\begin{bmatrix} \frac{\partial L}{\partial c_1} \\ \frac{\partial L}{\partial c_2} \end{bmatrix} = \begin{bmatrix} \frac{\partial L}{\partial \beta_1} \\ \frac{\partial L}{\partial \beta_2} \end{bmatrix}$$

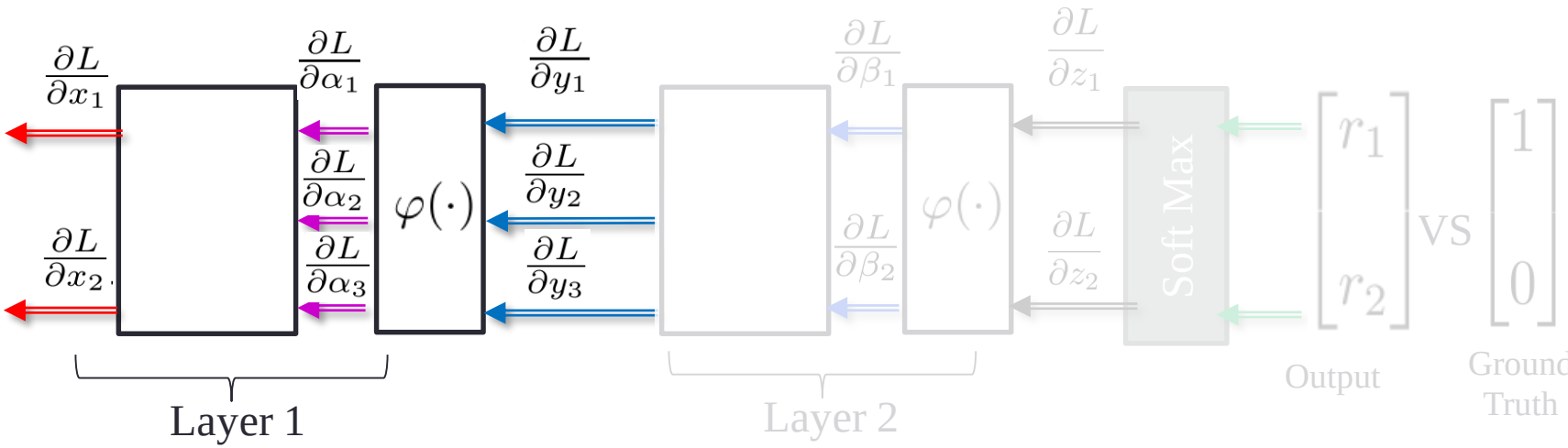
Backward propagation; 1st layer



- Error propagation

$$\begin{bmatrix} \frac{\partial L}{\partial \alpha_1} \\ \frac{\partial L}{\partial \alpha_2} \\ \frac{\partial L}{\partial \alpha_3} \end{bmatrix} = \begin{bmatrix} \varphi'(\alpha_1) & 0 & 0 \\ 0 & \varphi'(\alpha_2) & 0 \\ 0 & 0 & \varphi'(\alpha_3) \end{bmatrix} \begin{bmatrix} \frac{\partial L}{\partial y_1} \\ \frac{\partial L}{\partial y_2} \\ \frac{\partial L}{\partial y_3} \end{bmatrix}$$

Backward propagation; 1st layer



- Error propagation

$$\begin{bmatrix} \frac{\partial L}{\partial x_1} \\ \frac{\partial L}{\partial x_2} \end{bmatrix} = \begin{bmatrix} w_{11} & w_{21} & w_{31} \\ w_{12} & w_{22} & w_{32} \end{bmatrix} \begin{bmatrix} \frac{\partial L}{\partial \alpha_1} \\ \frac{\partial L}{\partial \alpha_2} \\ \frac{\partial L}{\partial \alpha_3} \end{bmatrix}$$

- Weight update

$$\begin{bmatrix} \frac{\partial L}{\partial w_{11}} & \frac{\partial L}{\partial w_{12}} \\ \frac{\partial L}{\partial w_{21}} & \frac{\partial L}{\partial w_{22}} \\ \frac{\partial L}{\partial w_{31}} & \frac{\partial L}{\partial w_{32}} \end{bmatrix} = \begin{bmatrix} \frac{\partial L}{\partial \alpha_1} \\ \frac{\partial L}{\partial \alpha_2} \\ \frac{\partial L}{\partial \alpha_3} \end{bmatrix} \begin{bmatrix} x_1 & x_2 \end{bmatrix}$$

$$\begin{bmatrix} \frac{\partial L}{\partial b_1} \\ \frac{\partial L}{\partial b_2} \end{bmatrix} = \begin{bmatrix} \frac{\partial L}{\partial \beta_1} \\ \frac{\partial L}{\partial \beta_2} \end{bmatrix}$$

TENSORFLOW 실습

TENSORFLOW INTRODUCTION

What is TensorFlow?

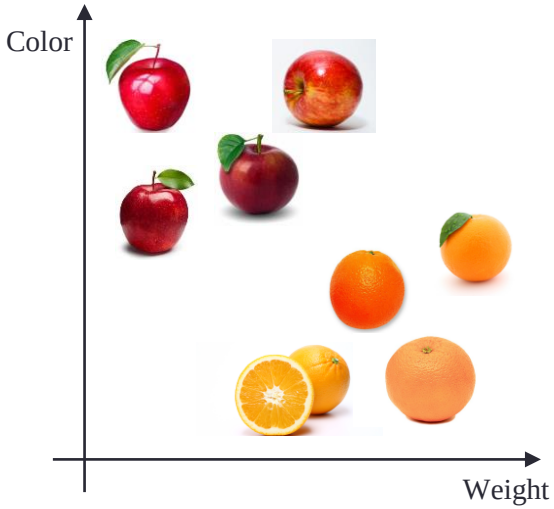
- TensorFlow is a deep learning library open-sourced by Google.
- TensorFlow provides primitives for defining functions on tensors and automatically computing their derivatives.
- Tensor is a multidimensional array of numbers

Design Choice

- Network structures
  - The mathematical relationship between inputs and outputs
- Loss function
- Optimization
  - Optimization methods
  - Hyper-parameters (Batch size, Learning rate, …)

Classification vs Regression

Classification



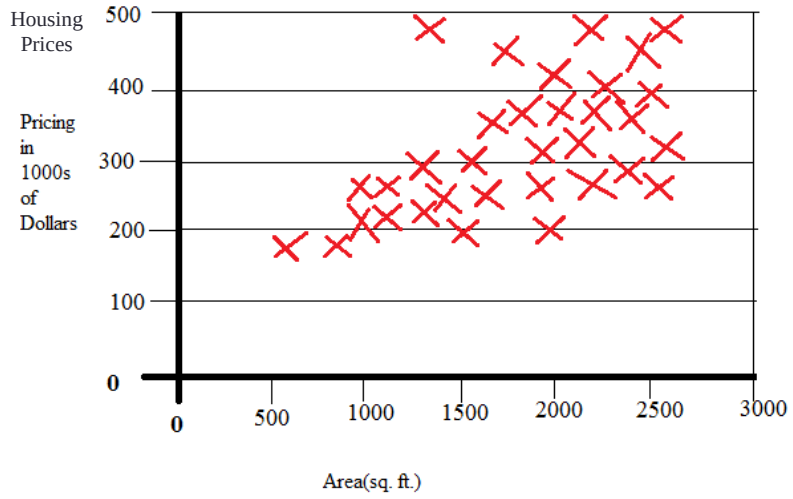
?

Apple

Orange

The variable we are trying to predict is
DISCRETE

Regression



1600 sq ft

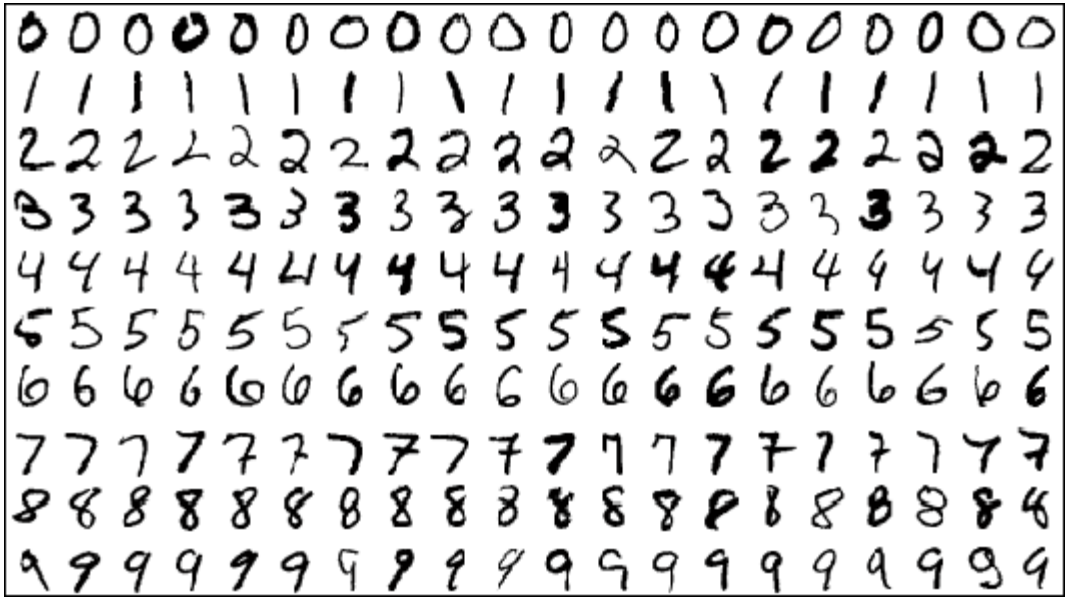
?

Expected Price

The variable we are trying to predict is
CONTINUOUS

MNIST dataset (classification example)

- handwritten digits
- a training set of 60,000 examples
- 28x28 images

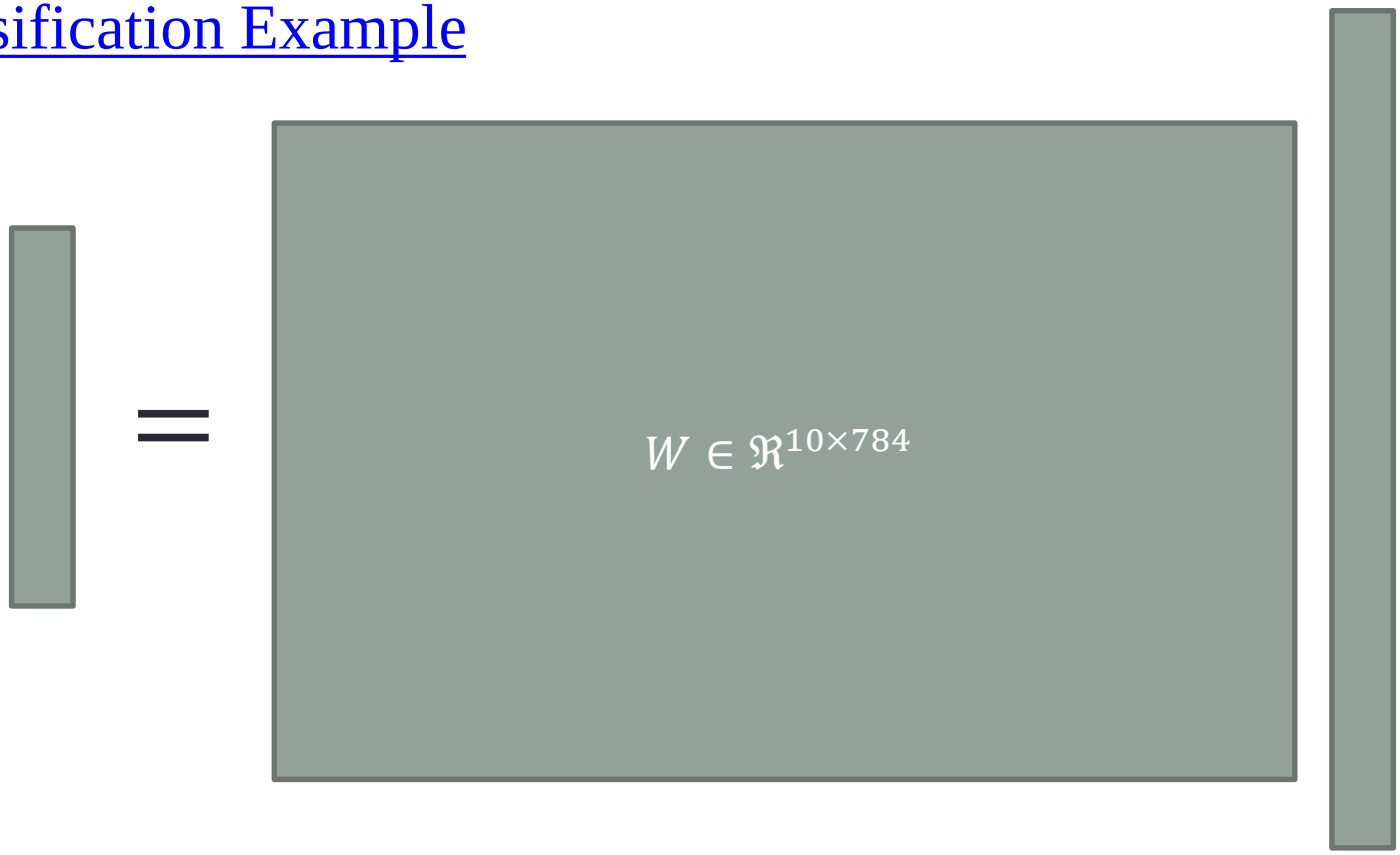


CLASSIFIER	PREPROCESSING	TEST ERROR RATE (%)	Reference
Linear Classifiers			
linear classifier (1-layer NN)	none	12.0	LeCun et al. 1998
linear classifier (1-layer NN)	deskewing	8.4	LeCun et al. 1998
pairwise linear classifier	deskewing	7.6	LeCun et al. 1998
Non-Linear Classifiers			
40 PCA + quadratic classifier	none	3.3	LeCun et al. 1998
1000 RBF + linear classifier	none	3.6	LeCun et al. 1998
SVMs			
SVM, Gaussian Kernel	none	1.4	
SVM deg 4 polynomial	deskewing	1.1	LeCun et al. 1998
Reduced Set SVM deg 5 polynomial	deskewing	1.0	LeCun et al. 1998
Virtual SVM deg-9 poly [distortions]	none	0.8	LeCun et al. 1998
Virtual SVM, deg-9 poly, 1-pixel jittered	none	0.68	DeCoste and Scholkopf, MLJ 2002
Virtual SVM, deg-9 poly, 1-pixel jittered	deskewing	0.68	DeCoste and Scholkopf, MLJ 2002
Virtual SVM, deg-9 poly, 2-pixel jittered	deskewing	0.56	DeCoste and Scholkopf, MLJ 2002
Neural Nets			
2-layer NN, 300 hidden units, mean square error	none	4.7	LeCun et al. 1998
2-layer NN, 300 HU, MSE, [distortions]	none	3.6	LeCun et al. 1998
2-layer NN, 300 HU	deskewing	1.6	LeCun et al. 1998
2-layer NN, 1000 hidden units	none	4.5	LeCun et al. 1998
2-layer NN, 1000 HU, [distortions]	none	3.8	LeCun et al. 1998
3-layer NN, 300+100 hidden units	none	3.05	LeCun et al. 1998
3-layer NN, 300+100 HU [distortions]	none	2.5	LeCun et al. 1998
3-layer NN, 500+150 hidden units	none	2.95	LeCun et al. 1998
3-layer NN, 500+150 HU [distortions]	none	2.45	LeCun et al. 1998
3-layer NN, 500+300 HU, softmax, cross entropy, weight decay	none	1.53	Hinton, unpublished, 2005
2-layer NN, 800 HU, Cross-Entropy Loss	none	1.6	Simard et al., ICDAR 2003
2-layer NN, 800 HU, cross-entropy [affine distortions]	none	1.1	Simard et al., ICDAR 2003
2-layer NN, 800 HU, MSE [elastic distortions]	none	0.9	Simard et al., ICDAR 2003

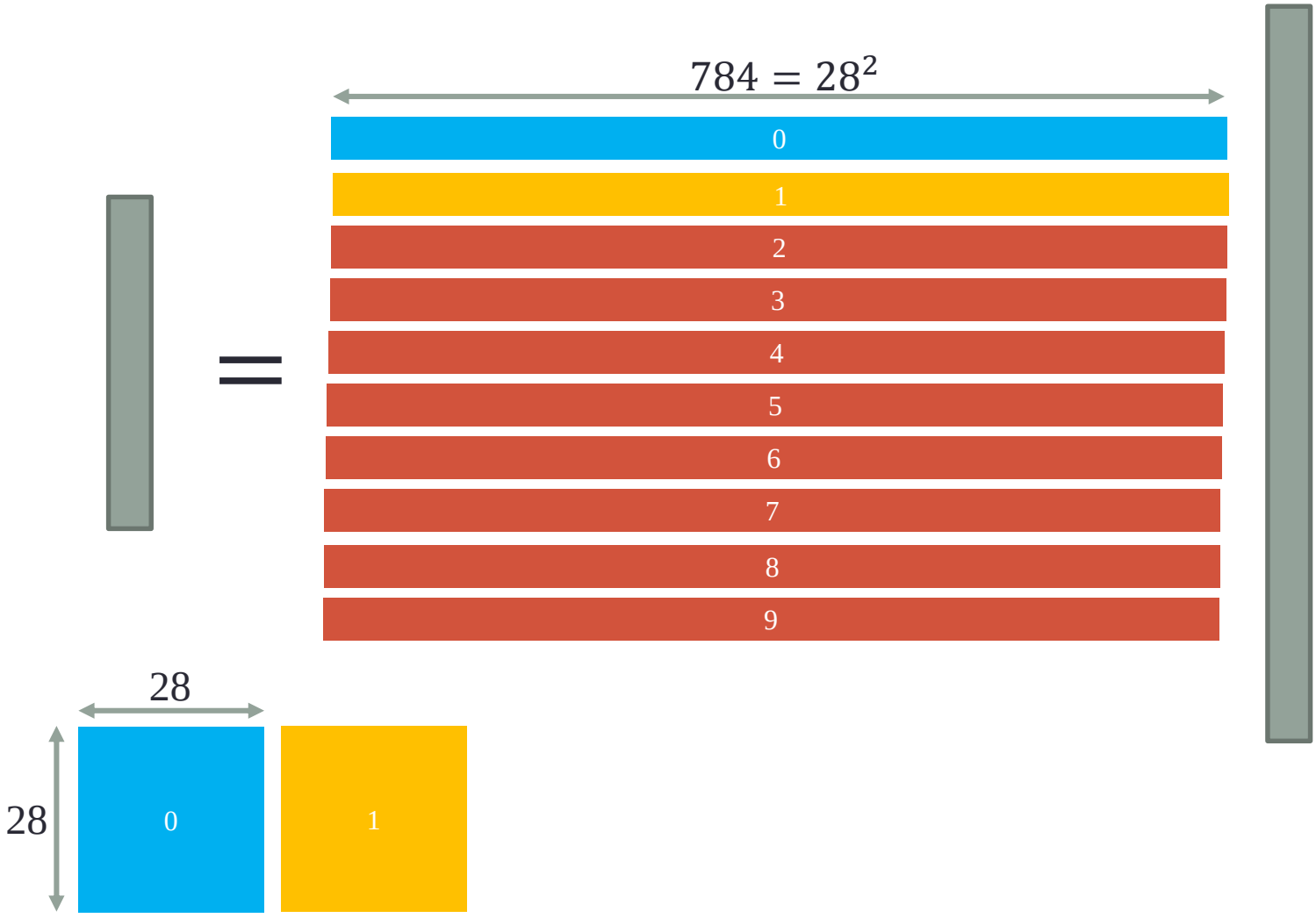
Convolutional nets			
Convolutional net LeNet-1	subsampling to 16x16 pixels	1.7	LeCun et al. 1998
Convolutional net LeNet-4	none	1.1	LeCun et al. 1998
Convolutional net LeNet-4 with K-NN instead of last layer	none	1.1	LeCun et al. 1998
Convolutional net LeNet-4 with local learning instead of last layer	none	1.1	LeCun et al. 1998
Convolutional net LeNet-5, [no distortions]	none	0.95	LeCun et al. 1998
Convolutional net LeNet-5, [huge distortions]	none	0.85	LeCun et al. 1998
Convolutional net LeNet-5, [distortions]	none	0.8	LeCun et al. 1998
Convolutional net Boosted LeNet-4, [distortions]	none	0.7	LeCun et al. 1998
Trainable feature extractor + SVMs [no distortions]	none	0.83	Lauer et al., Pattern Recognition 40-6, 2007
Trainable feature extractor + SVMs [elastic distortions]	none	0.56	Lauer et al., Pattern Recognition 40-6, 2007
Trainable feature extractor + SVMs [affine distortions]	none	0.54	Lauer et al., Pattern Recognition 40-6, 2007
unsupervised sparse features + SVM, [no distortions]	none	0.59	Labusch et al., IEEE TNN 2008
Convolutional net, cross-entropy [affine distortions]	none	0.6	Simard et al., ICDAR 2003
Convolutional net, cross-entropy [elastic distortions]	none	0.4	Simard et al., ICDAR 2003
large conv. net, random features [no distortions]	none	0.89	Ranzato et al., CVPR 2007
large conv. net, unsup features [no distortions]	none	0.62	Ranzato et al., CVPR 2007
large conv. net, unsup pretraining [no distortions]	none	0.60	Ranzato et al., NIPS 2006
large conv. net, unsup pretraining [elastic distortions]	none	0.39	Ranzato et al., NIPS 2006
large conv. net, unsup pretraining [no distortions]	none	0.53	Jarrett et al., ICCV 2009
large/deep conv. net, 1-20-40-60-80-100-120-120-10 [elastic distortions]	none	0.35	Ciresan et al. IJCAI 2011
committee of 7 conv. net, 1-20-P-40-P-150-10 [elastic distortions]	width normalization	0.27 +-0.02	Ciresan et al. ICDAR 2011
committee of 35 conv. net, 1-20-P-40-P-150-10 [elastic distortions]	width normalization	0.23	Ciresan et al. CVPR 2012

Classification Example Code

- Classification Example



Classification Example Code



Regression Example Code

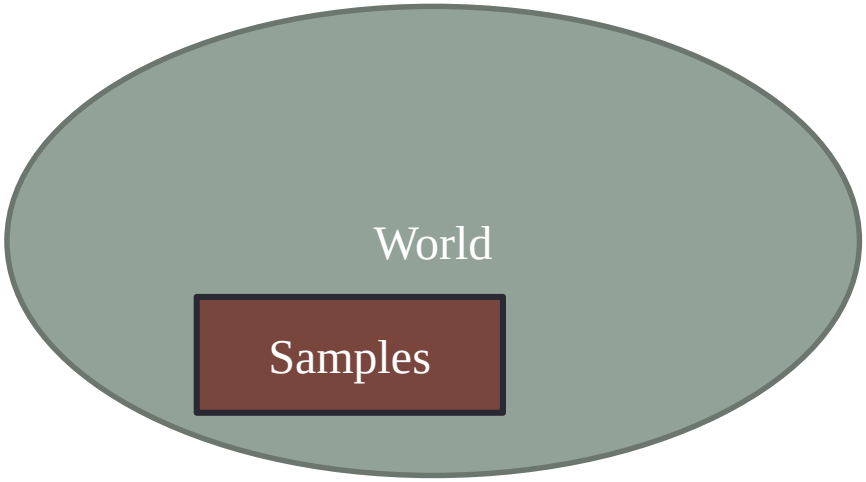
- Regression Example

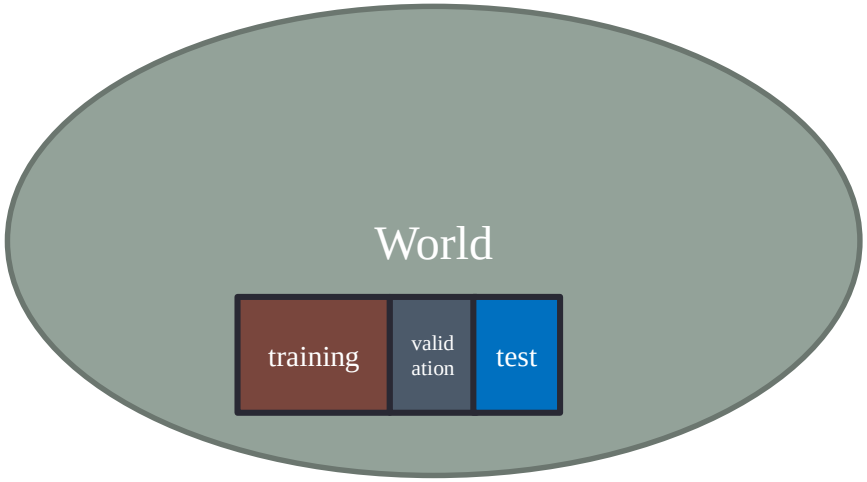
VALIDATION

				Tasks					
				ADAS					
				Self Driving					
				Localization	Perception	Planning/ Control	Driver state	Vehicle Diagnosis	Smart factory
Methods	Traditional	Non-machine Learning		GPS, SLAM		Optimal control			
	Deep-Learning based	Machine-Learning based method	Supervised	MLP	Pedestrian detection (HOG+SVM)				
				CNN	Detection/ Segmentation/Classification	End-to-end Learning			
				RNN (LSTM)	Dry/wet road classification	End-to-end Learning			
				DNN					
			Reinforcement						
			Unsupervised						

Validation set approach

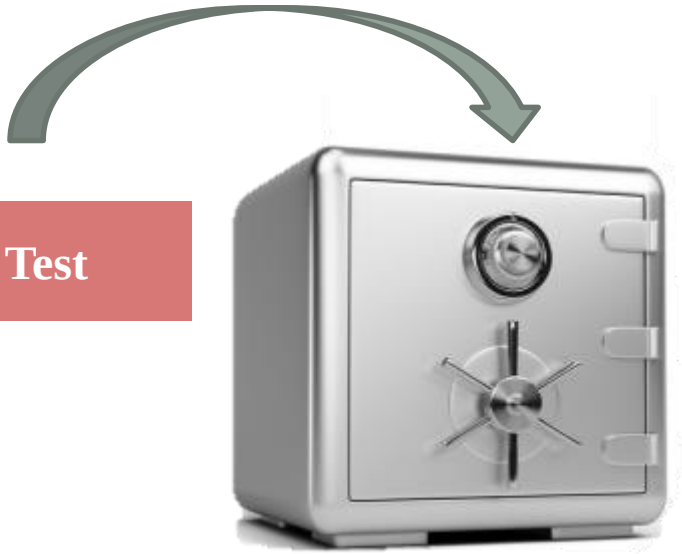
- Divide the data in three parts:
  - training, validation (development), and test. We use the train and validation data to select the best model and the test data to assess the chosen model.





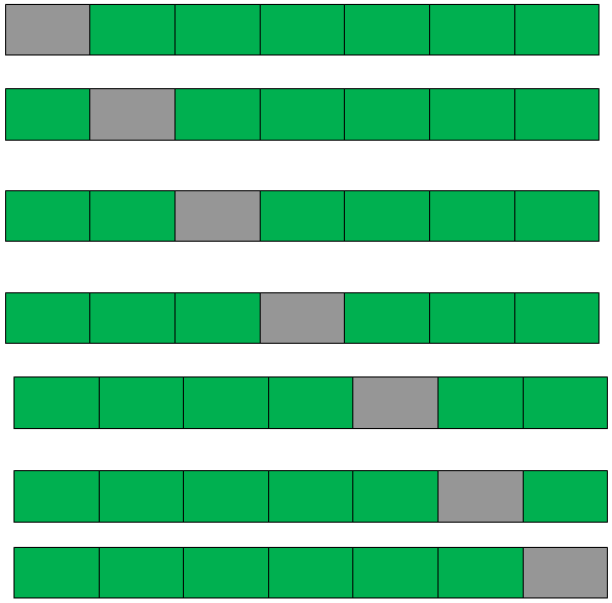
Validation set approach

- Training set
  - To fit the models
- Validation set
  - To estimate prediction error for model selection
- Test set
  - To assess of the generalization error of the final chose model



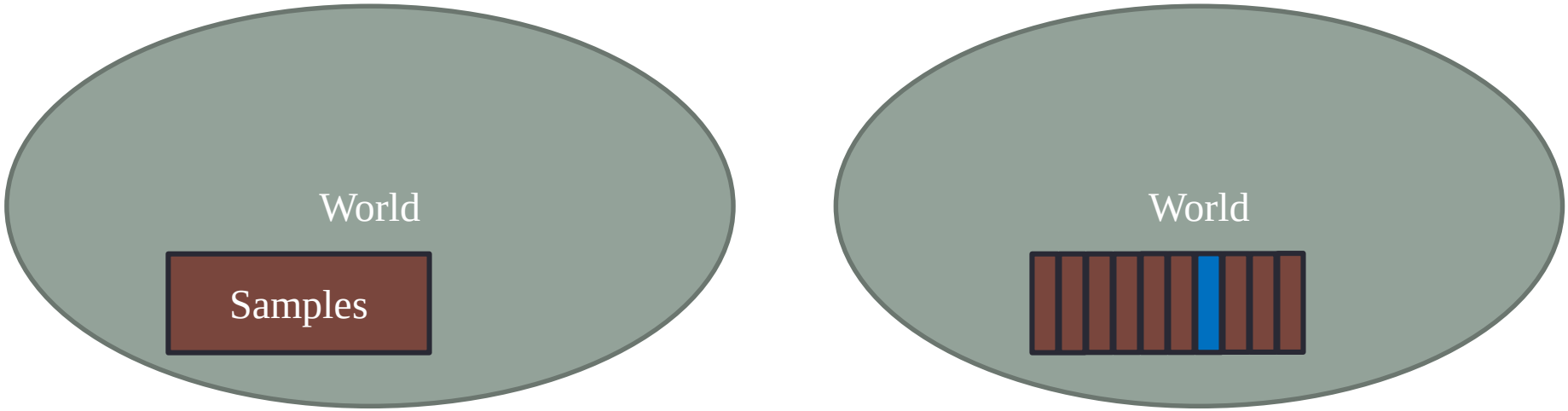
k-fold cross validation

- We partition the data into K parts. For the k −th part, we fit the model to the other $K - 1$ parts of the data, and calculate the prediction error of the fitted model when predicting the kth part of the data. We do this for $k = 1,2, \cdots, K$ and combine the K estimates

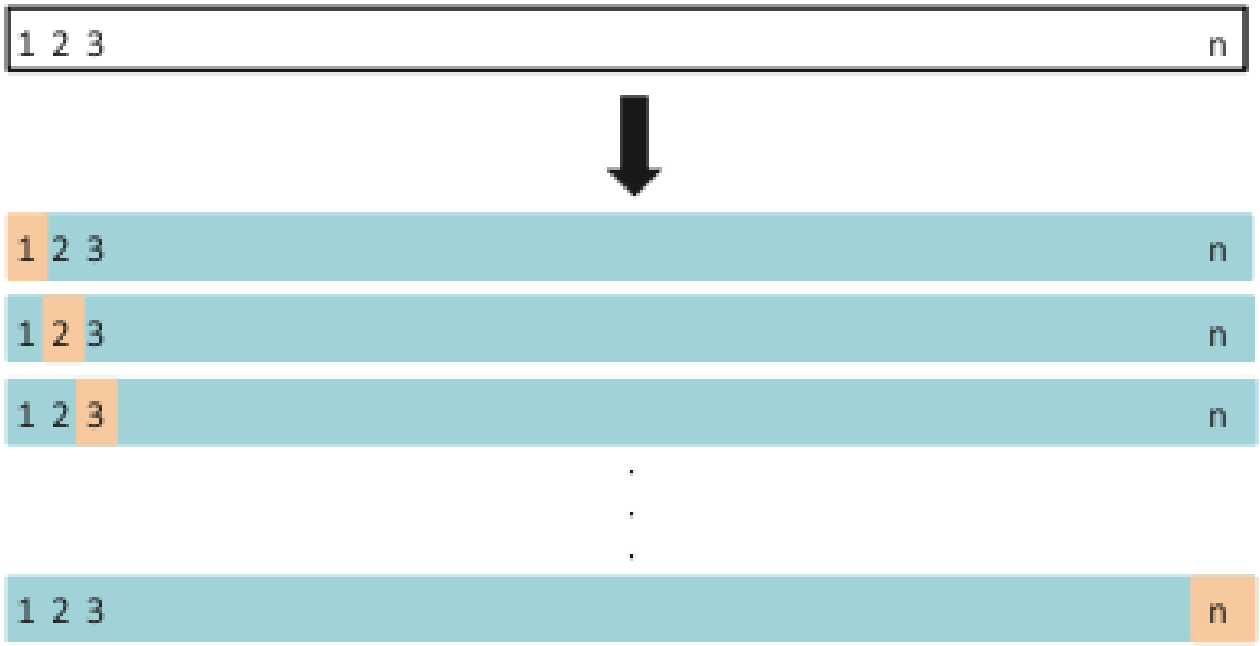


$K = 7$

k-Fold cross validation



Leave-one-out cross validation



전통적인 접근법

				Tasks					
				ADAS					
				Self Driving					
				Localization	Perception	Planning/ Control	Driver state	Vehicle Diagnosis	Smart factory
Methods	Traditional	Non-machine Learning		GPS, SLAM		Optimal control			
	Deep-Learning based	Machine-Learning based method	Supervised	MLP	Pedestrian detection (HOG+SVM)				
				CNN	Detection/ Segmentation/Classification	End-to-end Learning			
				RNN (LSTM)	Dry/wet road classification	End-to-end Learning			
				DNN					
			Reinforcement						
			Unsupervised						

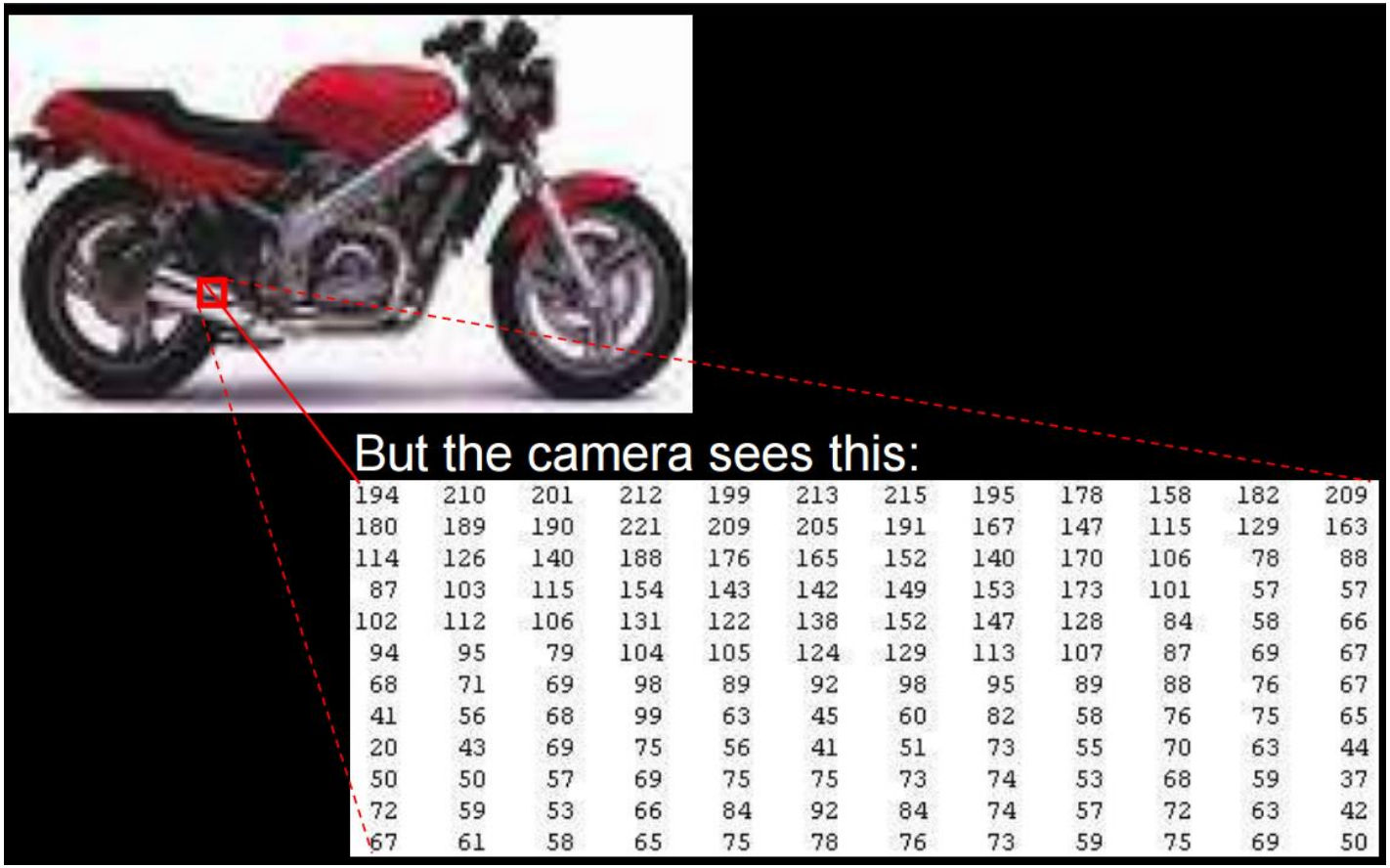
Conventional approach

- Image classification

“Motocycle”

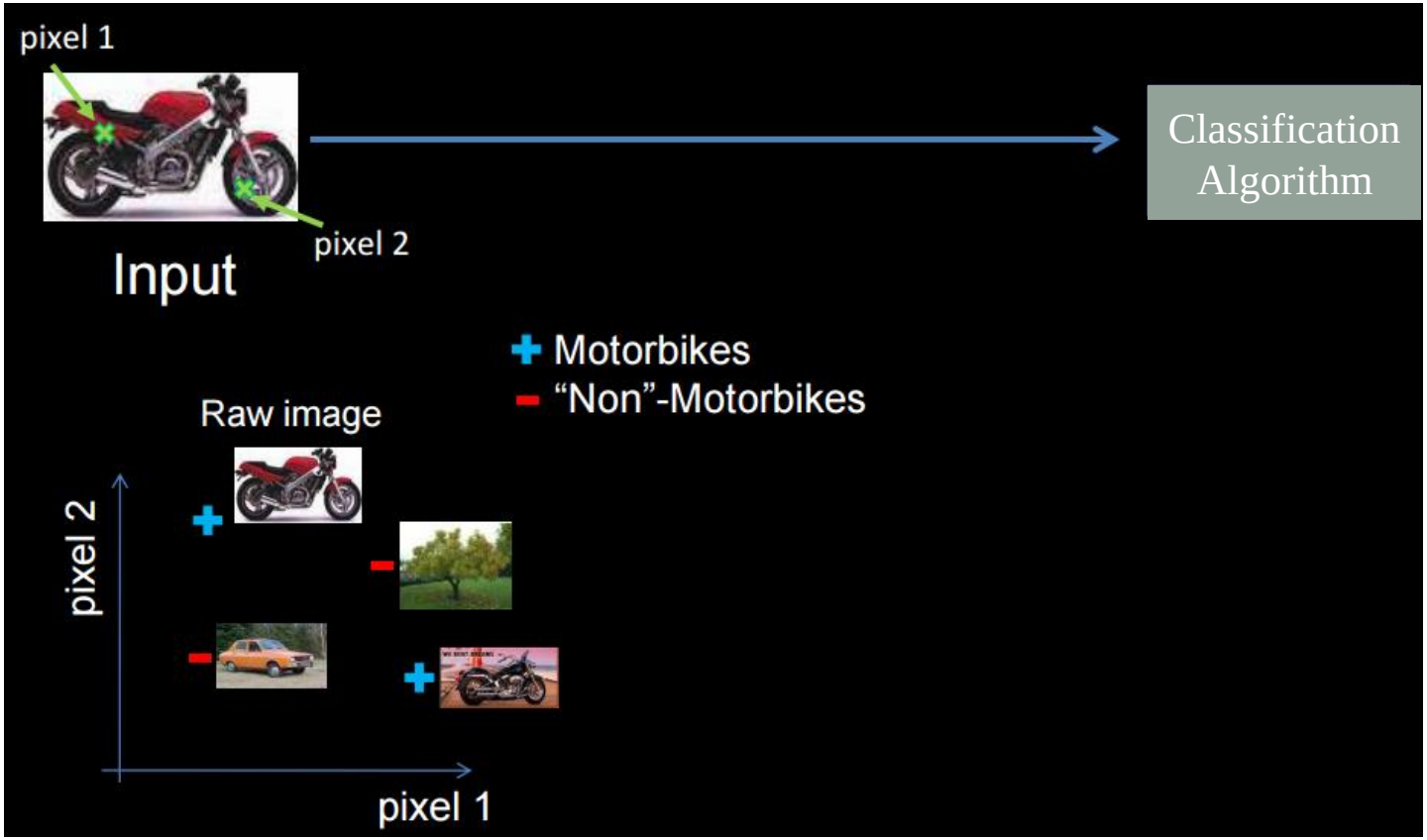
Slides from “Andrew Ng”

Why is this hard?



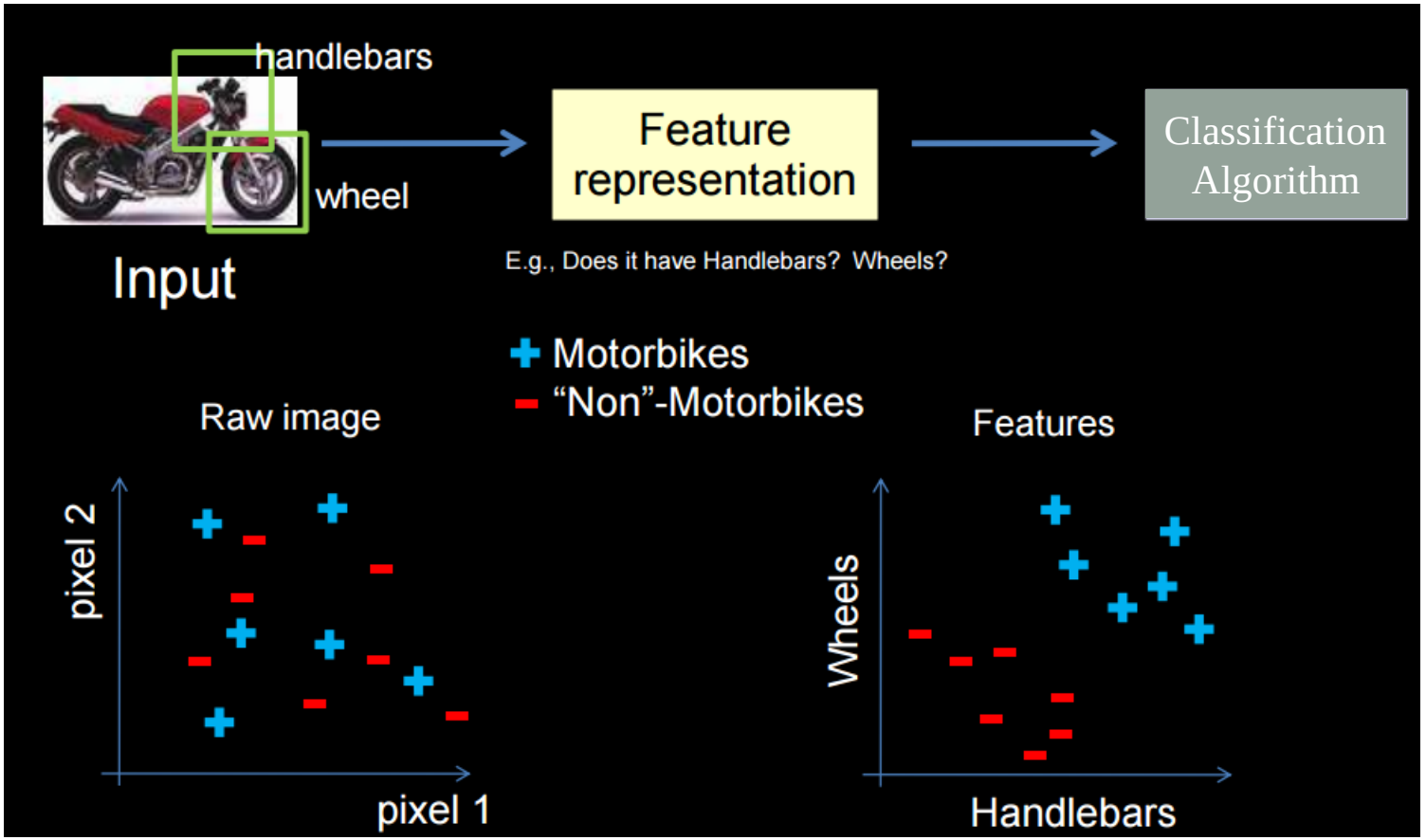
Slides from “Andrew Ng”

Feature representation



Slides from "Andrew Ng"

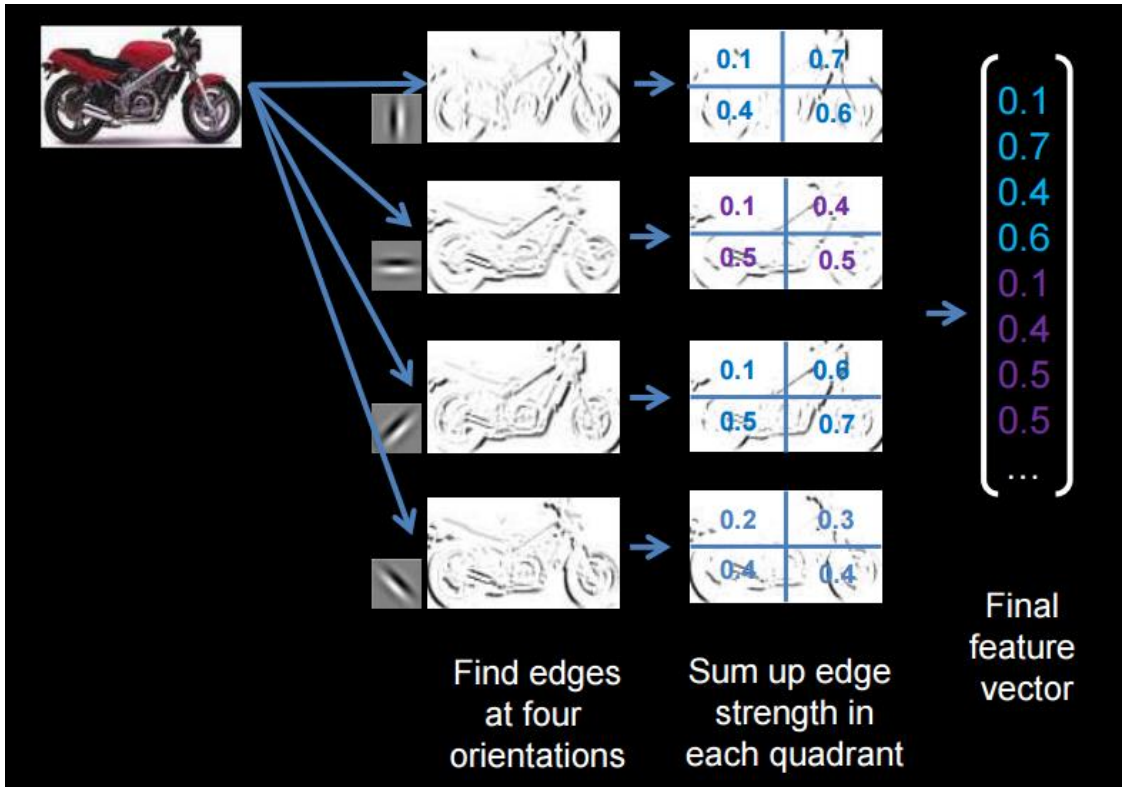
Feature representation



Slides from "Andrew Ng"

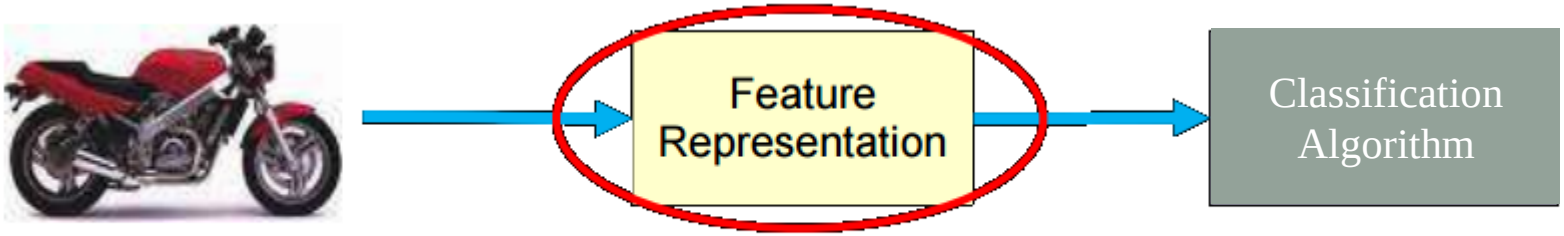
Example of Feature Representation

- But, … we don't have a handlebars detector. So, researchers try to hand-design features to capture various statistical properties of the image



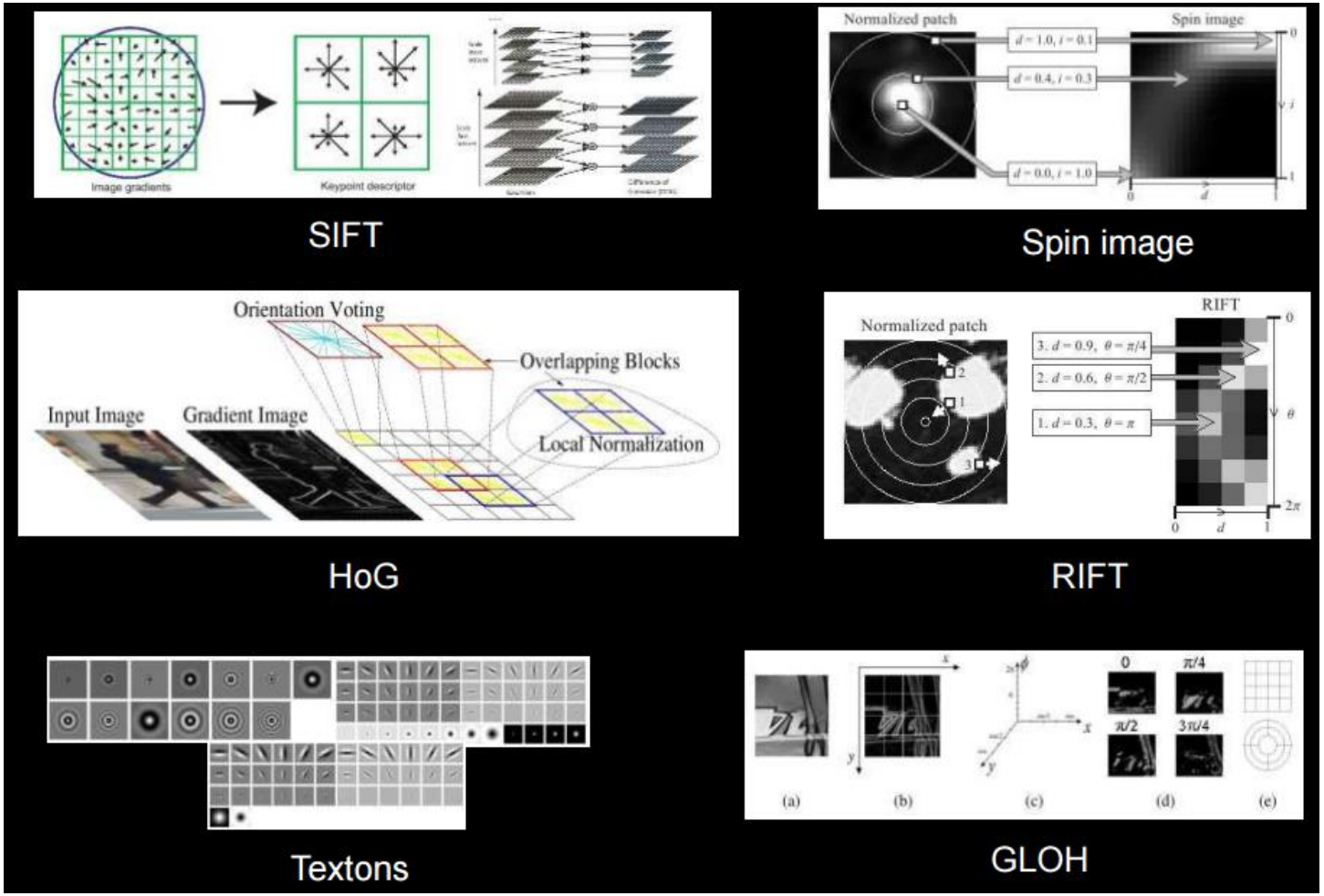
Slides from "Andrew Ng"

Feature representation



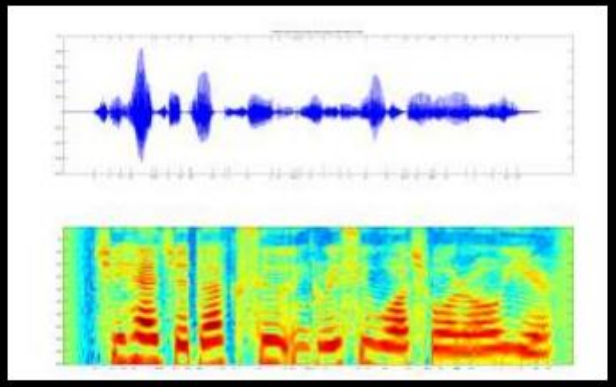
Slides from “Andrew Ng”

Computer vision features

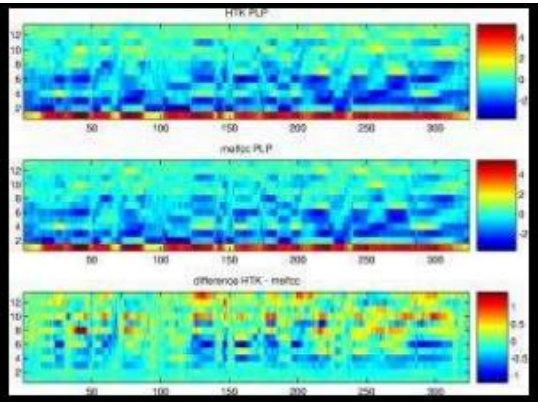


Slides from "Andrew Ng"

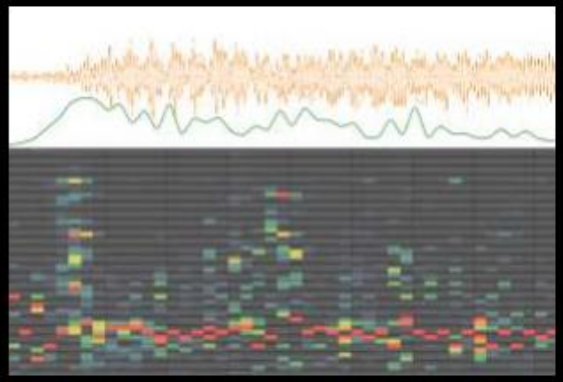
Audio features



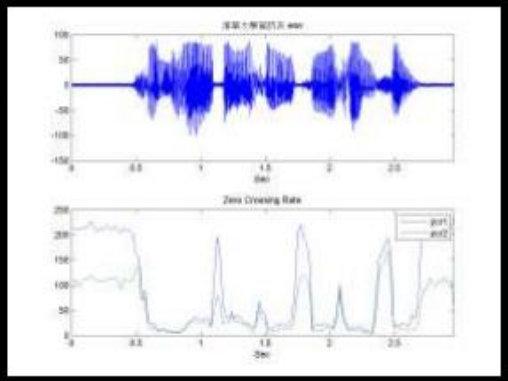
Spectrogram



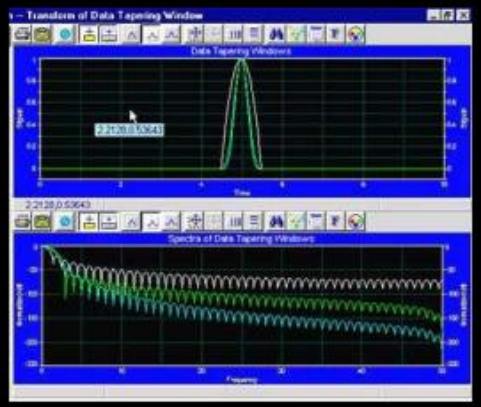
MFCC



Flux



ZCR



Rolloff

Traditional pattern recognition

- Fixed/engineered feature + trainable classifier

CASE STUDY: PEDESTRIAN DETECTOR

				Tasks					
				ADAS					
				Self Driving					
				Localization	Perception	Planning/ Control	Driver state	Vehicle Diagnosis	Smart factory
Methods	Traditional	Non-machine Learning		GPS, SLAM		Optimal control			
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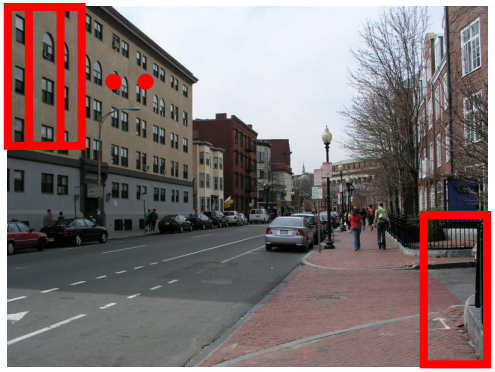
			Reinforcement						
			Unsupervised						

Detection problem → (binary) classification problem

- Sliding window scheme



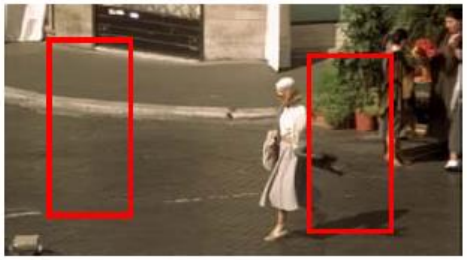
Each window is separately classified

Training data

- 64x128 images of humans cropped from a varied set of personal photos
  - Positive data – 1239 positive window examples (reflections->2478)



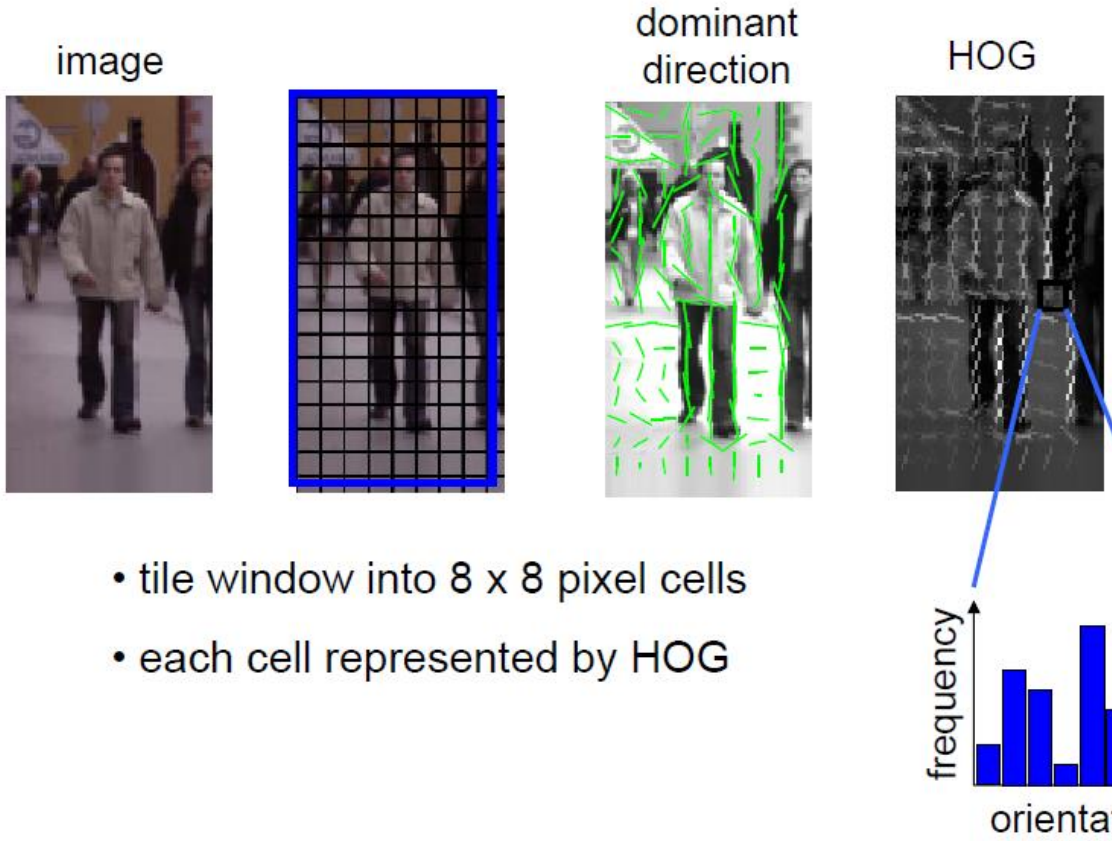

  - Negative data – 1218 person-free training photos (12180 patches)

Training

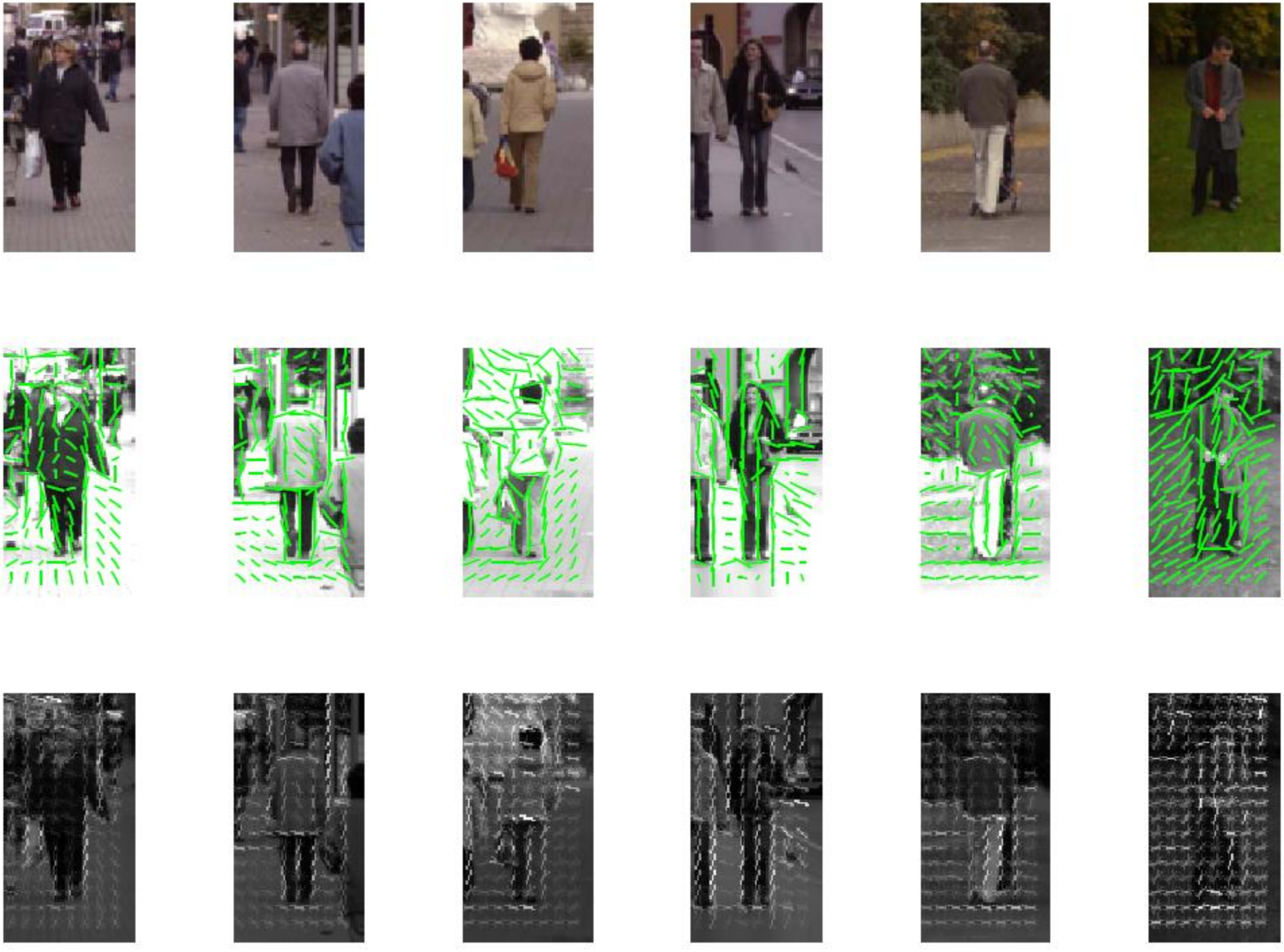
- A preliminary detector
  - Trained with (2478) vs (12180) samples
- Retraining
  - With augmented data set
    - initial 12180 + hard examples
  - Hard examples
    - 1218 negative training photos are searched exhaustively for false positive

Feature: histogram of oriented gradients (HOG)

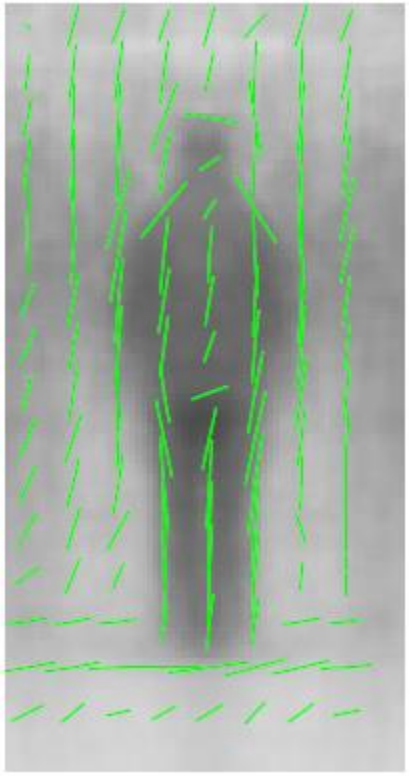


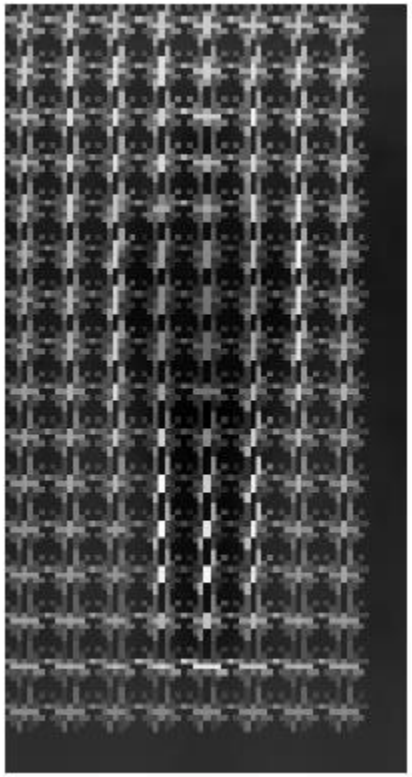
- tile window into 8 x 8 pixel cells
- each cell represented by HOG

Feature vector dimension = 16 x 8 (for tiling) x 8 (orientations) = 1024



Averaged examples

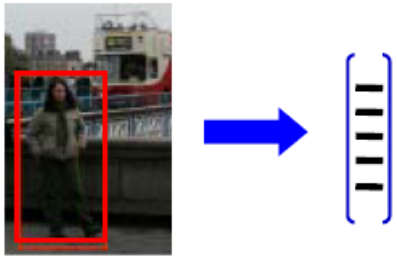




Algorithm

Training (Learning)

- Represent each example window by a HOG feature vector



$$\mathbf{x}_i \in \mathbb{R}^d, \text{ with } d = 1024$$

- Train a SVM classifier

Testing (Detection)

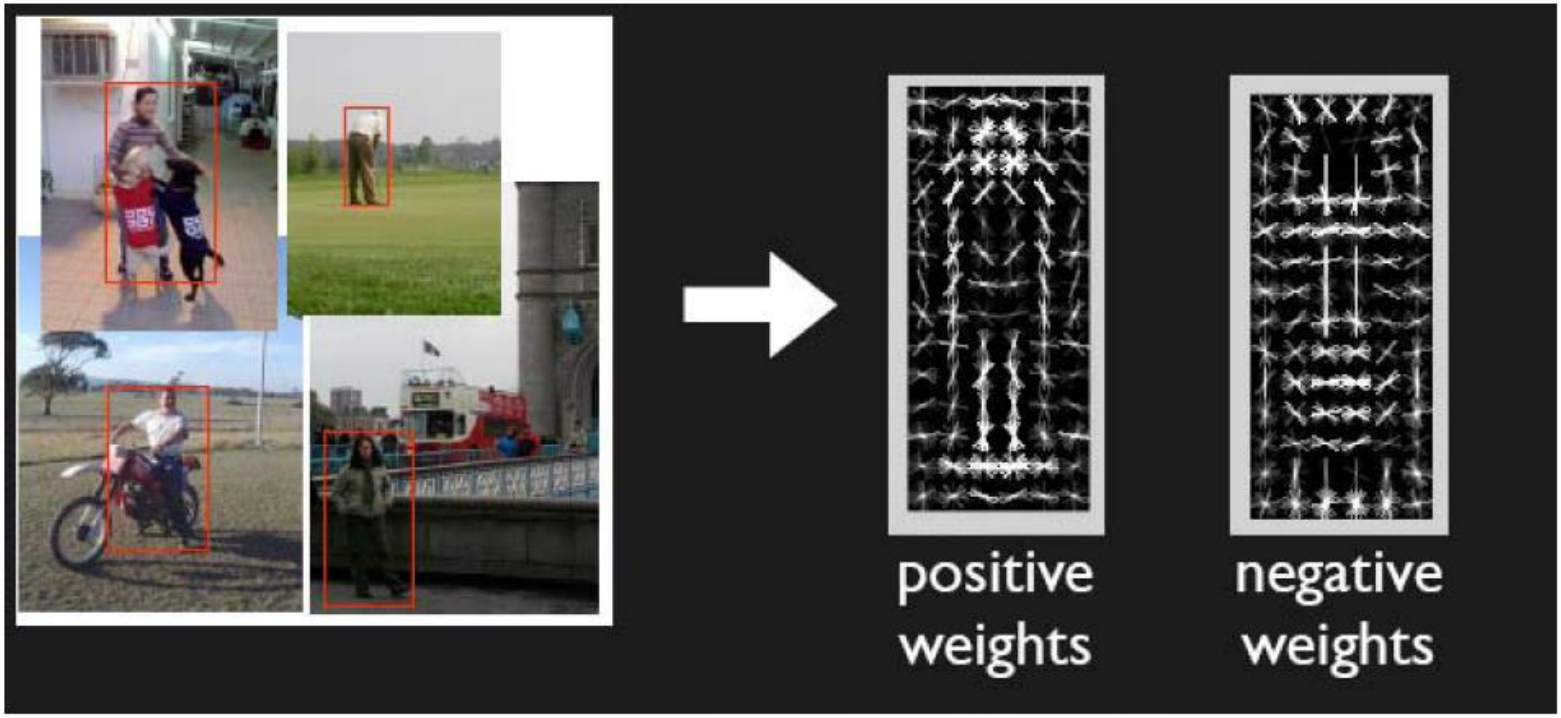
- Sliding window classifier

$$f(x) = \mathbf{w}^\top \mathbf{x} + b$$

Dalal, Navneet, and Bill Triggs. "Histograms of oriented gradients for human detection." *2005 IEEE Computer Society Conference on Computer Vision and Pattern Recognition (CVPR'05)*. Vol. 1. IEEE, 2005.

Learned model

$$f(\mathbf{x}) = \mathbf{w}^\top \mathbf{x} + b$$



Slide from Deva Ramanan